

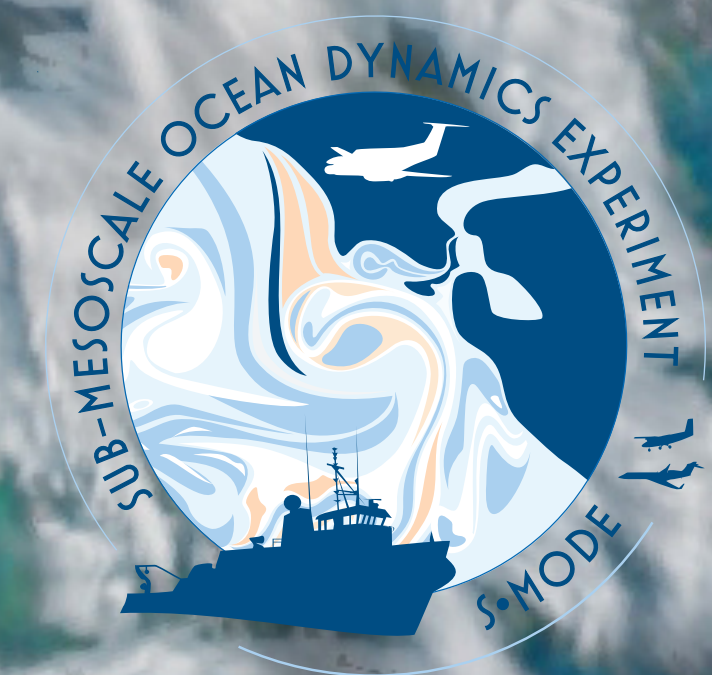
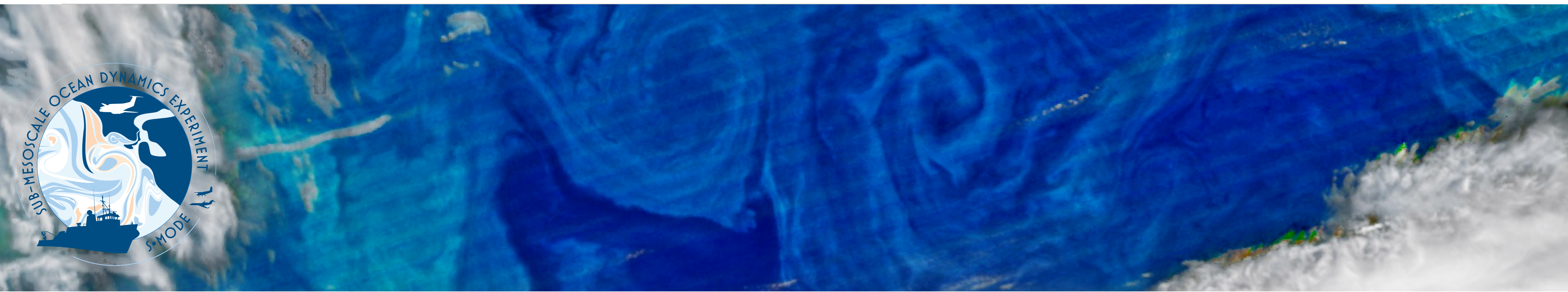


US CLIVAR Mesoscale and frontal-scale air-sea interaction workshop

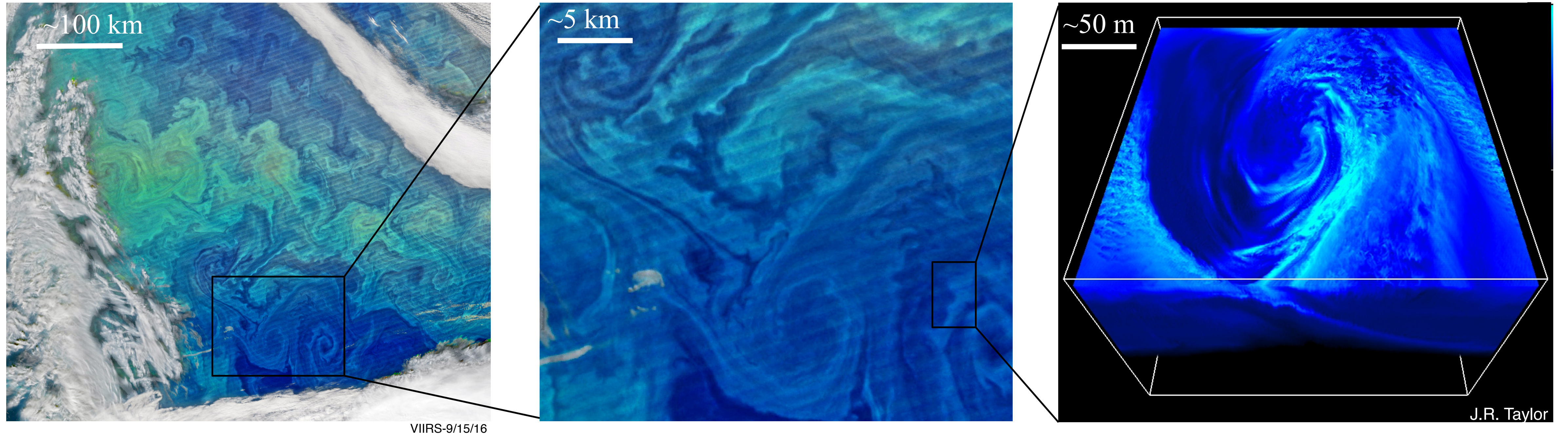
More than a length scale: Air-sea interaction at submesoscale fronts

Jacob Wenegrat
University of Maryland, College Park

[wenegrat.github.io](https://www.github.com/jacobwenegrat)



Submesoscales are dynamically unique



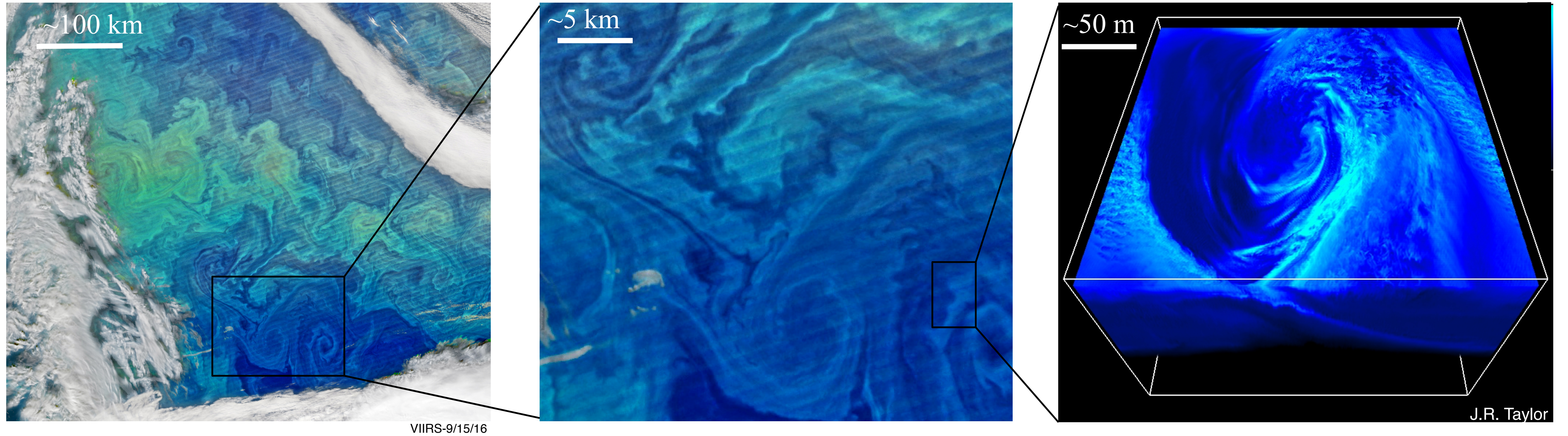
Mesoscale

Submesoscale

Small-scale mixing



Submesoscales are dynamically unique



Mesoscale

Submesoscale

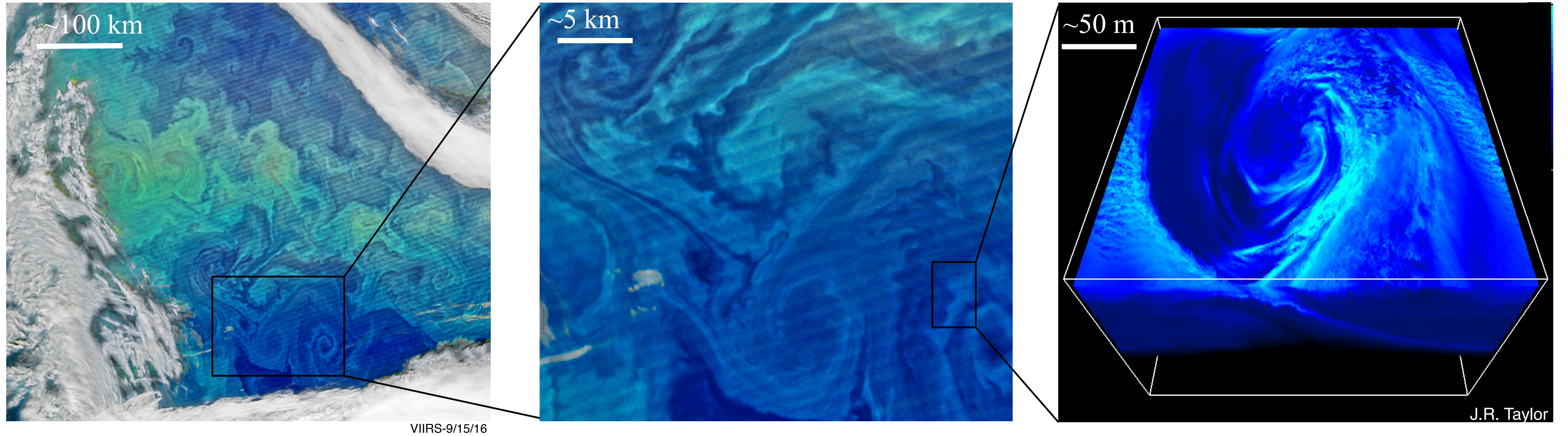
Small-scale mixing



Rossby number: $Ro \sim \frac{U}{fL}$ Richardson number: $Ri \sim \frac{N^2}{U_z^2}$

U - velocity scale, f - Coriolis frequency, L - horizontal length scale, N^2 - vertical buoyancy gradient

