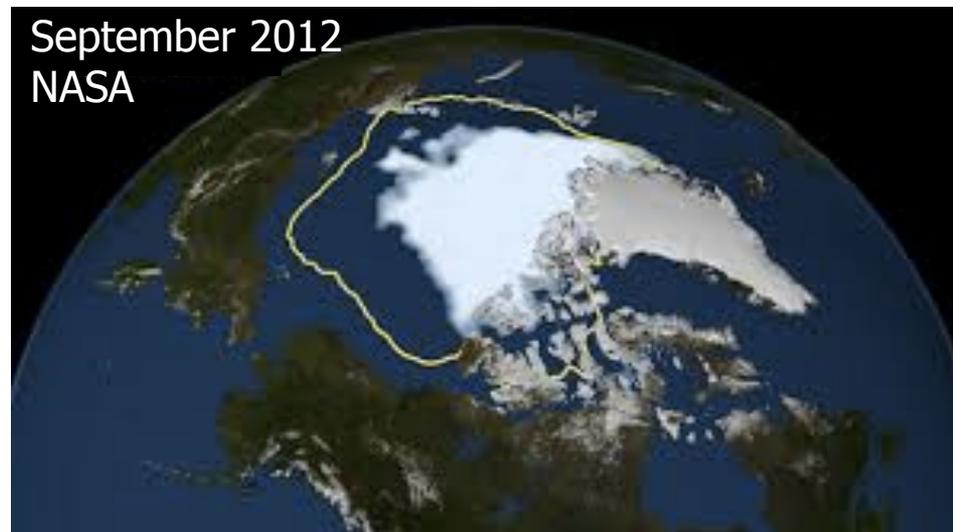


Can Arctic sea ice decline drive a slow-down of the Atlantic Meridional Overturning Circulation (AMOC)?

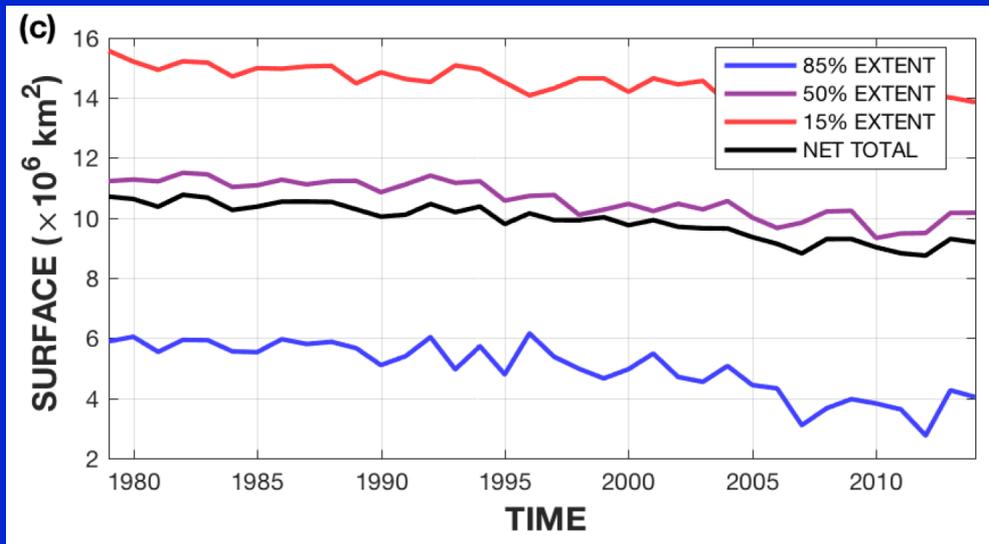
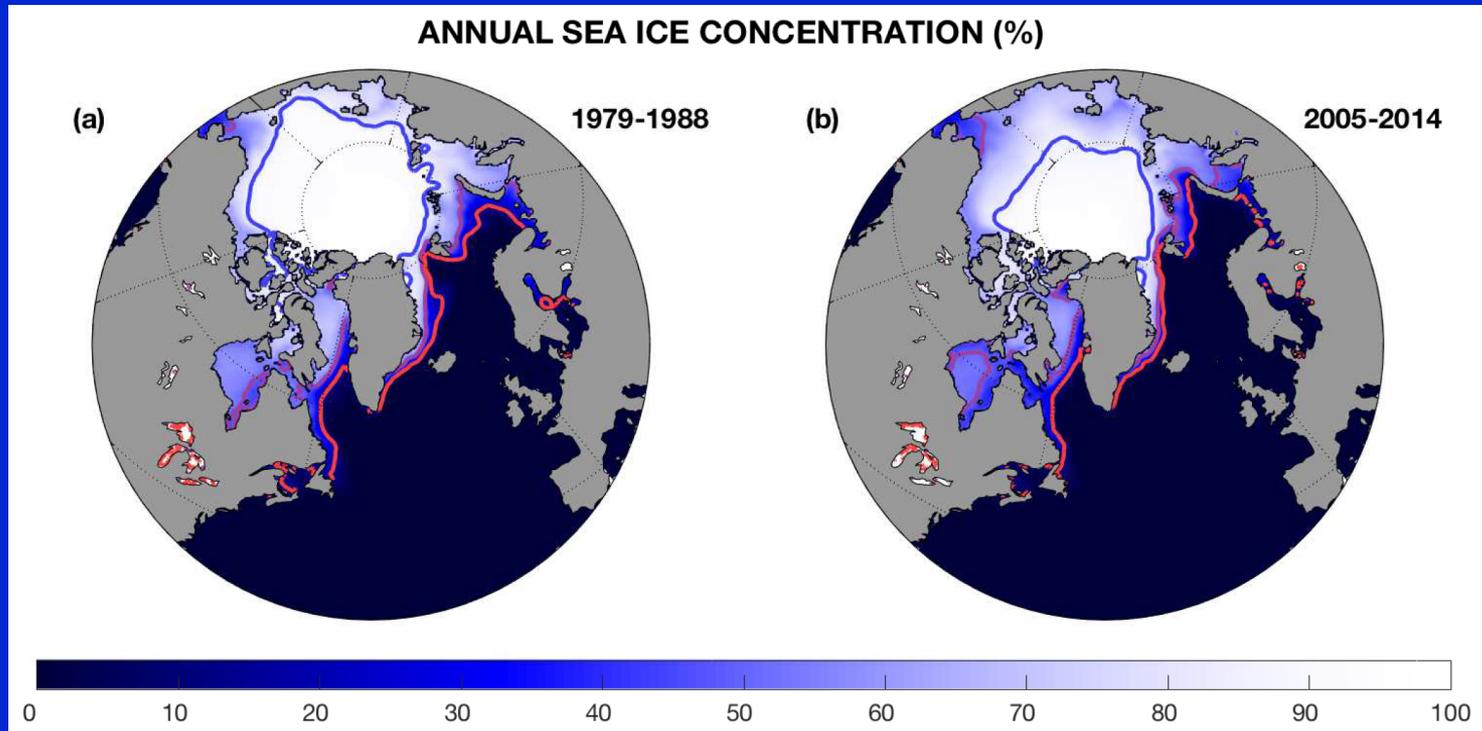
Alexey Fedorov