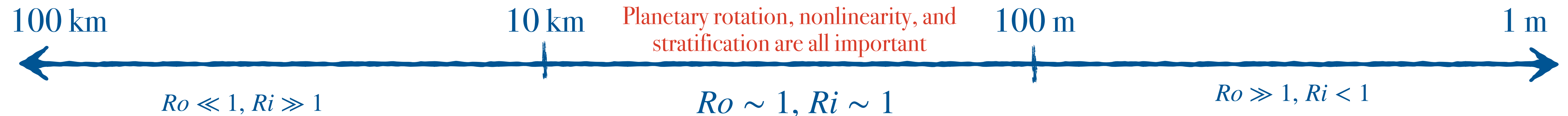
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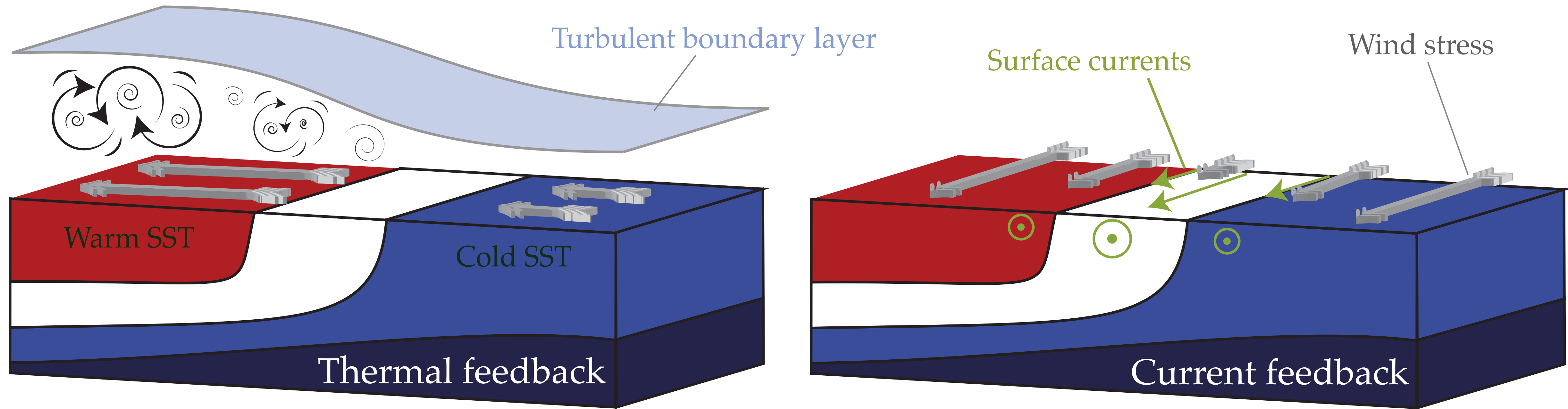
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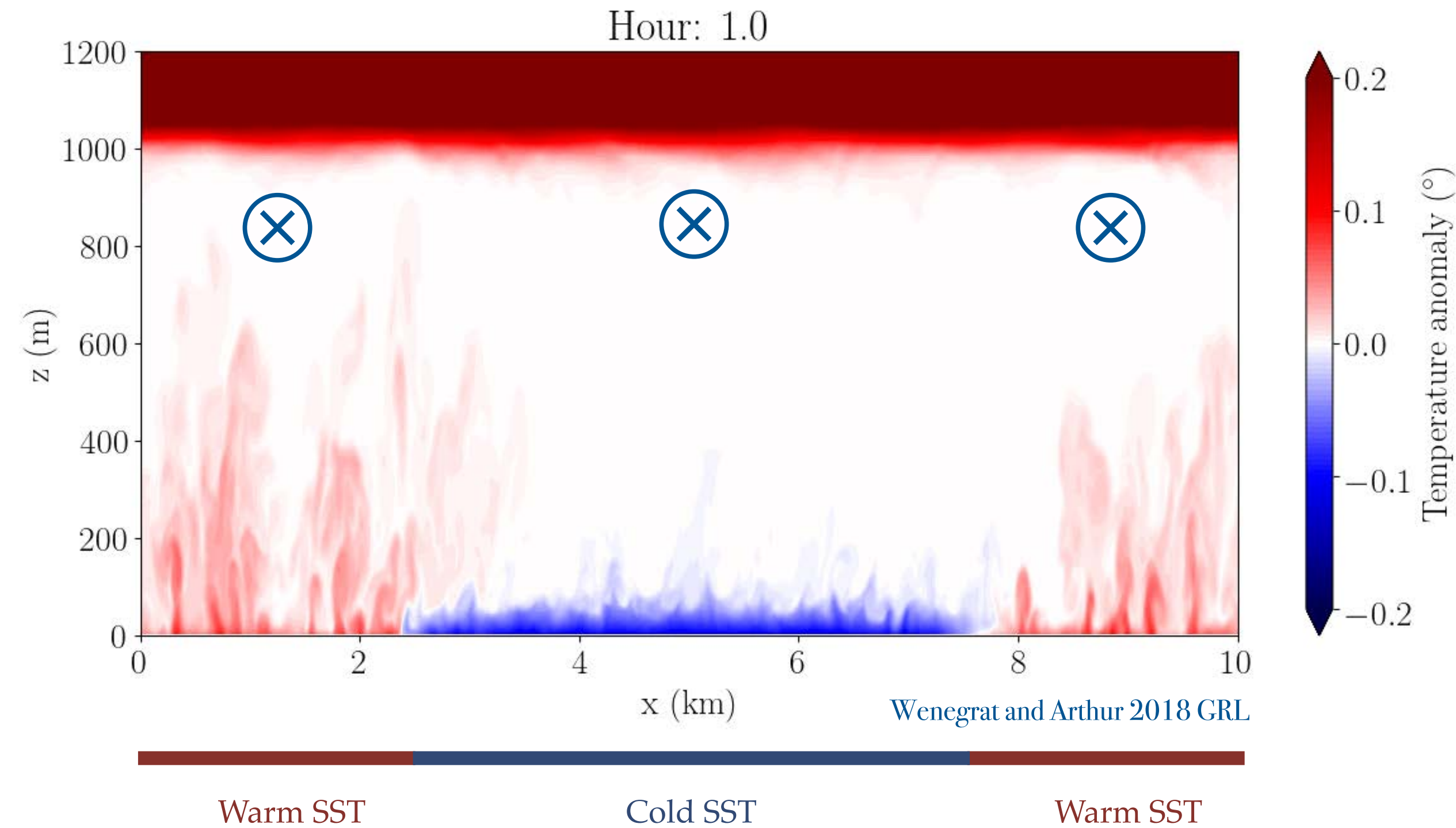
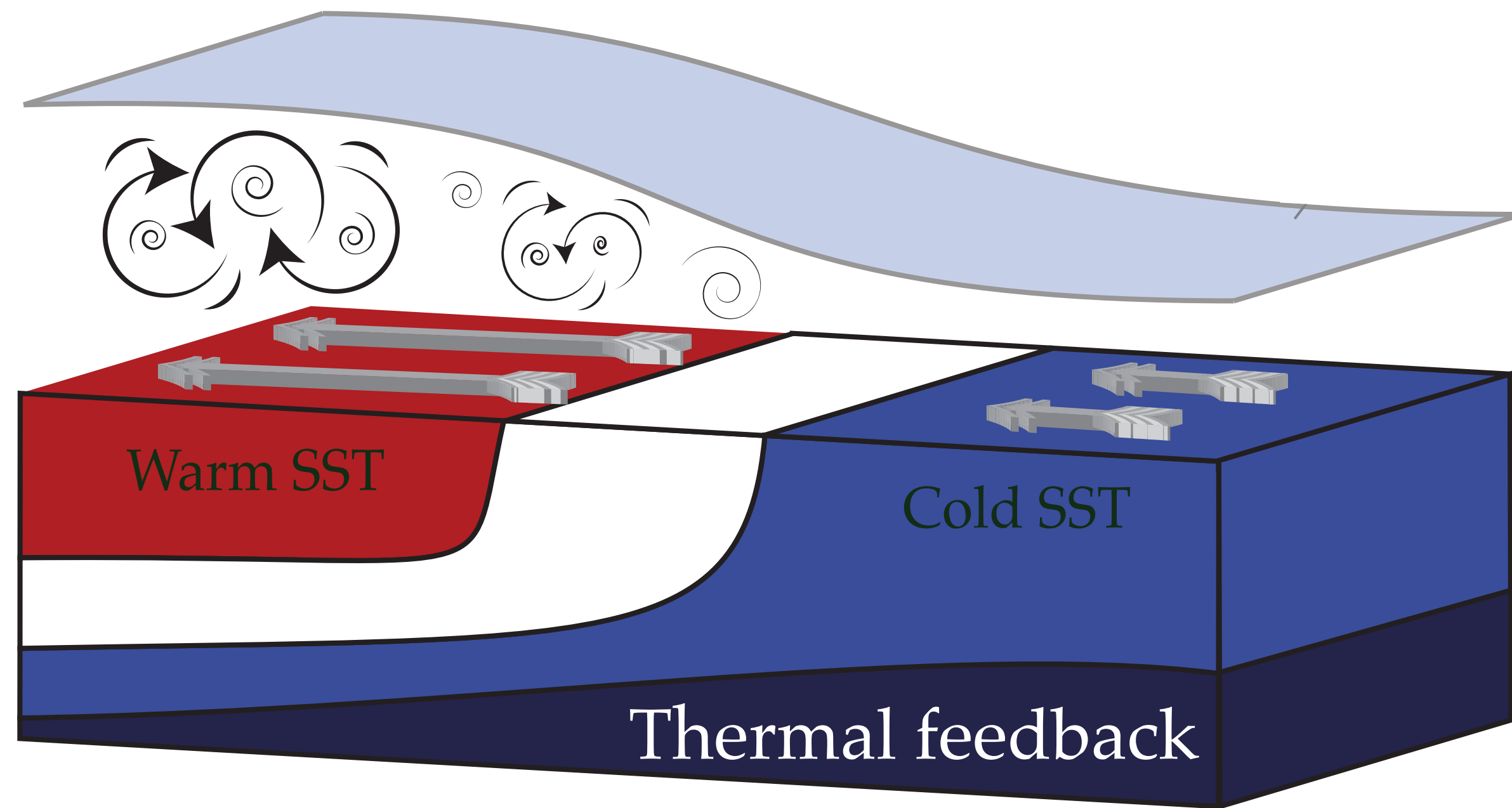
U - velocity scale, f - Coriolis frequency, L - horizontal length scale, N^2 - vertical buoyancy gradient

What are the mechanisms of submesoscale air-sea interaction?



Physical mechanisms of *mesoscale* air-sea interaction also active at *submesoscale*

What are the mechanisms of submesoscale air-sea interaction?



LES suggests strong response of ABL (including winds) to submesoscale fronts

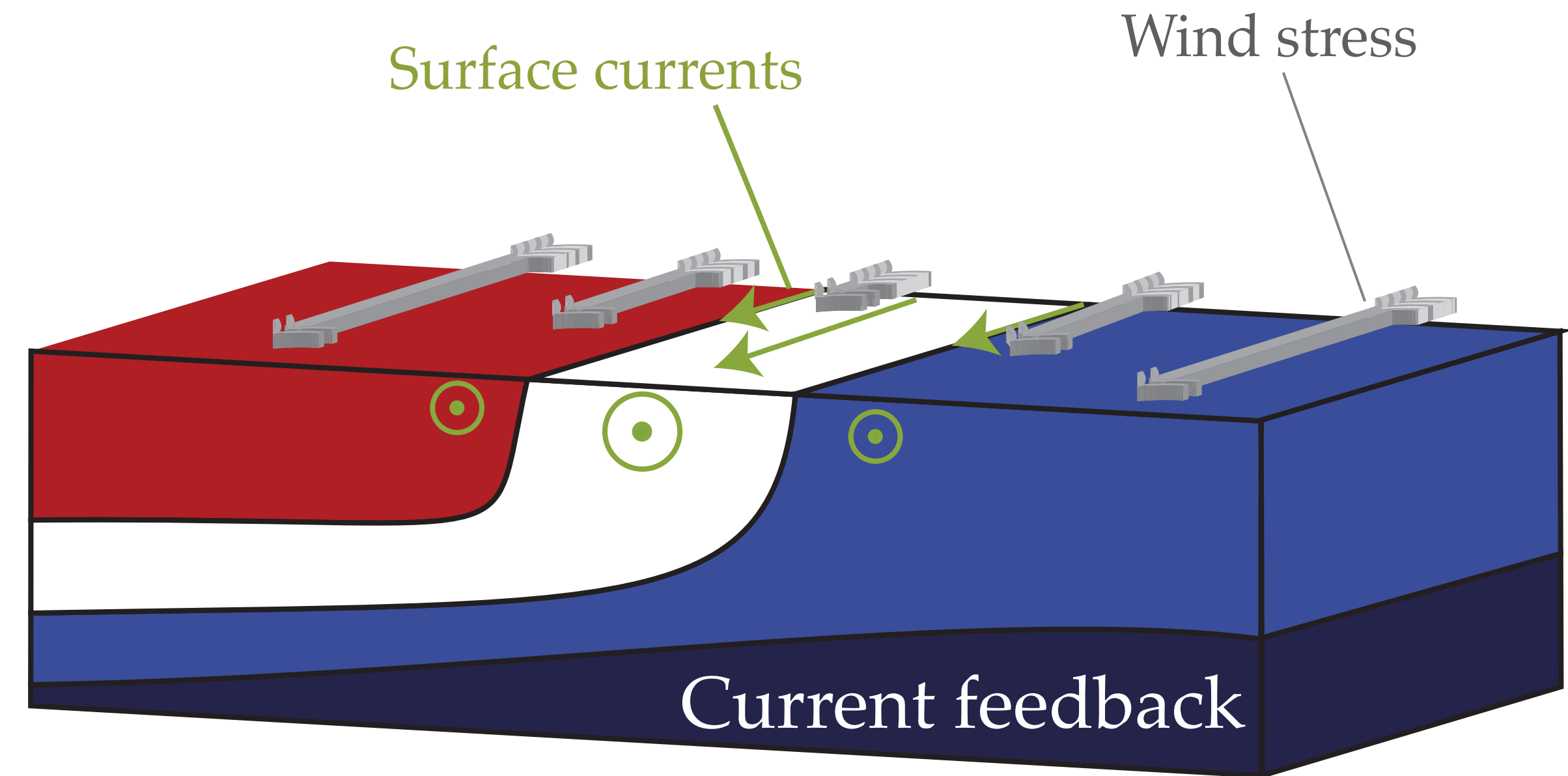
To what extent does this hold for realistic submesoscale turbulence? Always in a large Rossby number regime ($\frac{U_a}{fL_{SST}} \gg 1$)

Heat fluxes also generate a direct flux of eddy potential energy (see poster by Igor Uchoa!)

What are the mechanisms of submesoscale air-sea interaction?

$$\tau = \rho_a c_d |\mathbf{U}_a - \mathbf{u}_o| (\mathbf{U}_a - \mathbf{u}_o)$$

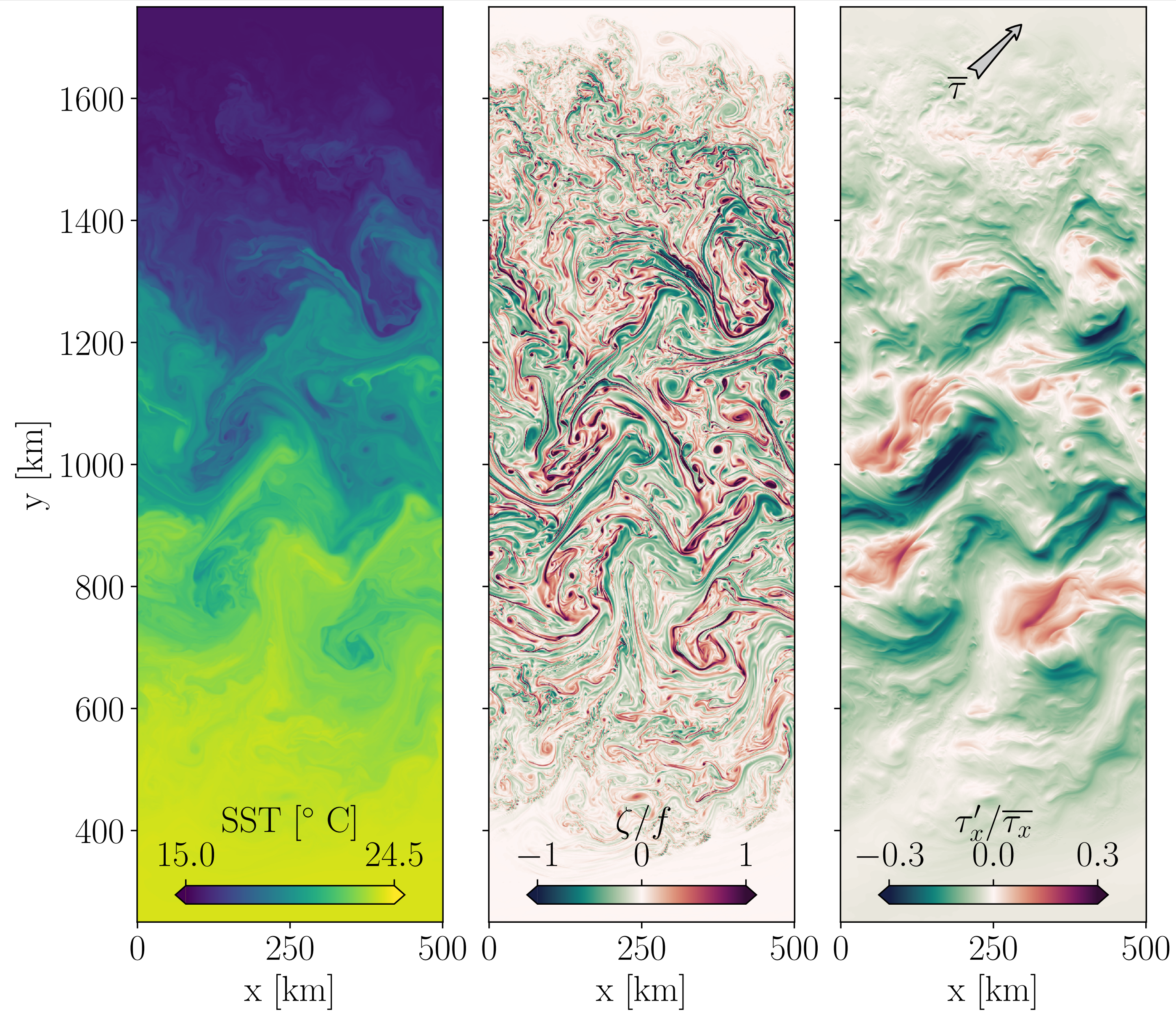
$$\tau' = \tau - \underbrace{\rho_a c_d |\mathbf{U}_a| \mathbf{U}_a}_{\bar{\tau}}$$



Surface currents also introduce a *current feedback on stress (CFB)*

Definition is entirely local, mechanism is robust at all scales

Current feedback introduces small-scale variability in stress



Re-entrant channel

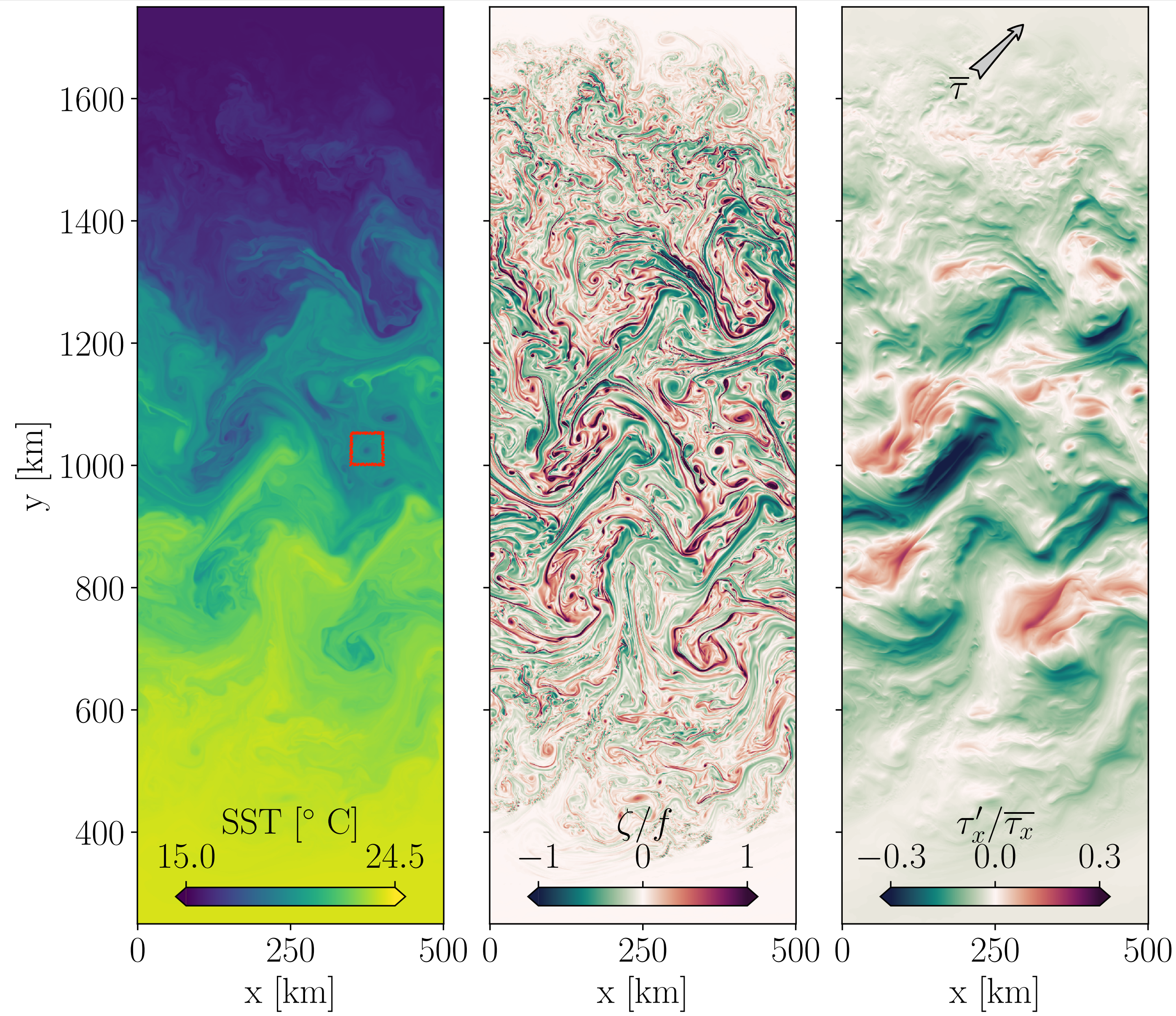
$\Delta x = \Delta y = 500$ m

Moderate wind towards NE (7 ms^{-1})

Surface buoyancy loss (25 Wm^{-2})

Spun-up for 360 days at lower res.