Yale University



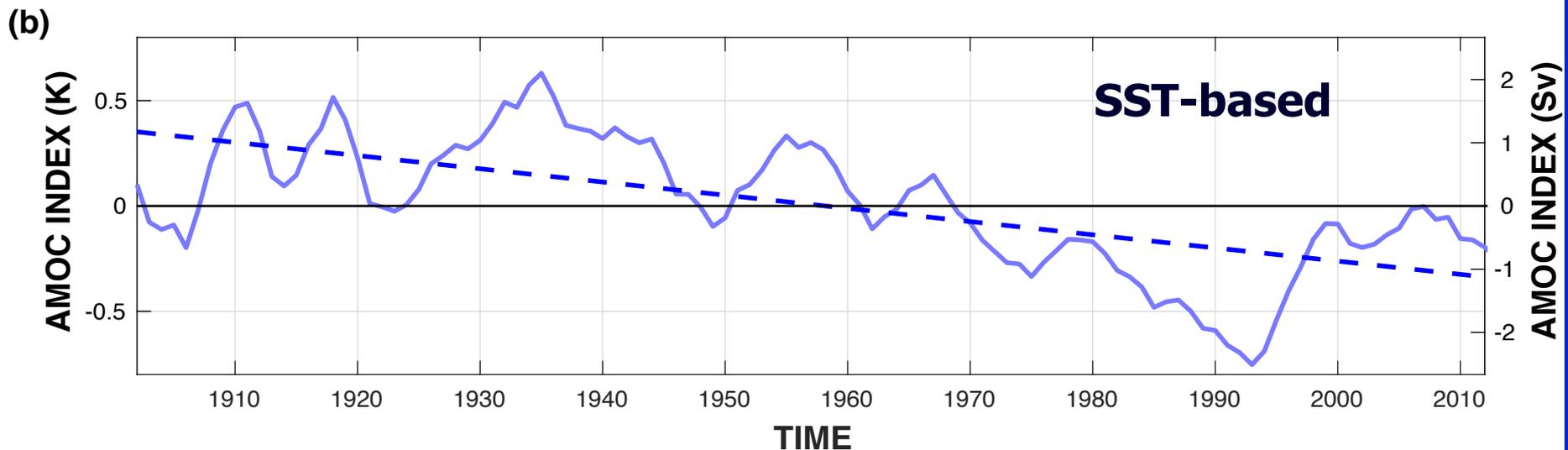
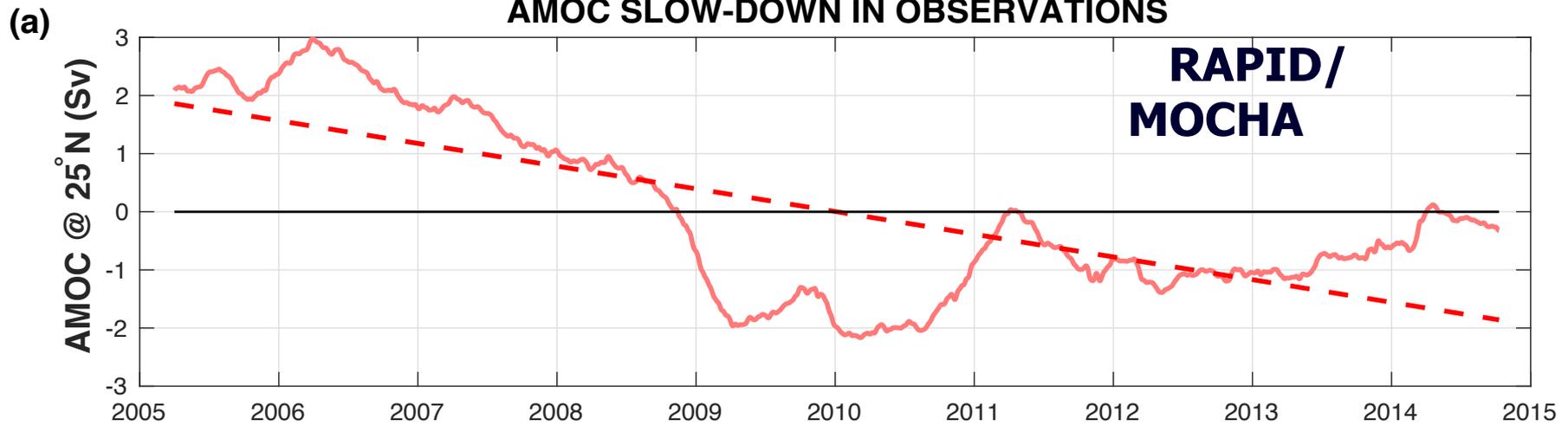
with Florian Sevellec (NOC, Southampton) and Wei Liu (Yale)

Arctic sea ice decline since 1979



NSIDC data

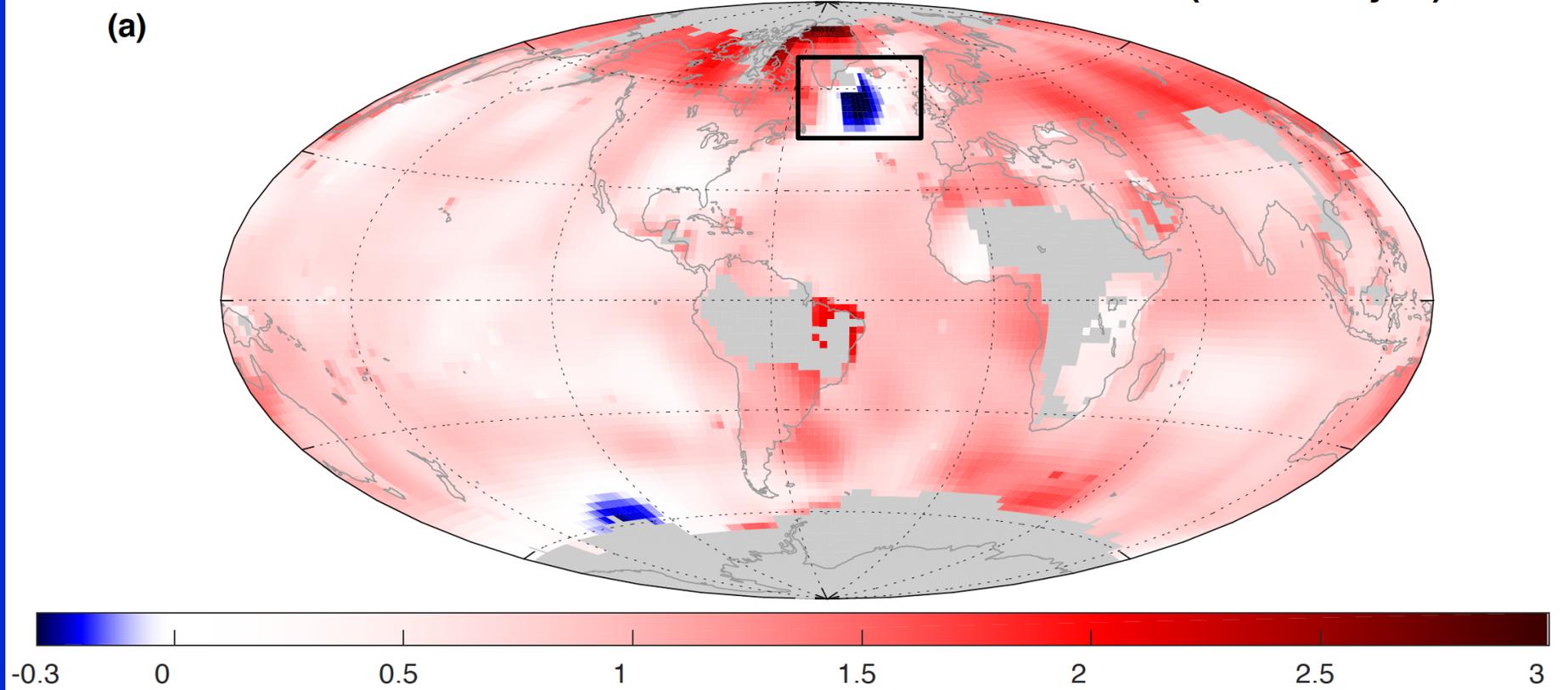
Is the AMOC slowing-down?