Current feedback introduces small-scale variability in stress



Re-entrant channel

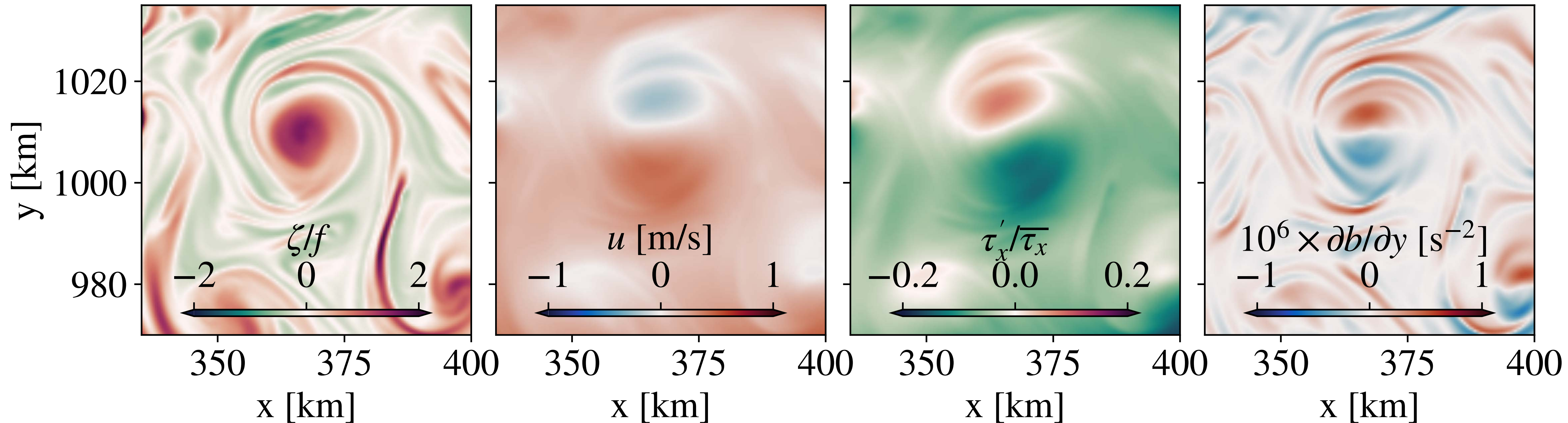
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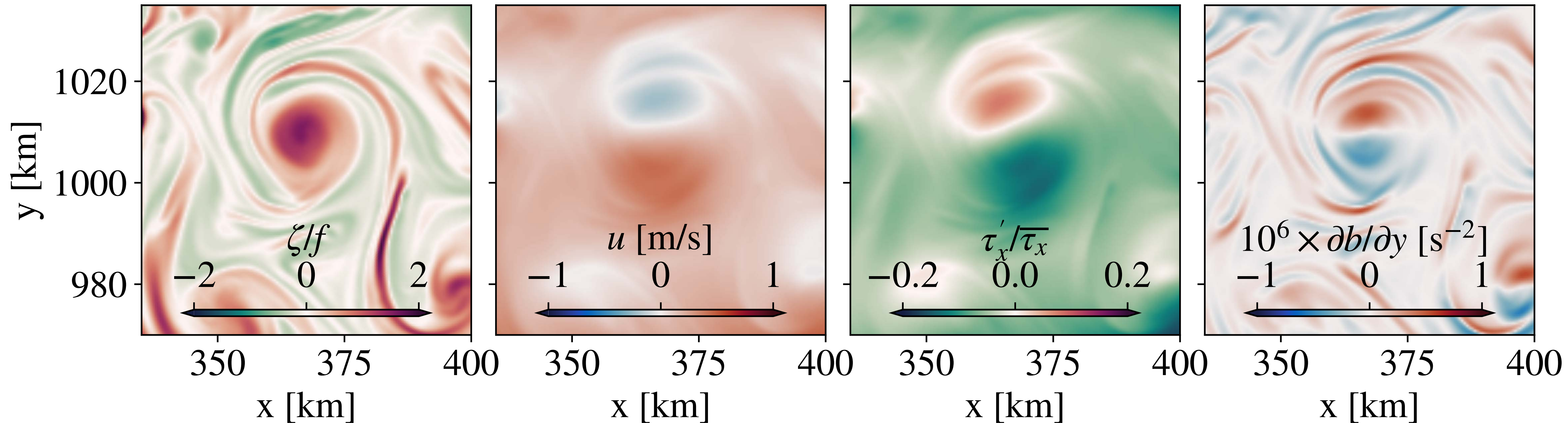
Spun-up for 360 days at lower res.

Stress anomalies oppose the surface currents



Anti-correlation between currents and stress important for wind-work, eddy energetics.
eg. Renault et al. 2018

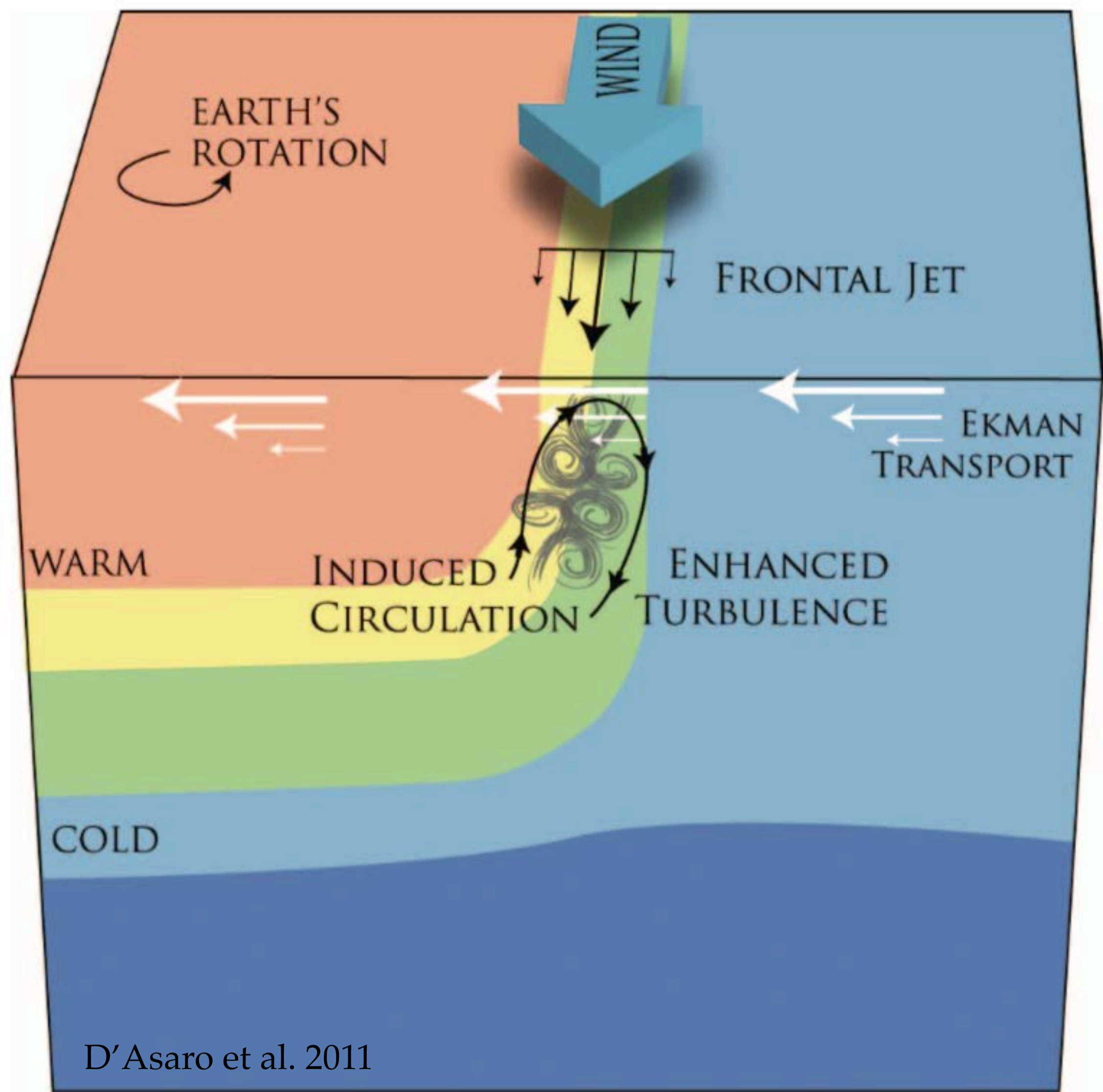
Stress anomalies oppose the surface currents



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Correlation with buoyancy gradient will affect the Ekman buoyancy flux at fronts!

Current feedback modifies the Ekman buoyancy flux



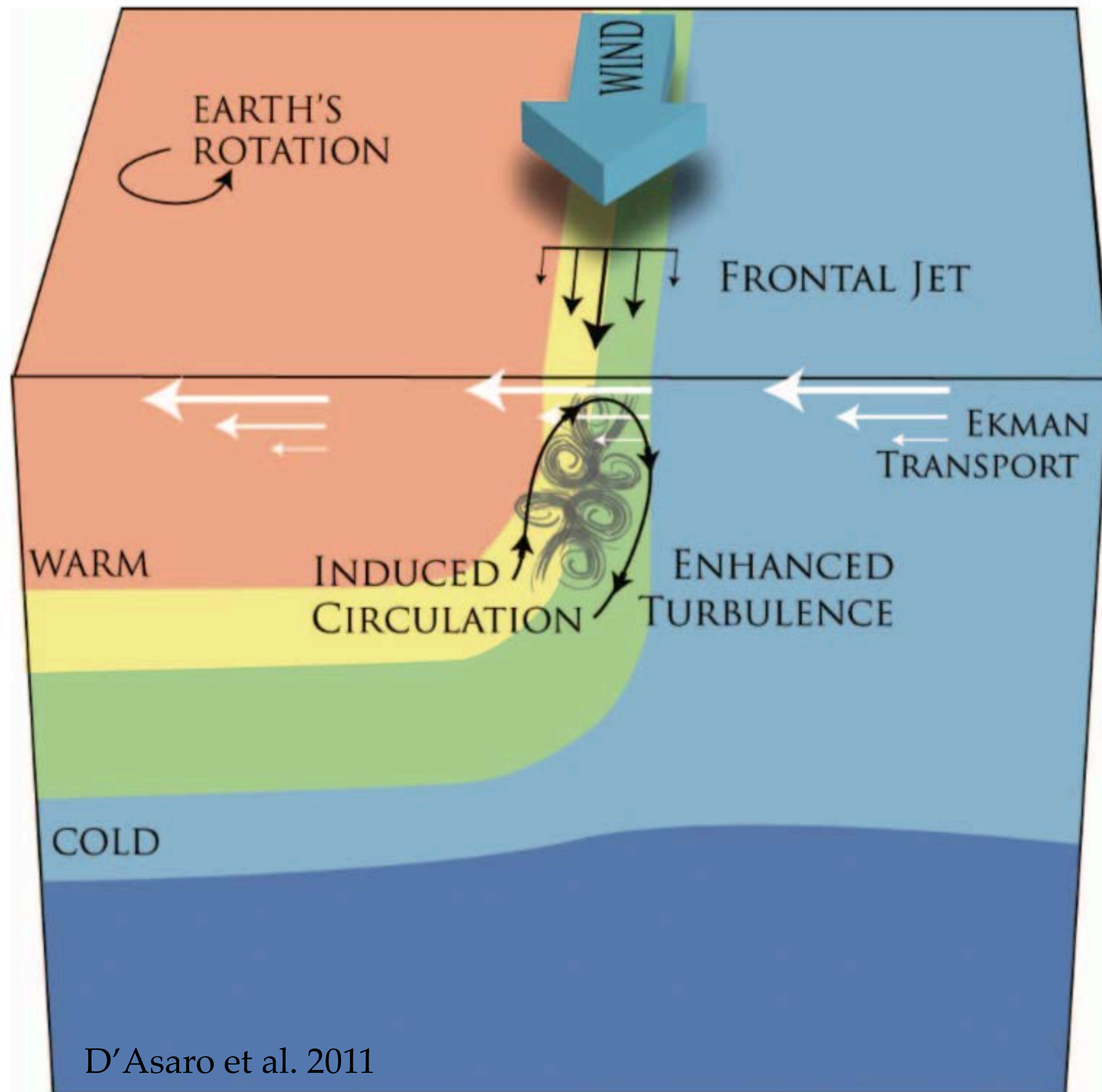
Ekman transport advects buoyancy at fronts:

$$EBF = \frac{\tau \times \hat{k}}{\rho_0 f} \cdot \nabla_h b$$

Observed values equivalent to $O(10,000 \text{ Wm}^{-2})$ surface heat fluxes!

Also generates a flux of *potential vorticity*.

Current feedback modifies the Ekman buoyancy flux



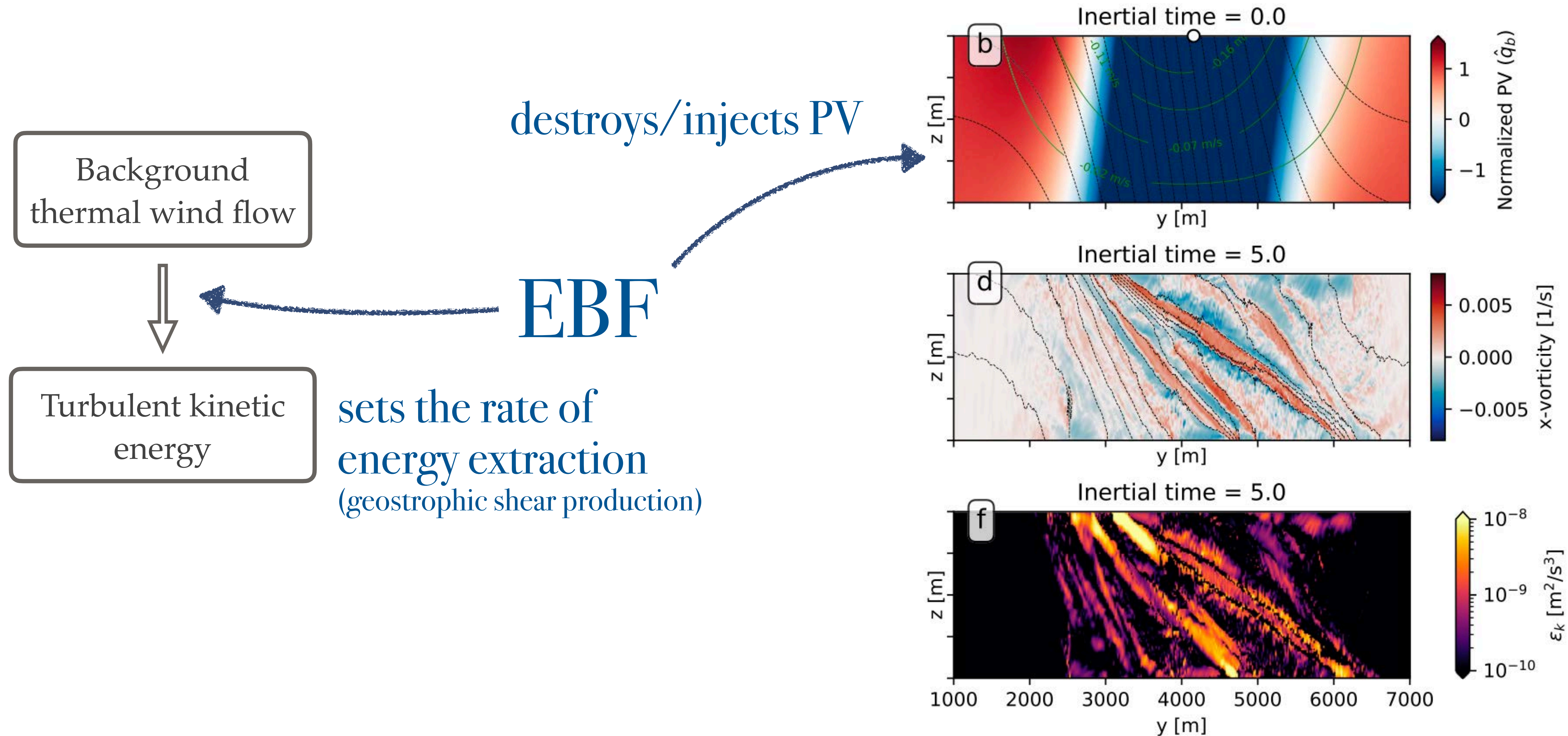
Ekman transport advects buoyancy at fronts:

$$EBF = \frac{\boldsymbol{\tau} \times \hat{\mathbf{k}}}{\rho_0 f} \cdot \nabla_h b$$

Can be expanded as a *mean* and *CFB* component:

$$EBF = \underbrace{\frac{\bar{\boldsymbol{\tau}} \times \hat{\mathbf{k}}}{\rho_0 f} \cdot \nabla_h b}_{EBF_{\bar{\boldsymbol{\tau}}}} + \underbrace{\frac{\boldsymbol{\tau}' \times \hat{\mathbf{k}}}{\rho_0 f} \cdot \nabla_h b}_{EBF_{\boldsymbol{\tau}'}}$$

Submesoscale symmetric instability



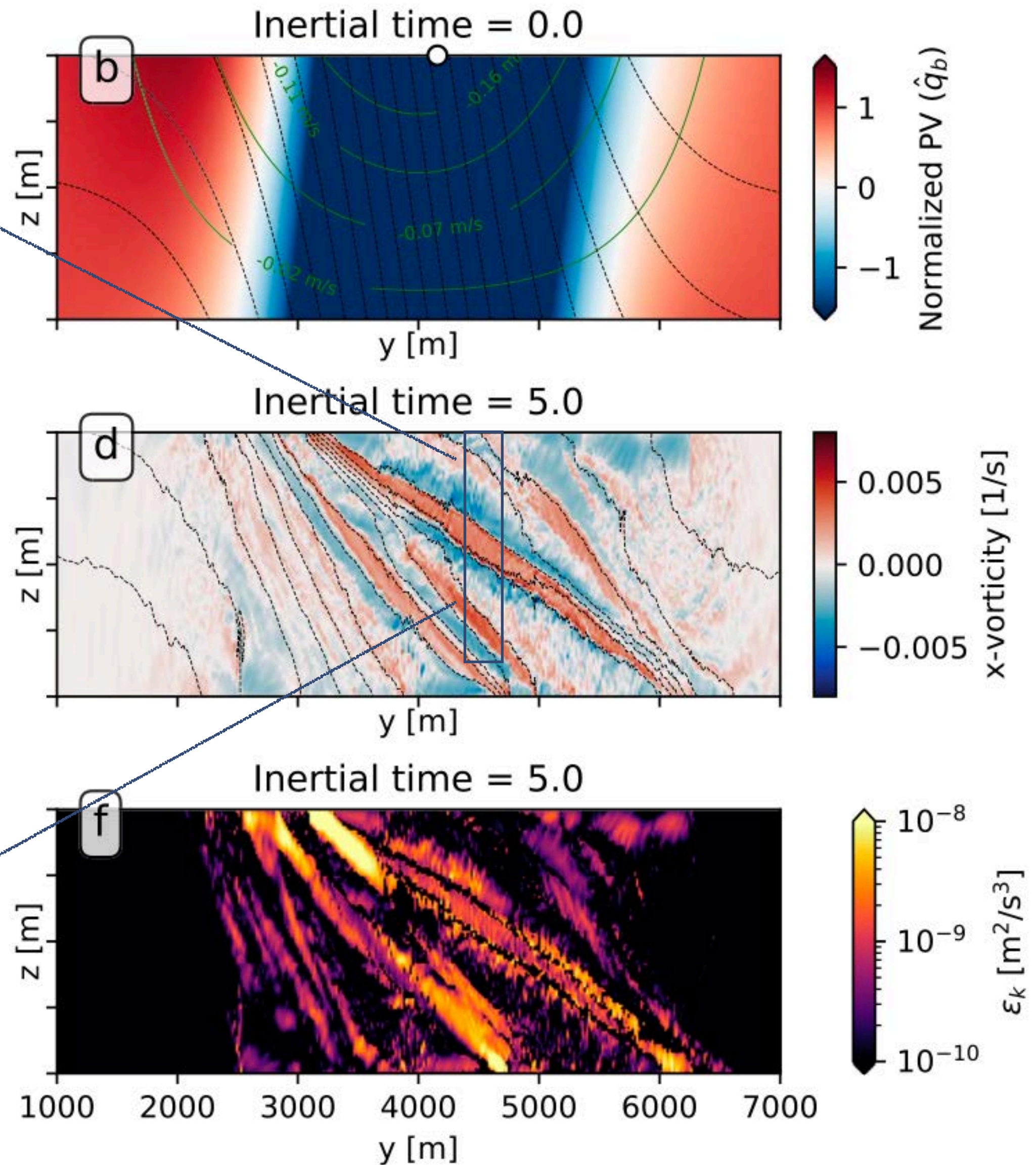
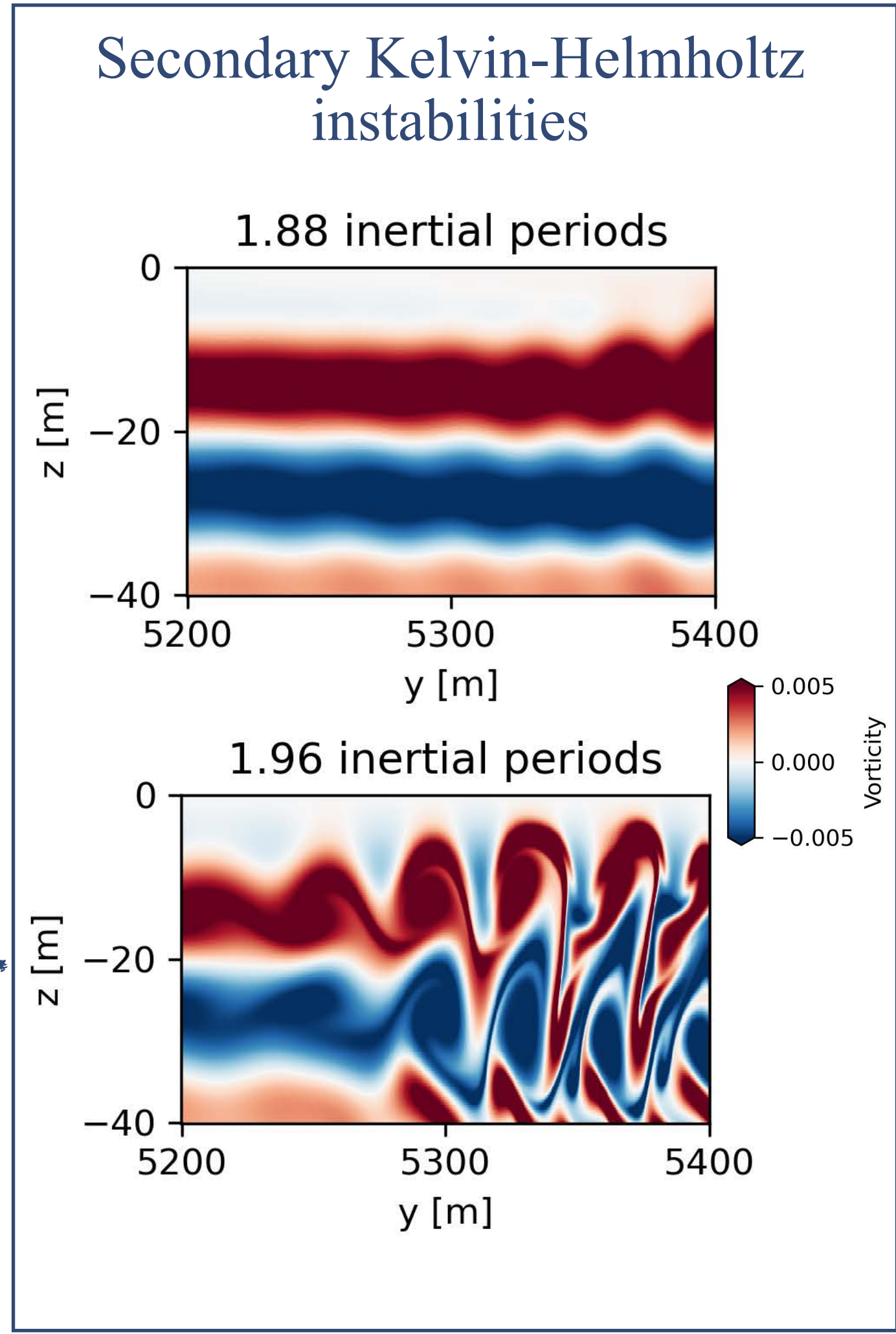
A forward cascade of energy to turbulence