The “Warming Hole” in the subpolar North Atlantic

LOCAL TEMPERATURE TREND FROM 1900-2015 ($\times 10^{-2} \text{ K yr}^{-1}$)

(a)



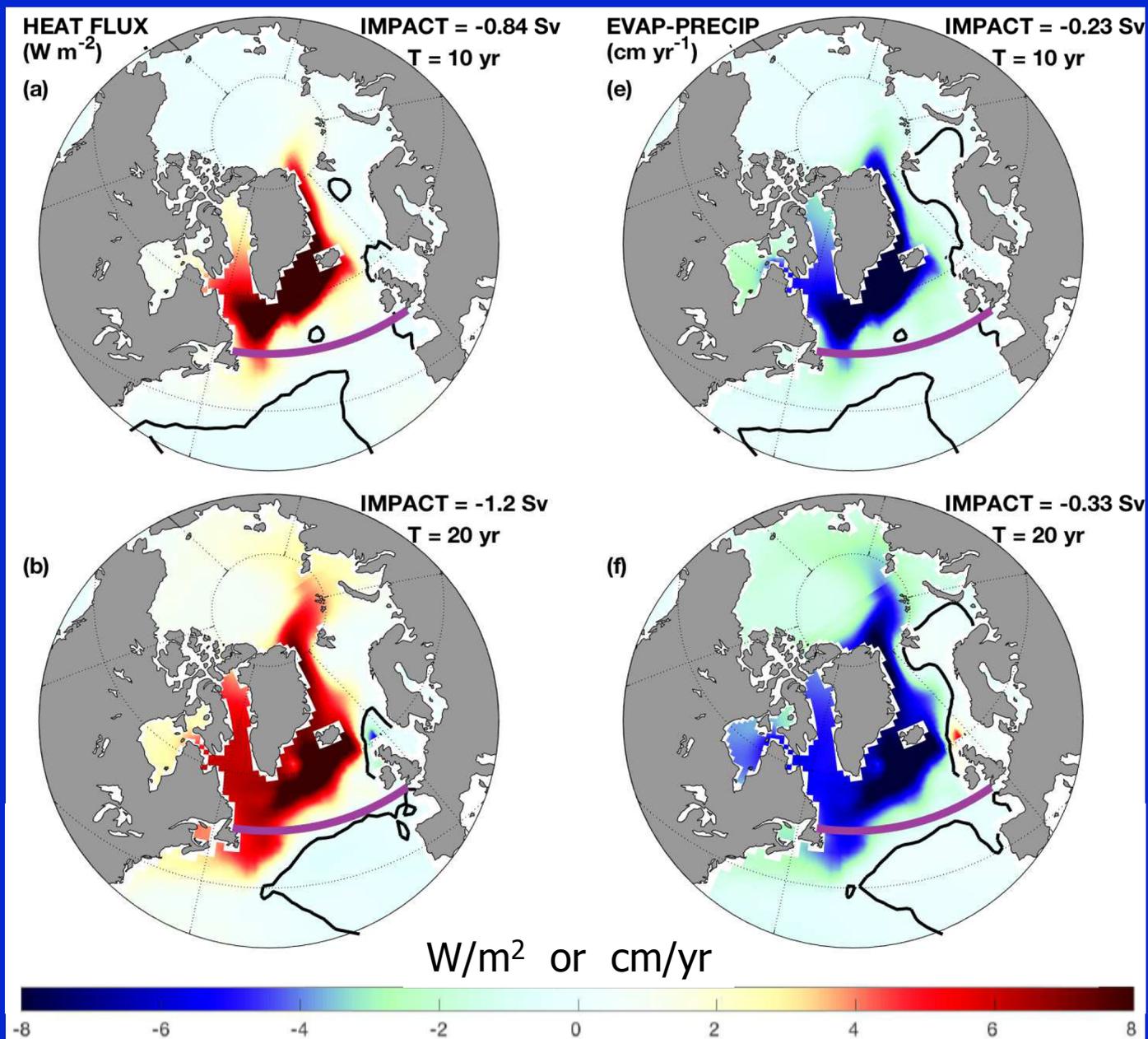
i. Adjoint analysis: AMOC sensitivity to global surface heat and freshwater fluxes

- Ocean model: NEMO and its tangent linear and adjoint versions
- Method:
 - computing optimal flux perturbations (maximizing AMOC volume transport) via an optimization procedure with Lagrange multipliers
- Flux durations are varied in the range 1-200 years

Optimal heat and freshwater fluxes for the AMOC

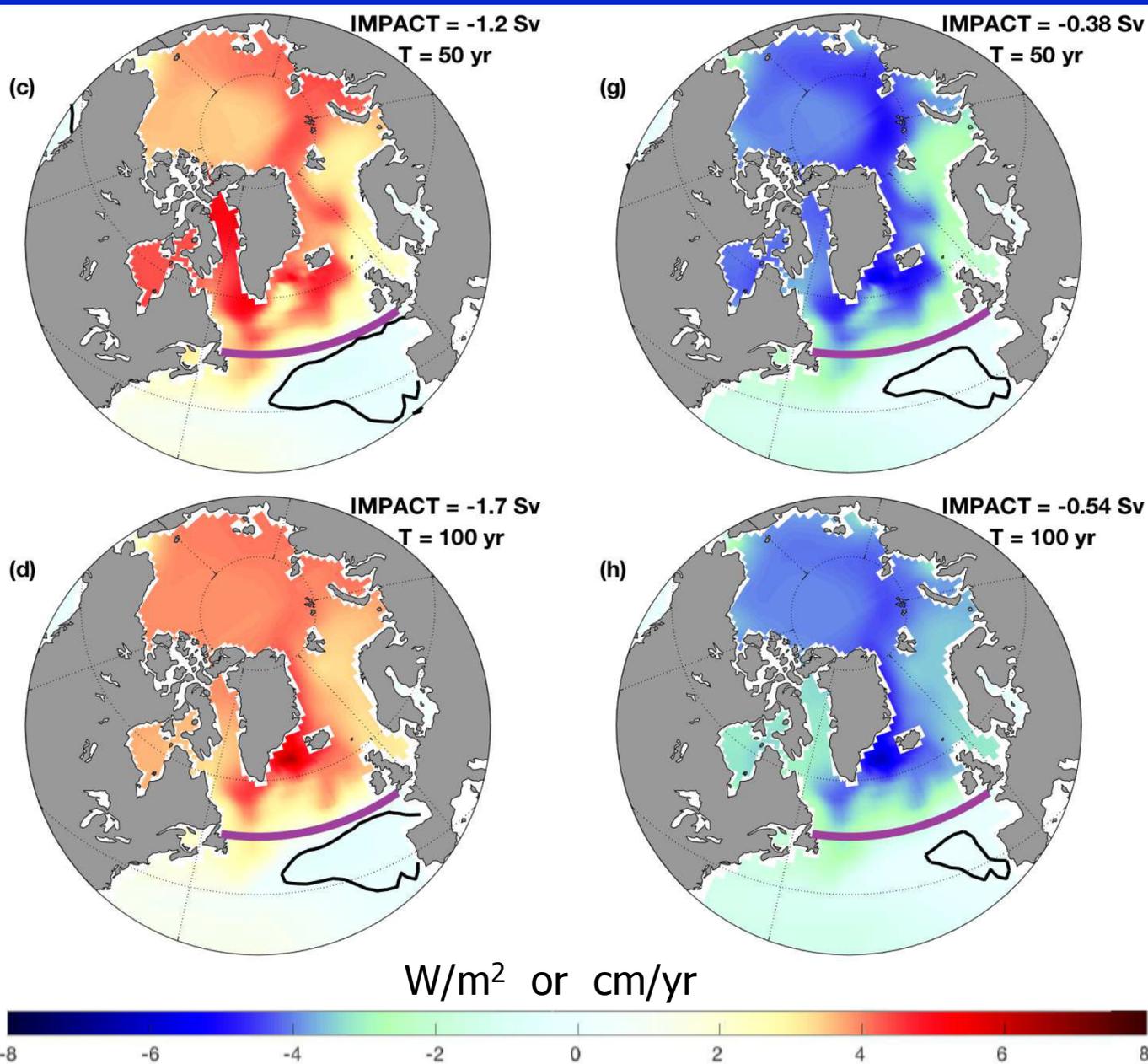
Flux
duration:
10 years

Flux
duration:
20 years



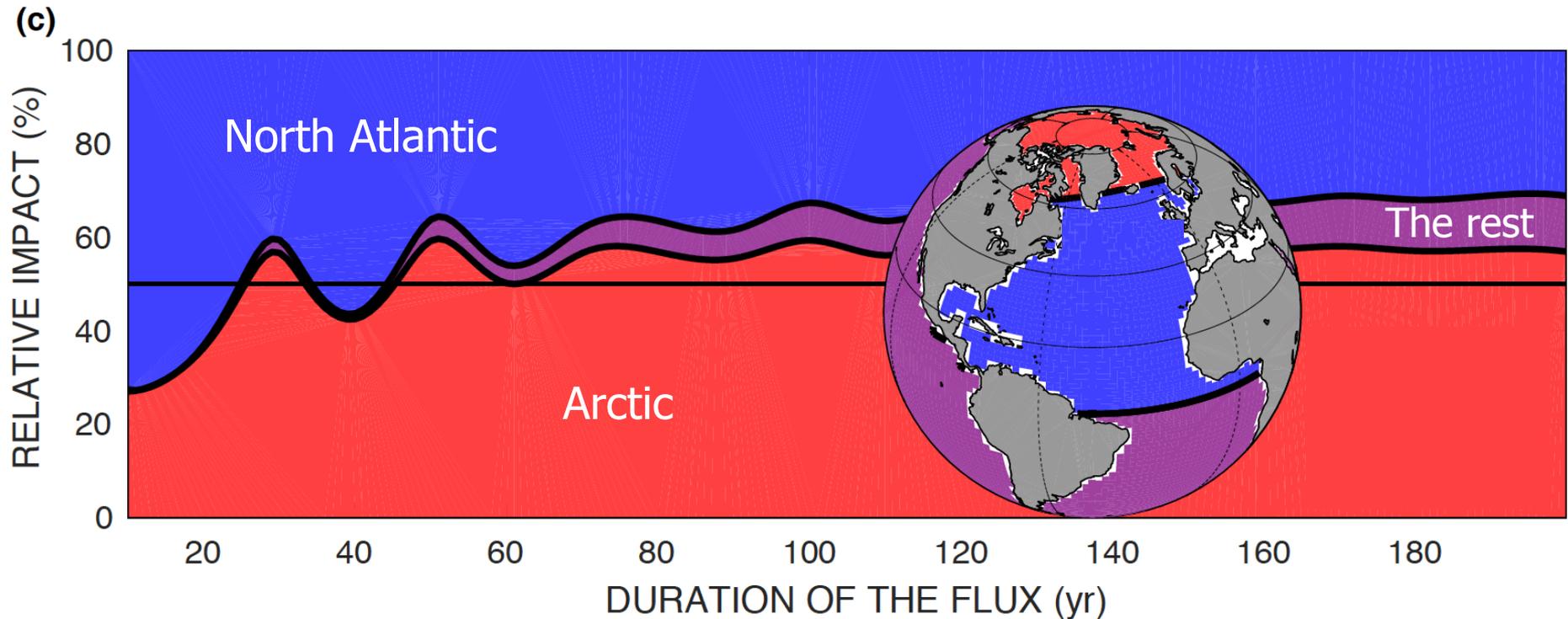
Optimal heat and freshwater fluxes for the AMOC

Flux
duration:
50 years



Flux
duration:
100 years

Relative impacts of different regions on the AMOC weakening for different flux durations



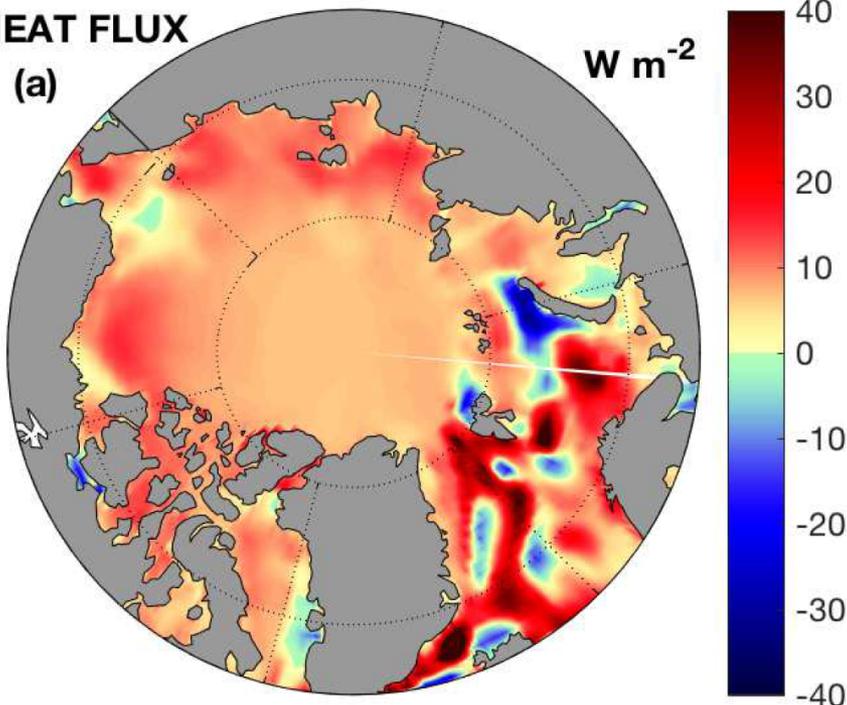
“Observed” surface flux anomalies and AMOC response

RECONSTRUCTED CHANGES IN OCEAN SURFACE FLUXES

HEAT FLUX

(a)