Background thermal wind flow

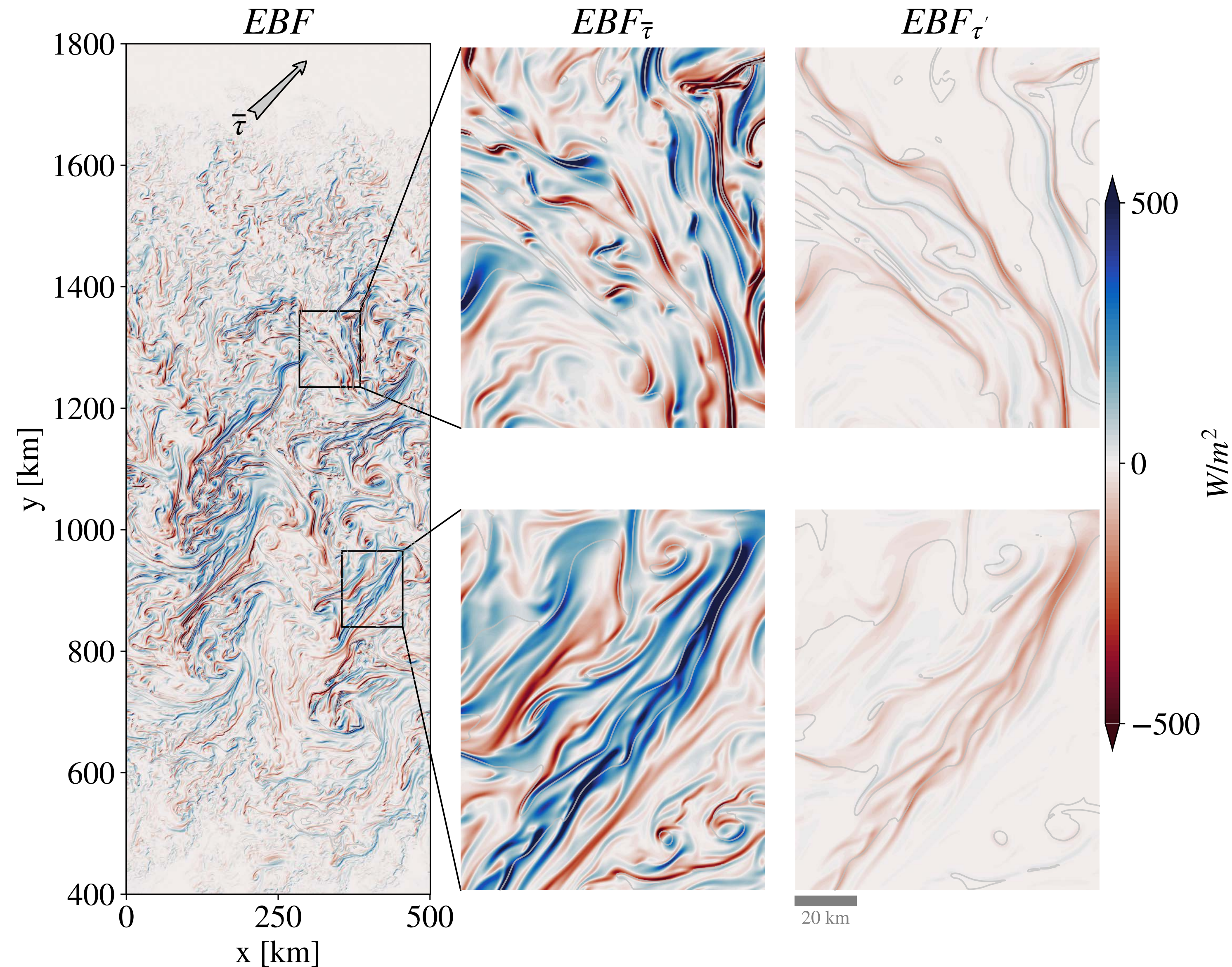
Geostrophic shear production

Turbulent kinetic energy

Dissipation (ϵ) and mixing (ϵ_ρ)



Significant modification to Ekman buoyancy flux



Ratio of current feedback to mean EBF:

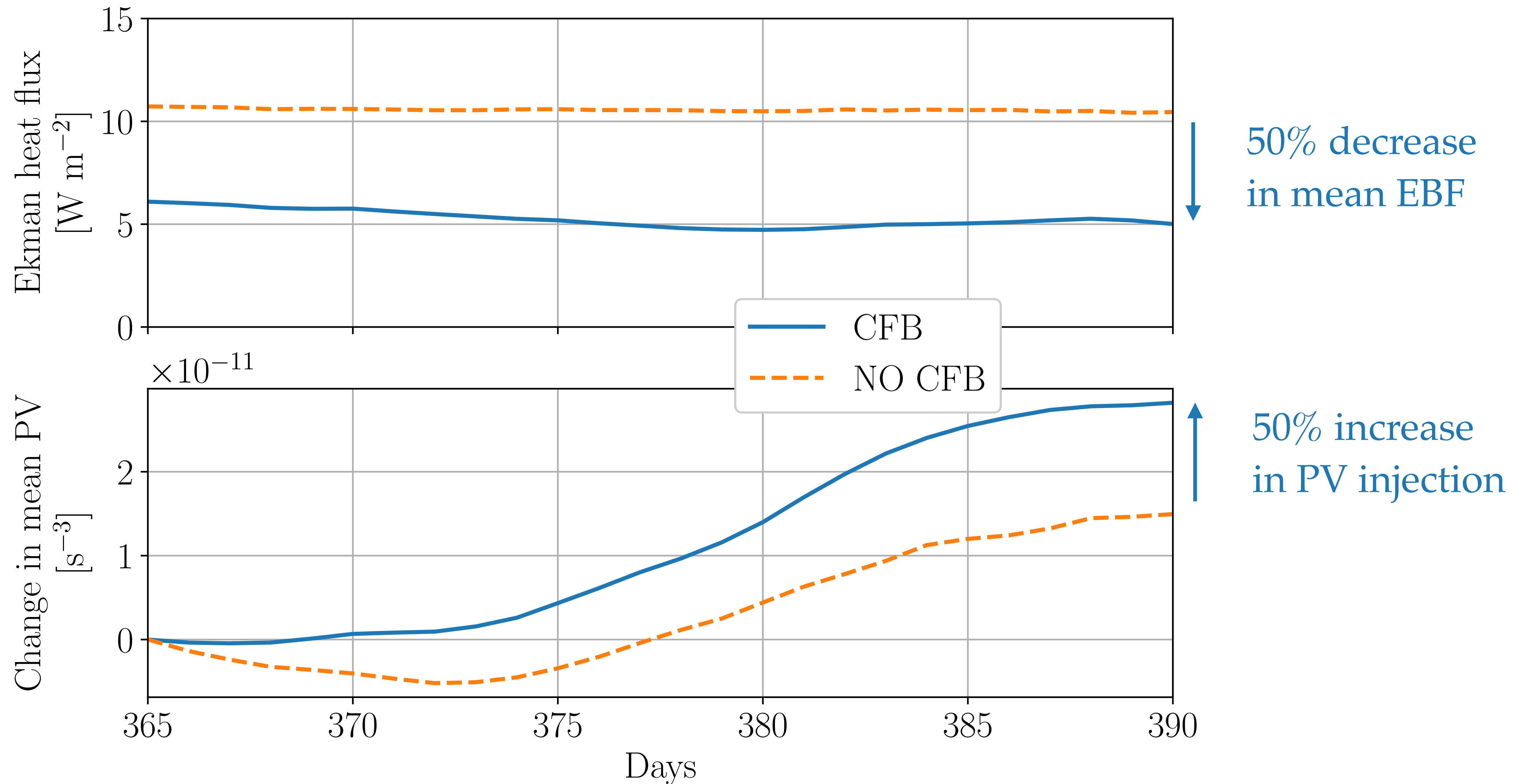
$$\frac{EBF_{\tau'}}{EBF_{\bar{\tau}}} \sim \frac{U_o}{U_a \cos \psi}$$

where U_o scales the surface currents, U_a scales the wind speed, and ψ is the angle between the wind and the surface thermal wind shear

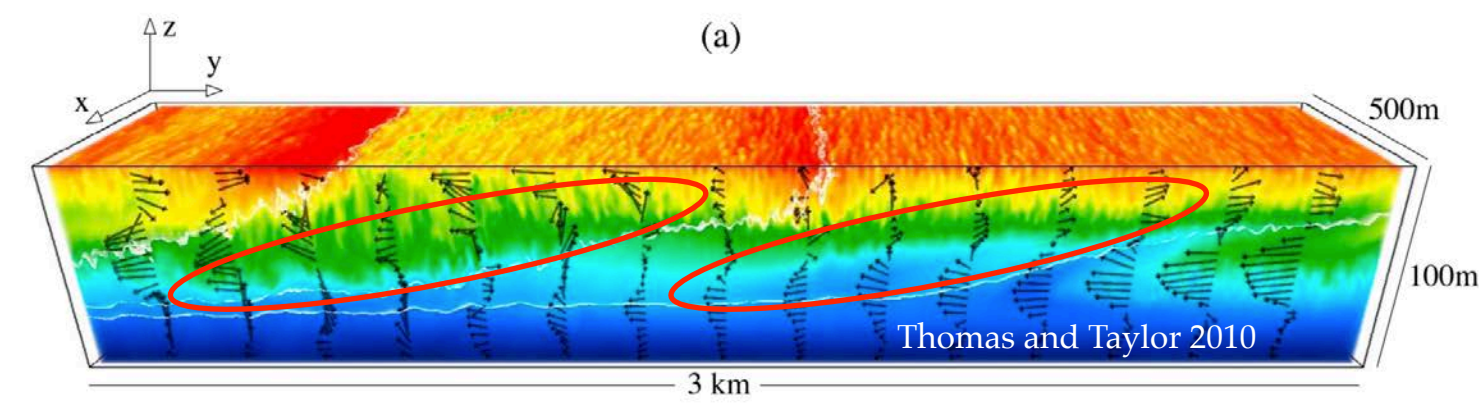
Large contribution when:

- Surface velocities are large
- Winds are weak
- Winds are misaligned with fronts (eg. Wenegrat et al. 2018 JPO)

Current feedback acts as buoyancy & PV *source*



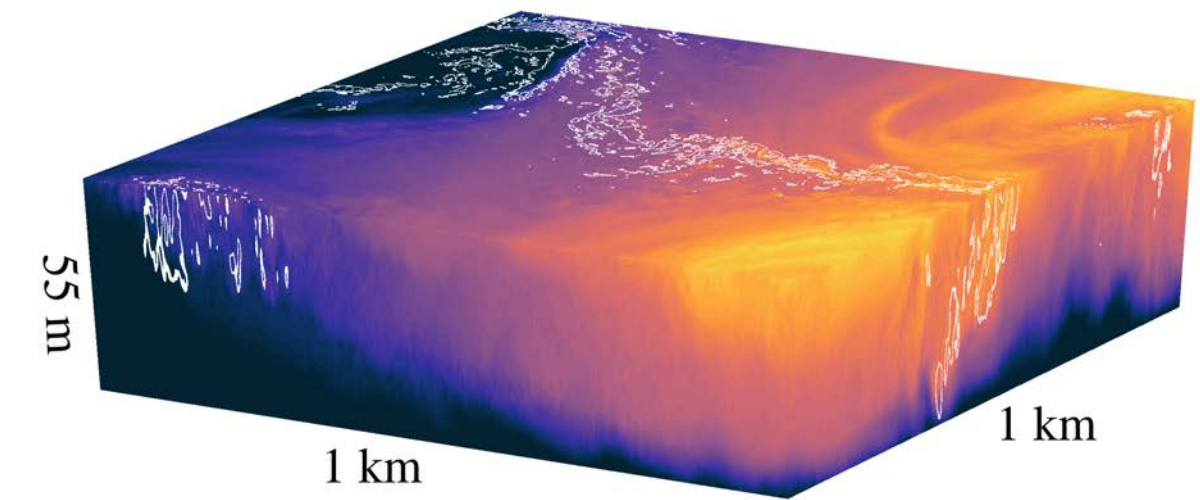
A potential pathway for modifying energetics



Symmetric instability

Background kinetic energy

Eddy potential energy



Baroclinic instability

Geostrophic shear production

Buoyancy production

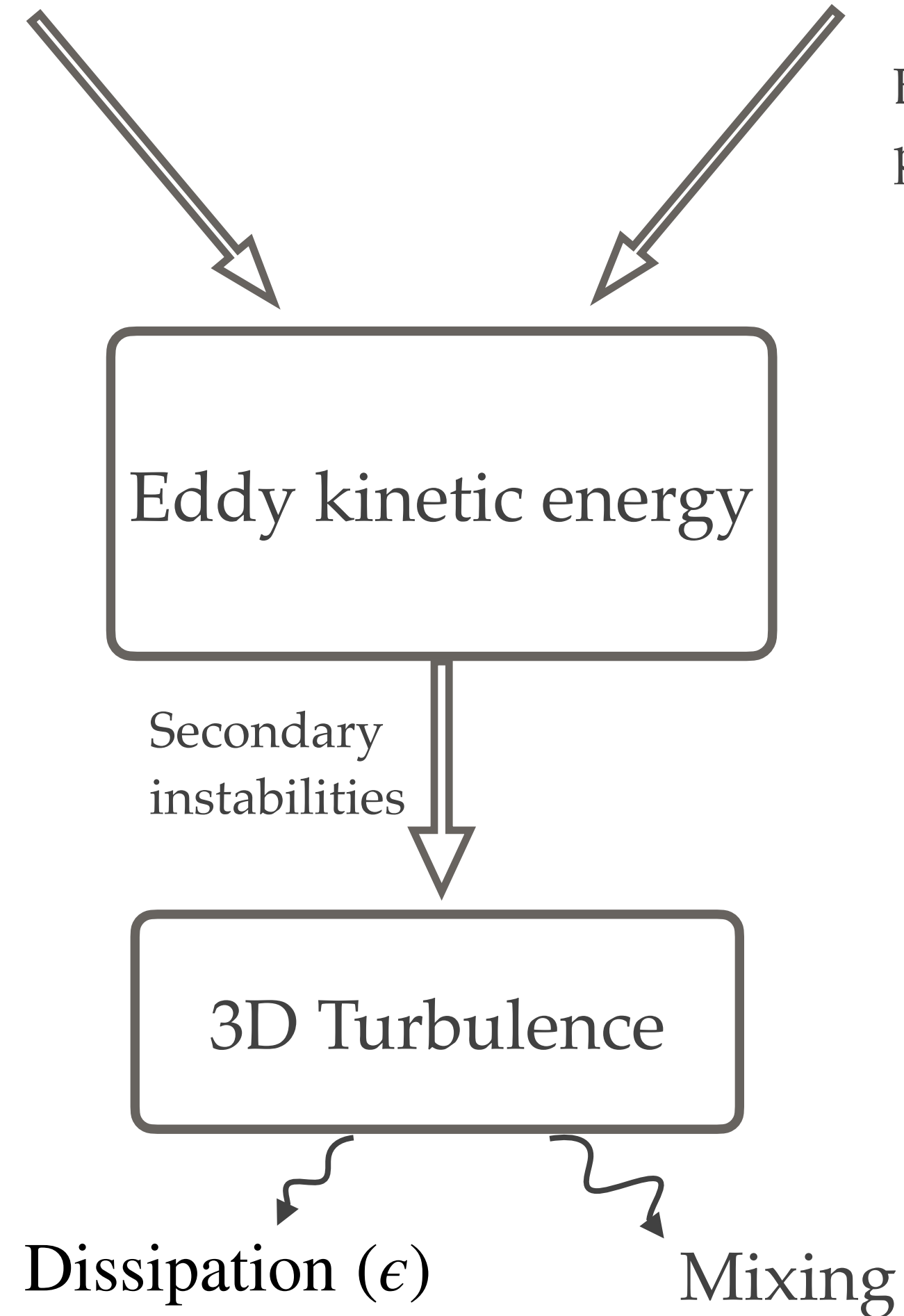
Eddy kinetic energy

Secondary instabilities

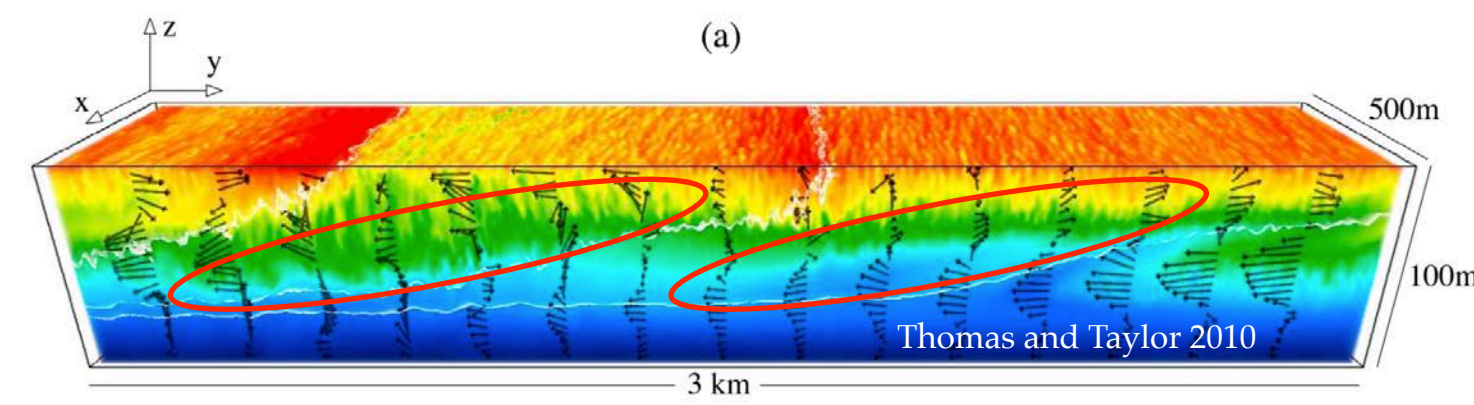
3D Turbulence

Dissipation (ϵ)

Mixing



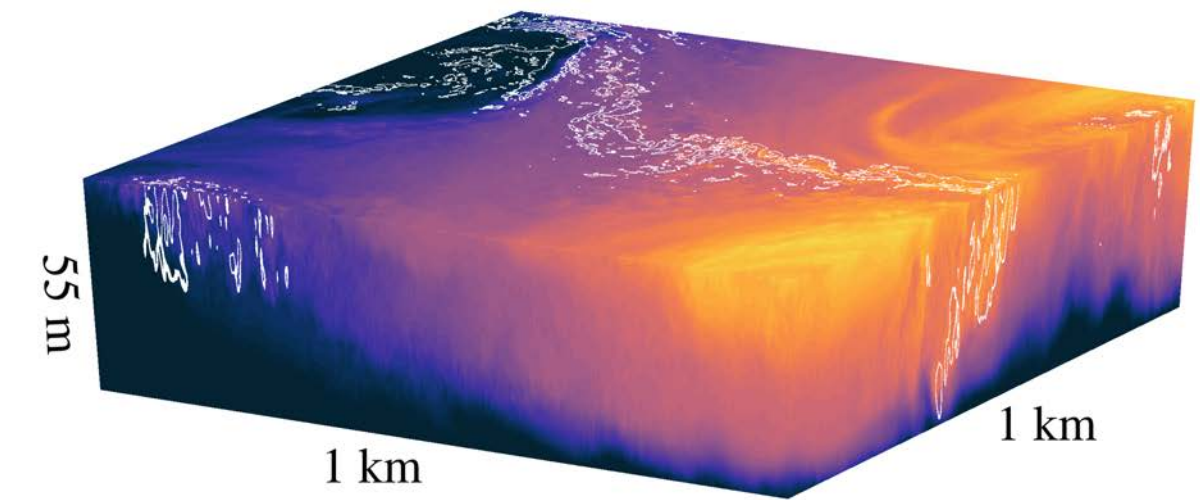
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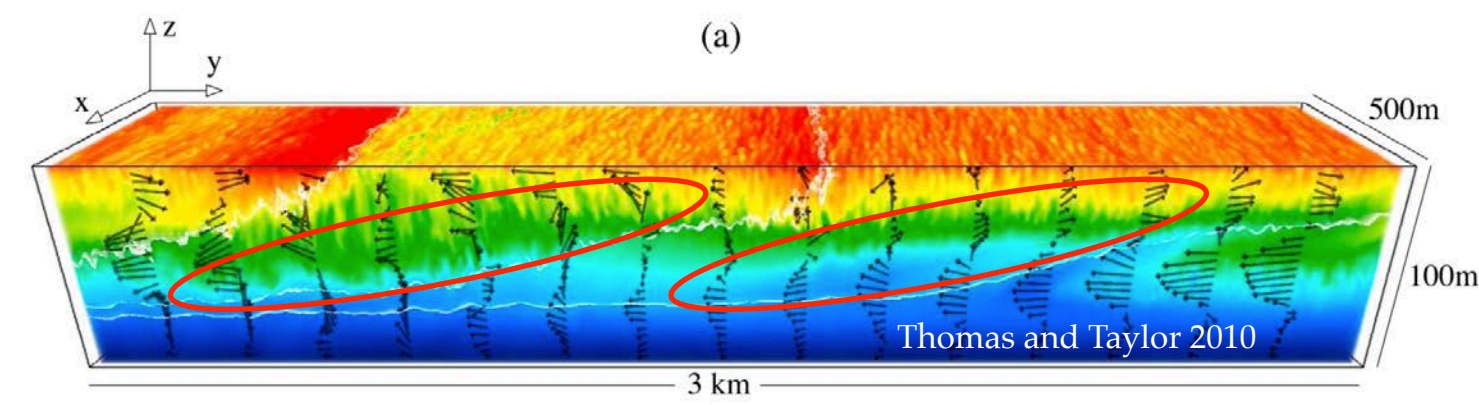
Dissipation (ϵ)

Mixing

‘Eddy killing’ effect on mixed-layer KE:

$$\frac{\tau' \cdot u_o}{\rho_o} \sim - \underbrace{\left(\frac{u_*^2}{U_a} \right)}_{damping} U_o^2$$

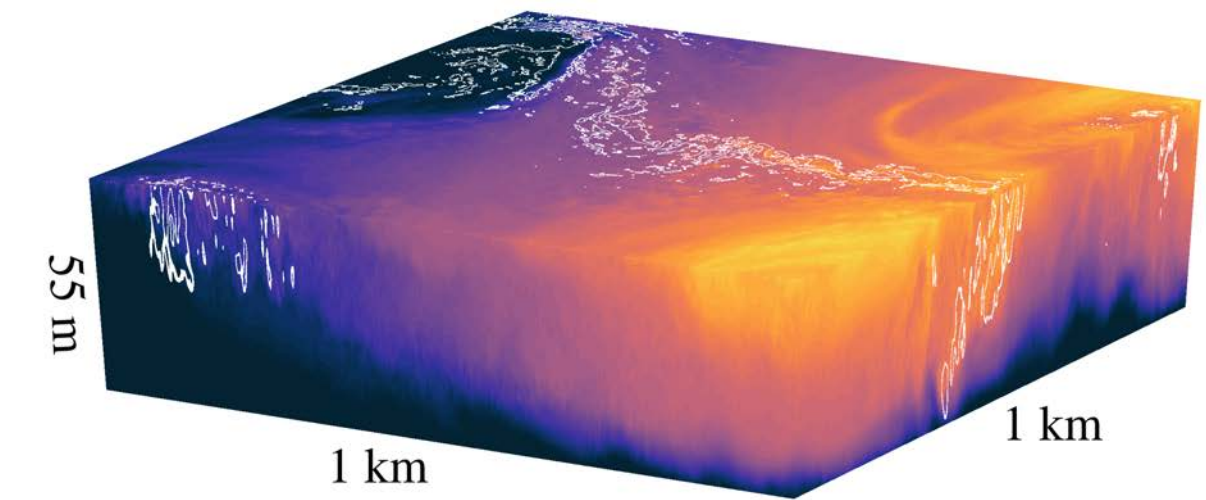
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Baroclinic instability

Geostrophic shear production

Buoyancy production

Current feedback effect on EBF-geostrophic shear production:

$$\overline{GSP}_{\tau'} \sim - \left(\frac{u_*^2}{U_a} \right) U_o \Delta U_g$$

ΔU_g is the change in geostrophic velocity across the mixed-layer depth.