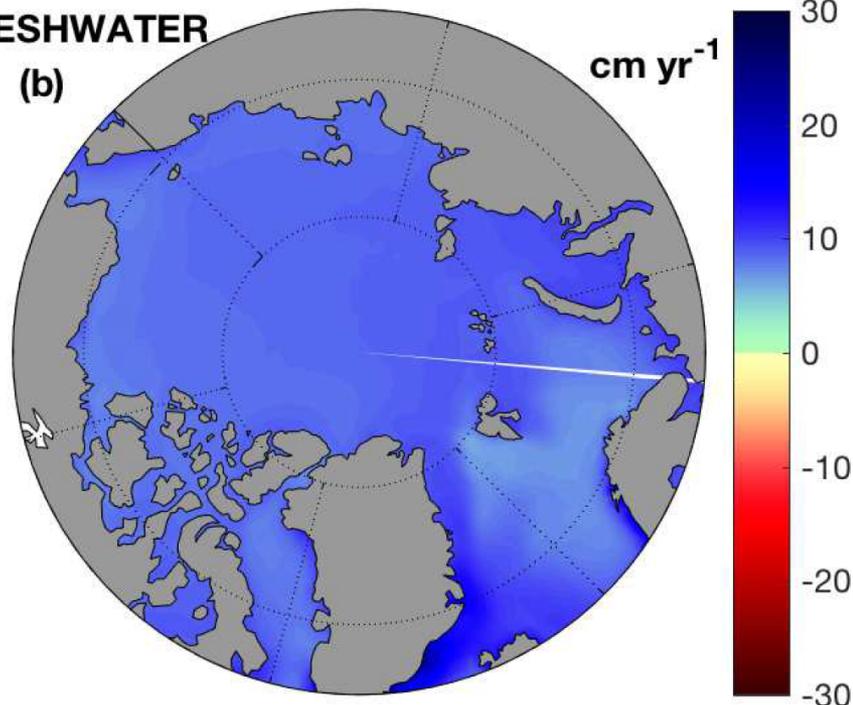
$W m^{-2}$



FRESHWATER

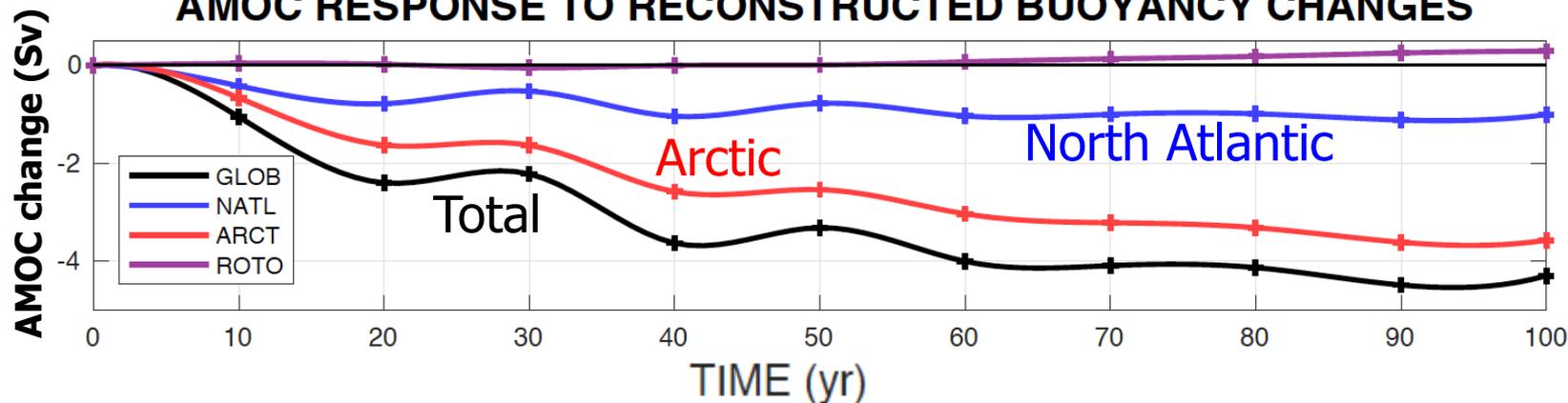
(b)

$cm yr^{-1}$



(c)

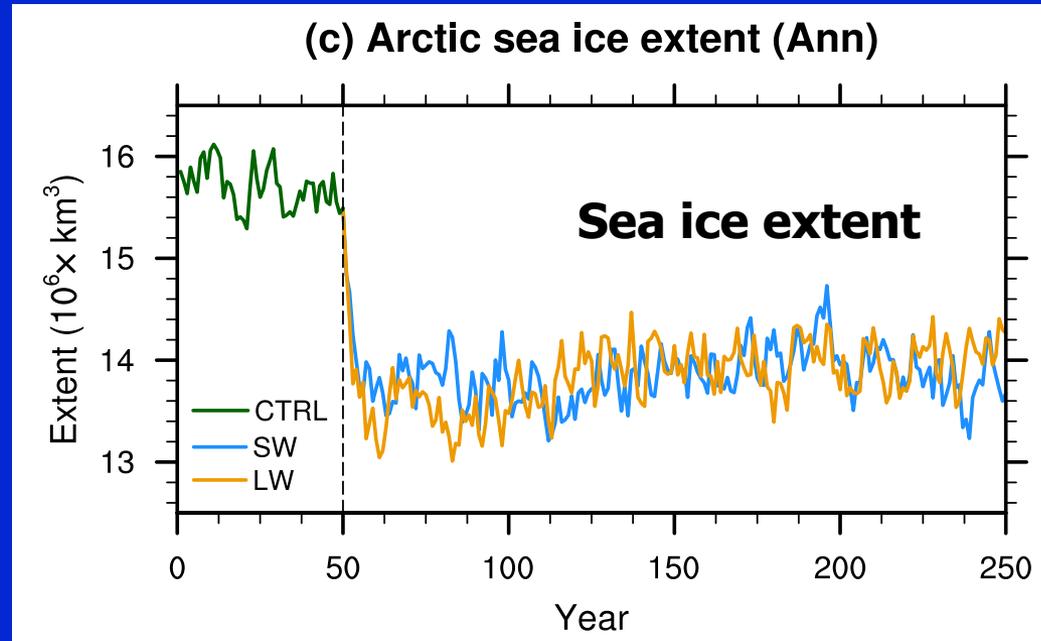
AMOC RESPONSE TO RECONSTRUCTED BUOYANCY CHANGES



ii. Idealized numerical experiments forcing sea ice contraction

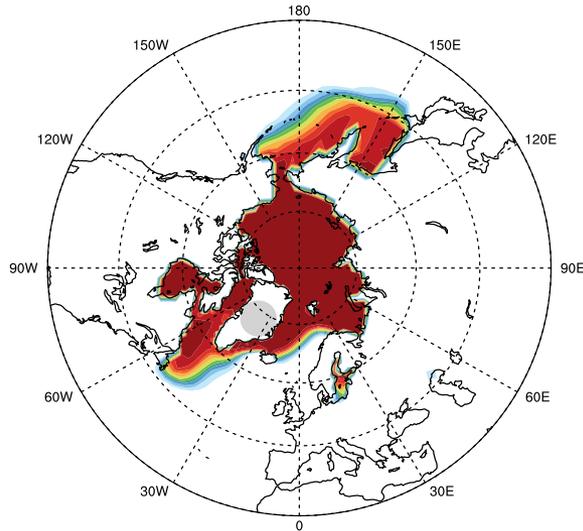
- Climate model: CESM-T31
- Methods:
 - (1) reducing albedo of sea ice (SW experiments)
 - (2) reducing effective emissivity of sea ice (LW experiments)
- 200-year perturbation experiments

Changes in sea ice and the AMOC response

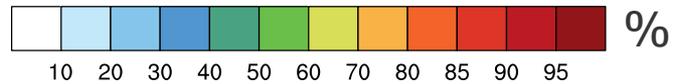
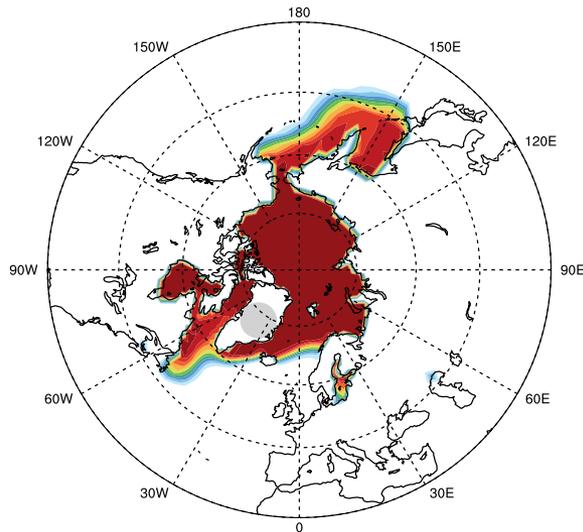


Simulated sea ice retreat (SW experiment)

(a) Sea ice extent (%) (Mar, Control)



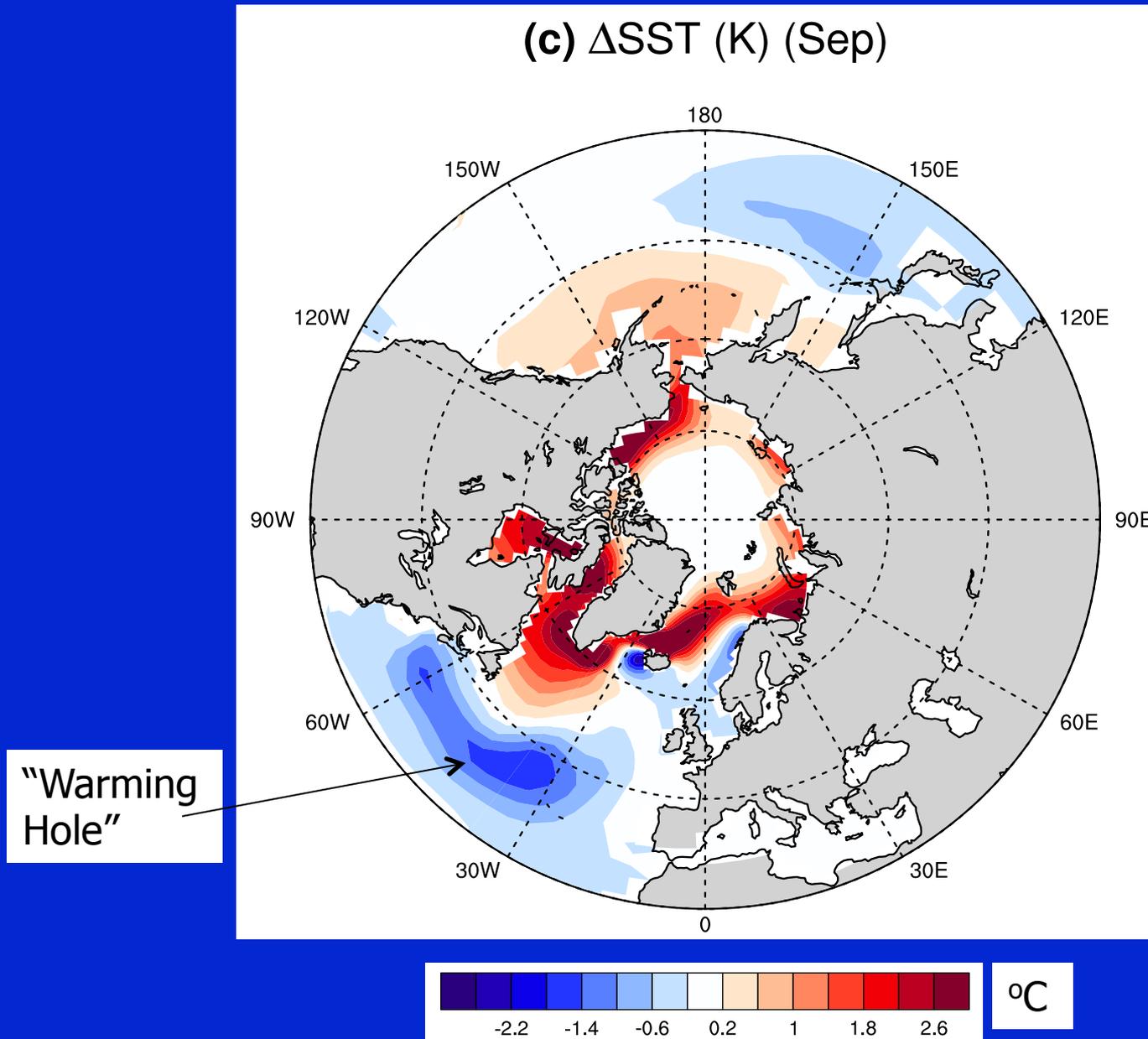
(c) Sea ice extent (%) (Mar, Ice)