Eddy kinetic energy

Secondary instabilities

3D Turbulence

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More than a length scale: submesoscale air-sea interaction

- ❖ Submesoscale is a **dynamical regime**, may promote the importance of alternate air-sea interaction mechanisms
- ❖ The current feedback on stress acts as a source of **Ekman buoyancy flux**, reduces PV destruction by winds
- ❖ Modifies the **geostrophic shear production**, effects on energetics may be comparable to the surface wind-work ('eddy-killing')

Wenegrat, J., 2023: The surface current feedback on stress modifies the Ekman buoyancy flux. *In review for JPO*.

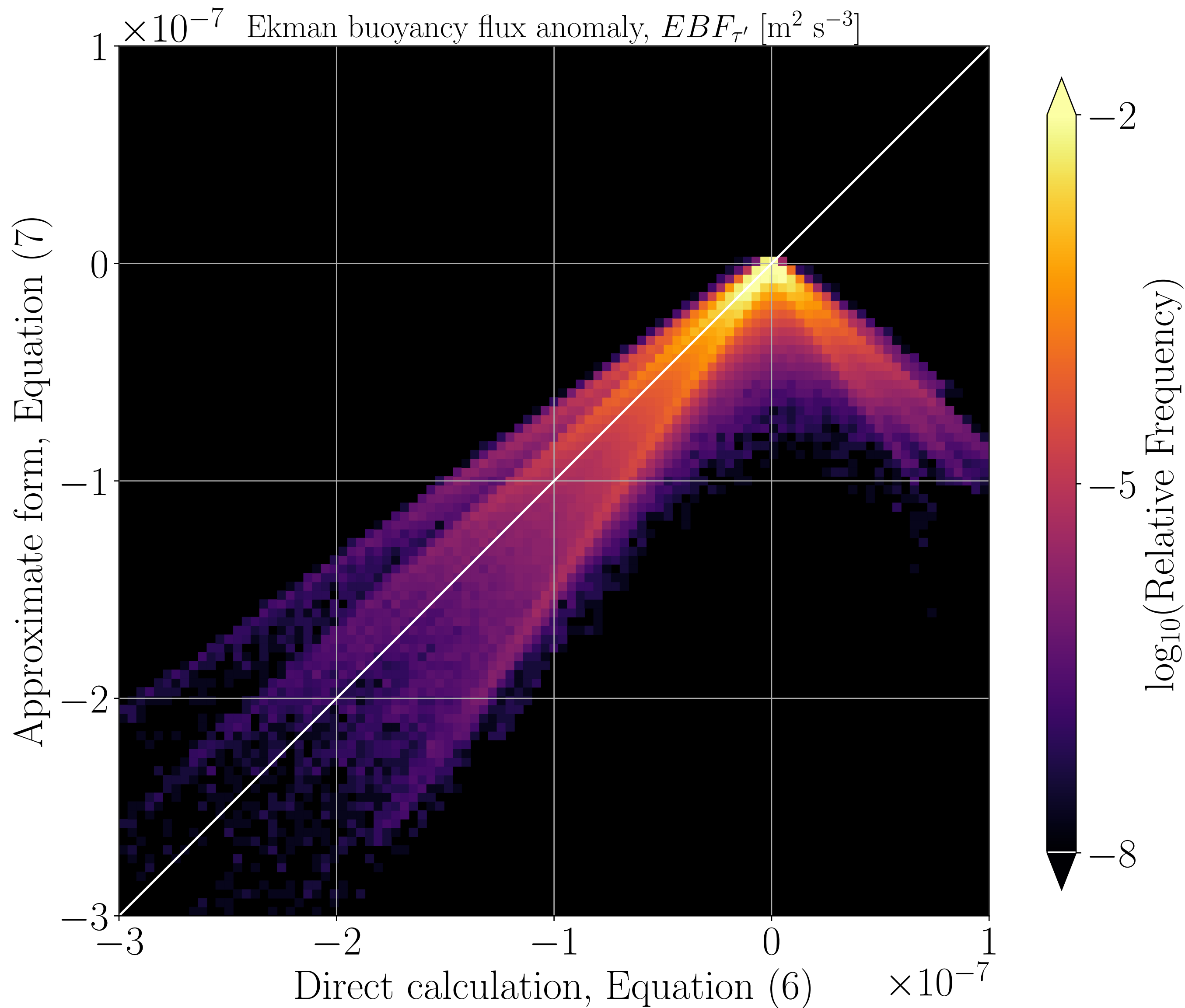
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- ❖ **Open challenges:** model resolution, cross-scale effects (direct and indirect changes), shared parameter dependencies for many submesoscale processes...

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Extras

Current feedback modifies the Ekman buoyancy flux

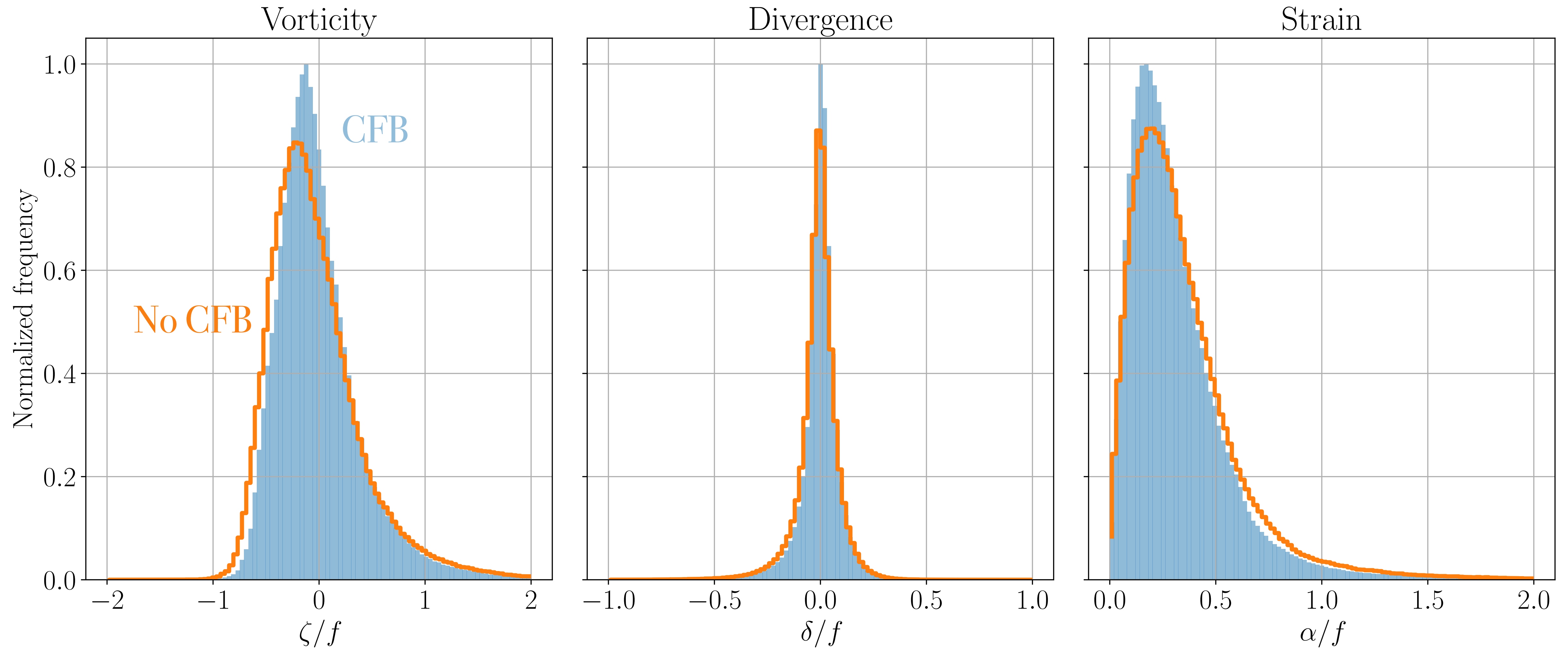


Perturbation Ekman buoyancy flux:

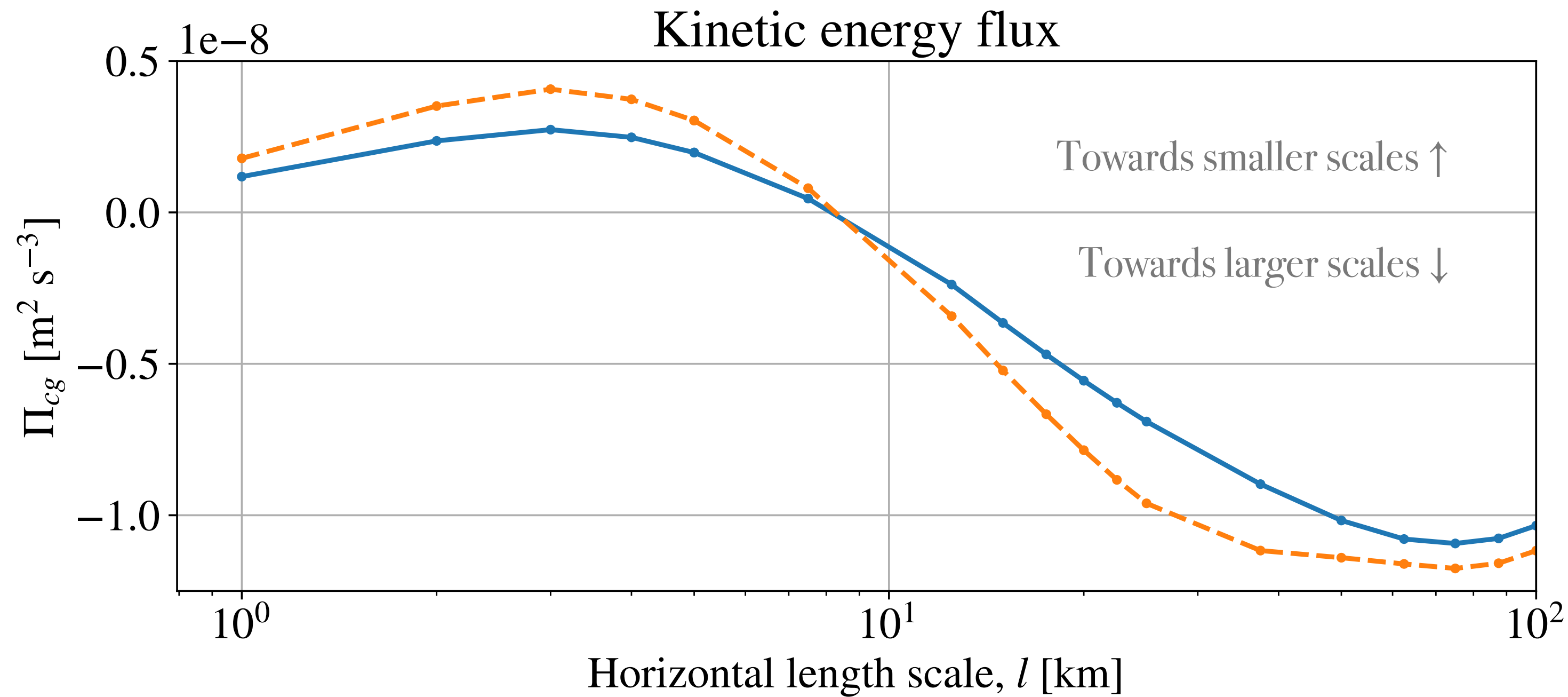
$$EBF_{\tau'} \approx -\frac{3}{2} \frac{\rho_a c_d}{\rho_o f} |\mathbf{U}_a| |\mathbf{u}_o| |\nabla_h b|$$

Suggests the current feedback acts to generate a *source* of buoyancy and PV to the mixed-layer

Current feedback weakens submesoscales



Cross-scale effects of air-sea interaction



- ❖ Air-sea interaction modifies all scales.
- ❖ Many submesoscale processes share parameter dependencies (eg. MLI, EBF, SI, TTW)
- ❖ Indirect effects of air-sea interaction may be as important as direct effects.

Current feedback acts as buoyancy & PV *source*