Winter, CTRL

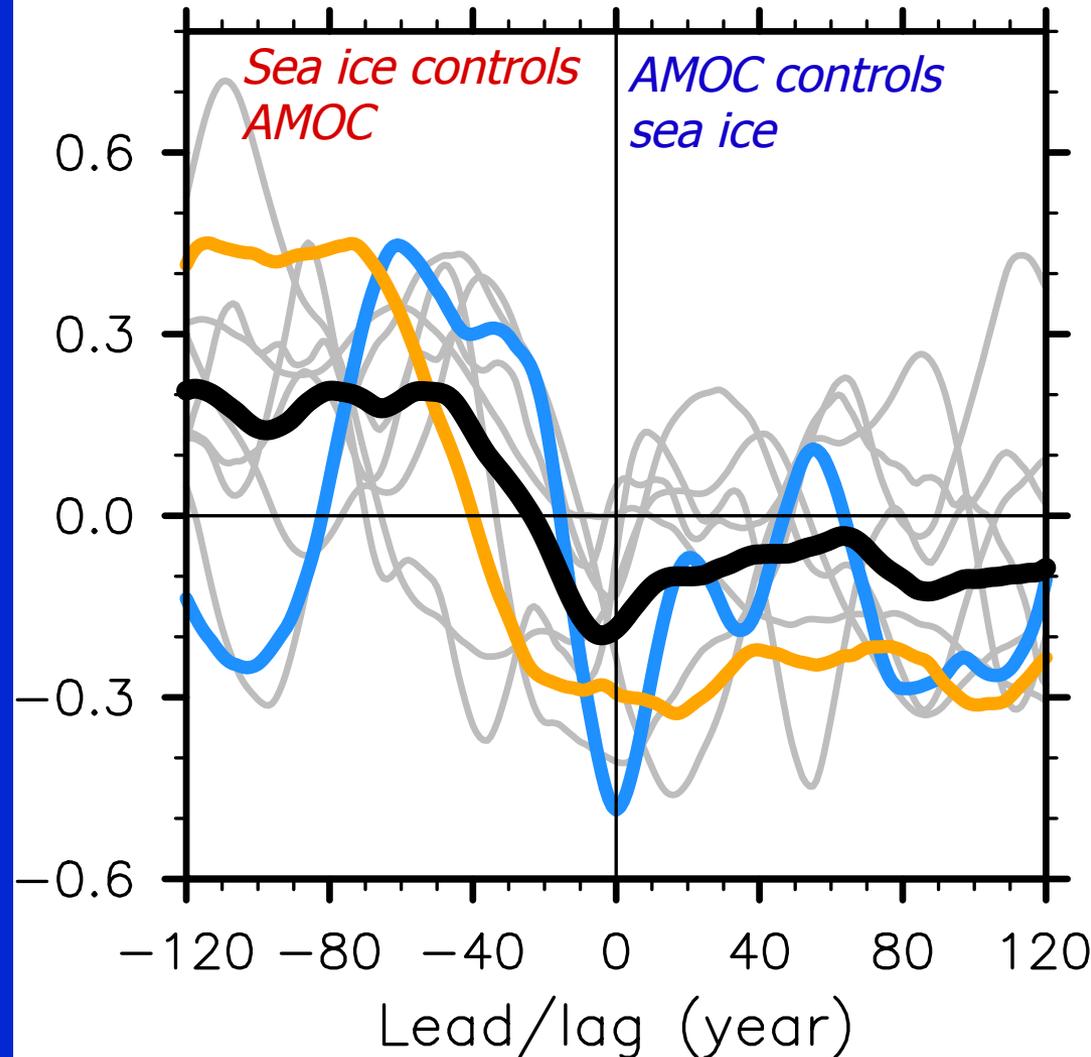
Winter,
Perturbed
Experiment

SST anomaly induced by sea ice retreat (SW)



iii. Model intercomparison: CMIP5, CESM1-LE, CESM-T31

(c) Corr (sea ice, AMOC)



Lag-correlations
between Arctic sea ice
and AMOC variations

*Negative lag with positive
correlations = sea ice leads
AMOC variations*

CMIP5 models (gray),
CESM-Large Ensemble (blue),
CESM-T31 (orange),
and ensemble mean (black)

Preindustrial control runs (500
years+)

Summary

- On decadal timescales, buoyancy anomalies in the subpolar North Atlantic (the Irminger and Labrador Seas) drive AMOC weakening
- On multi-decadal timescales (longer than 20 years), buoyancy anomalies originating in the Arctic ocean become important
- Sea ice decline exposes the Arctic ocean to additional sunlight and freshwater, generating such buoyancy anomalies that weaken the AMOC and potentially contributing to the “Warming Hole”
- These conclusions are supported by (1) adjoint sensitivity analysis, (2) idealized experiments forcing sea ice decline, (3) control simulations of CMIP5 models, and (4) historical/future simulations within the CESM large ensemble
- The recent AMOC slow-down appears to be consistent with this mechanism (sea ice decline weakens the AMOC)

References

Sevellec, F., Fedorov, A.V., and Liu, W. 2017: Arctic sea ice decline weakens the Atlantic meridional overturning circulation. In revision for Nature Climate Change

Sevellec, F., and Fedorov, A.V., 2016: AMOC sensitivity to surface buoyancy fluxes: Stronger ocean meridional heat transport with a weaker volume transport? Climate Dynamics, doi 10.1007/s00382-015-2915-4.

CMIP5, CESM-LE & Observations

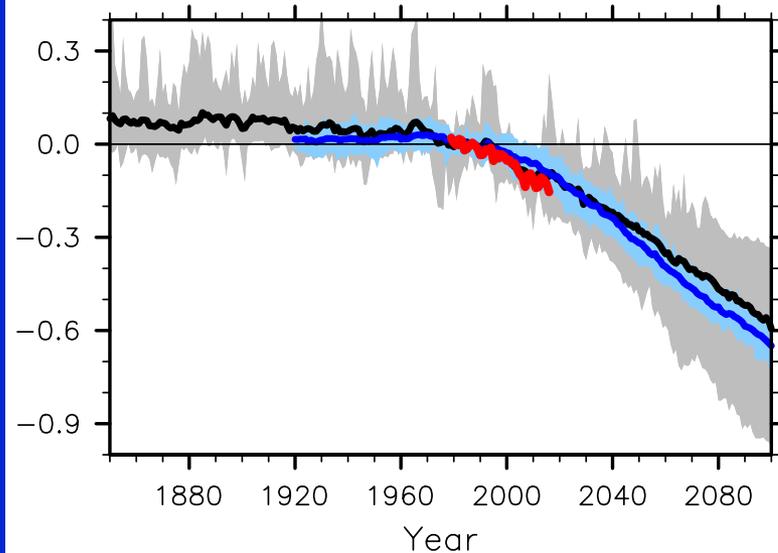
Gray: CMIP5 models
Black: ensemble mean
Light blue: CESM-LE:
ensemble mean
(scenario: RCP 8.5)

Red: observations

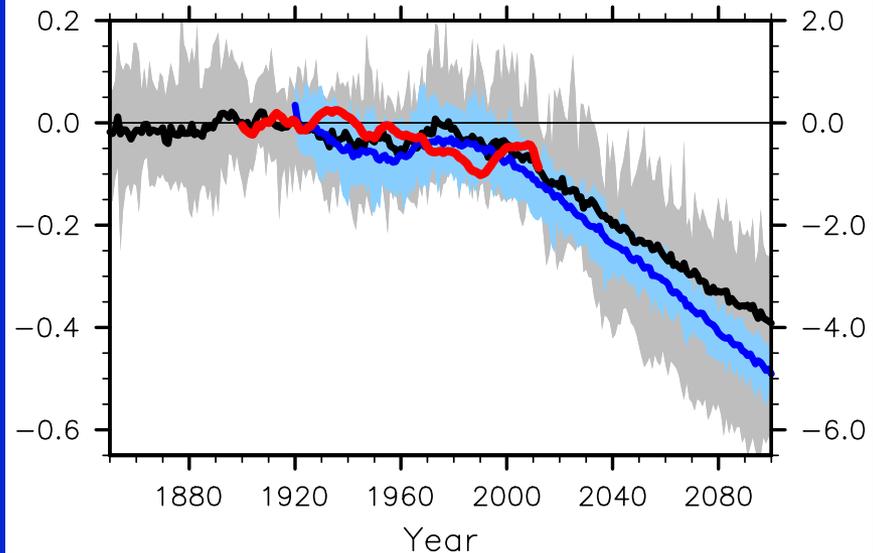
Ice extent is normalized
by 1979-1989 average

AMOC index is
normalized by
the 1900-1919 mean

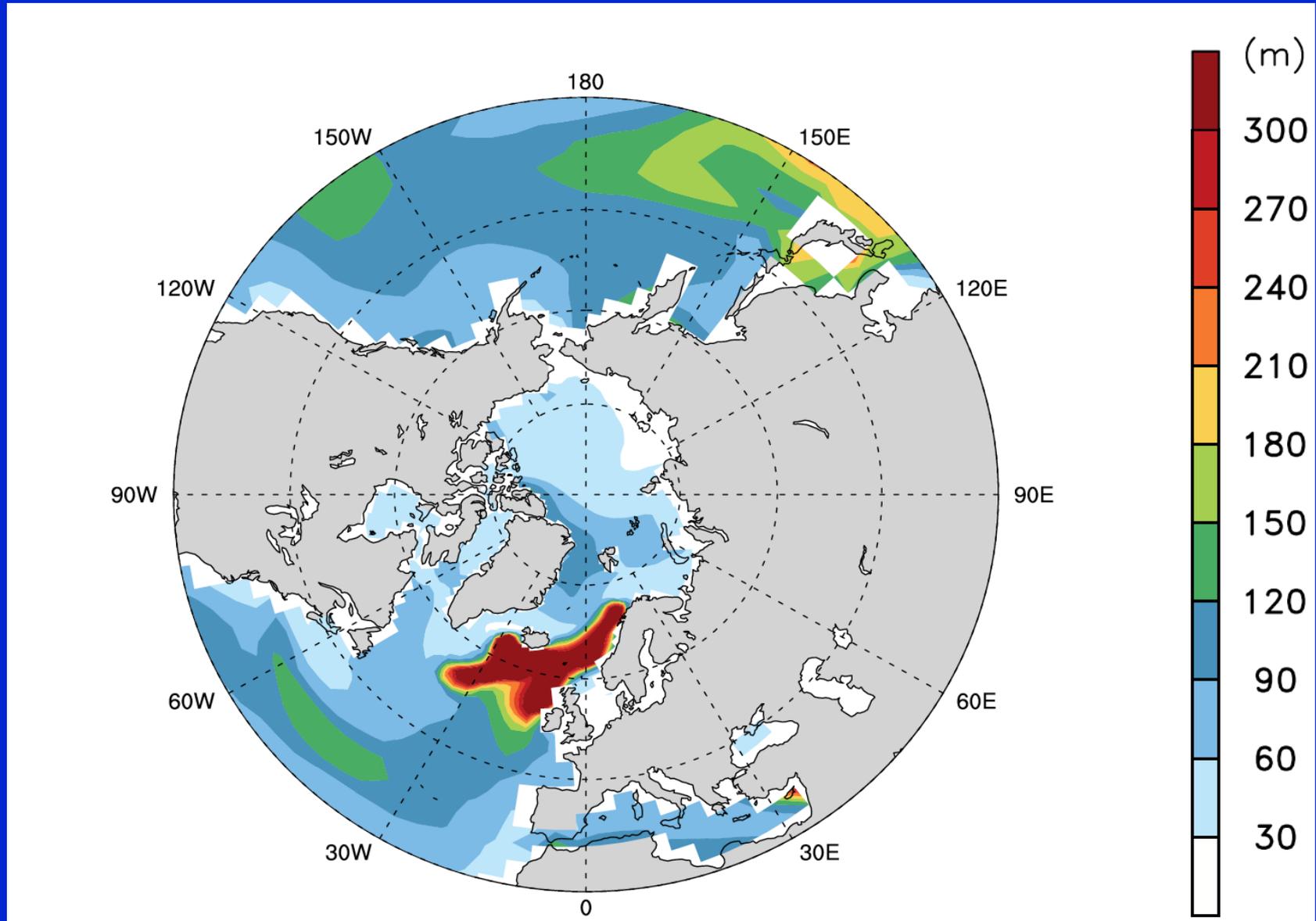
(a) Arctic sea ice extent



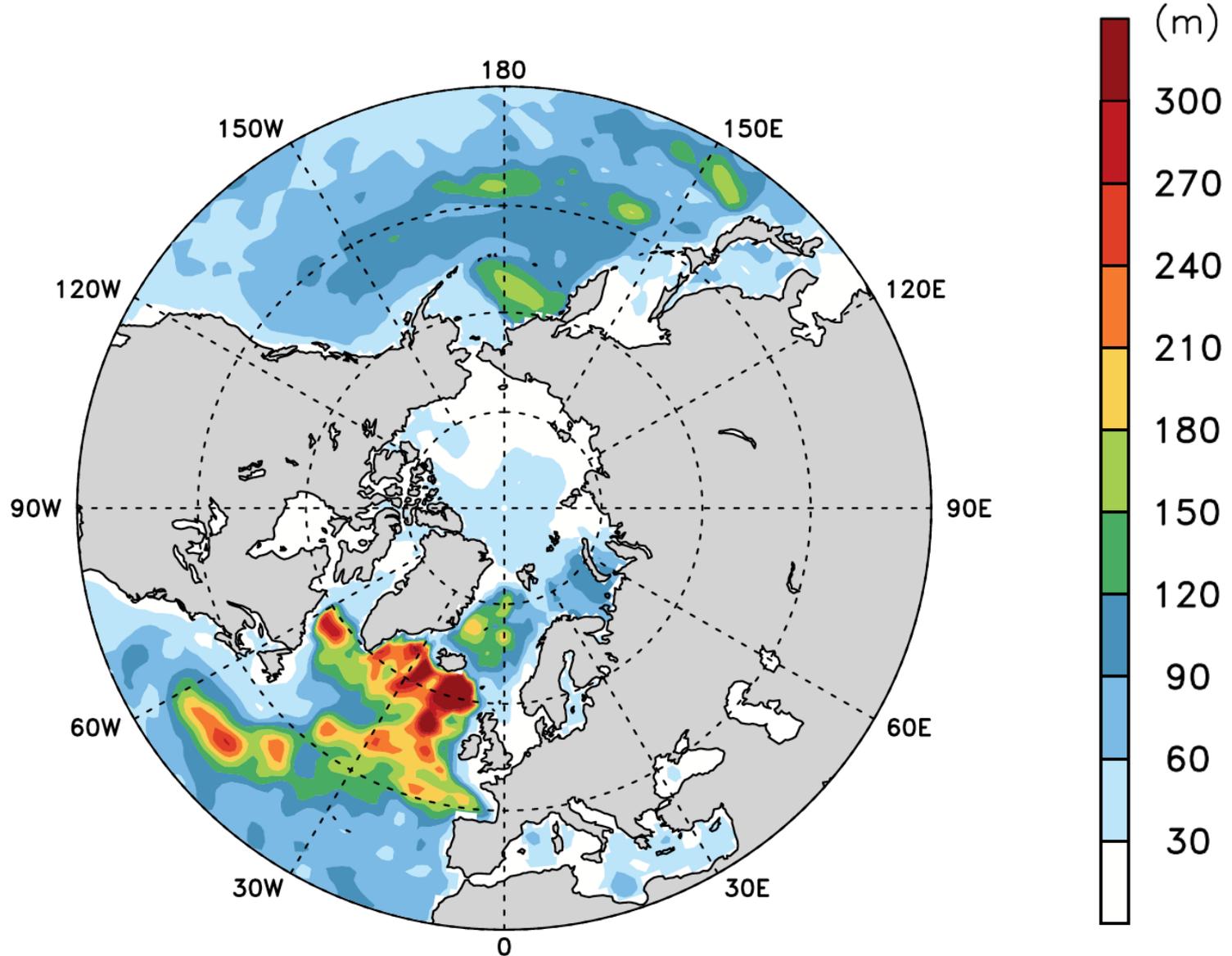
(c) AMOC and AMOC index



March mixed layer depth (CESM_T31)

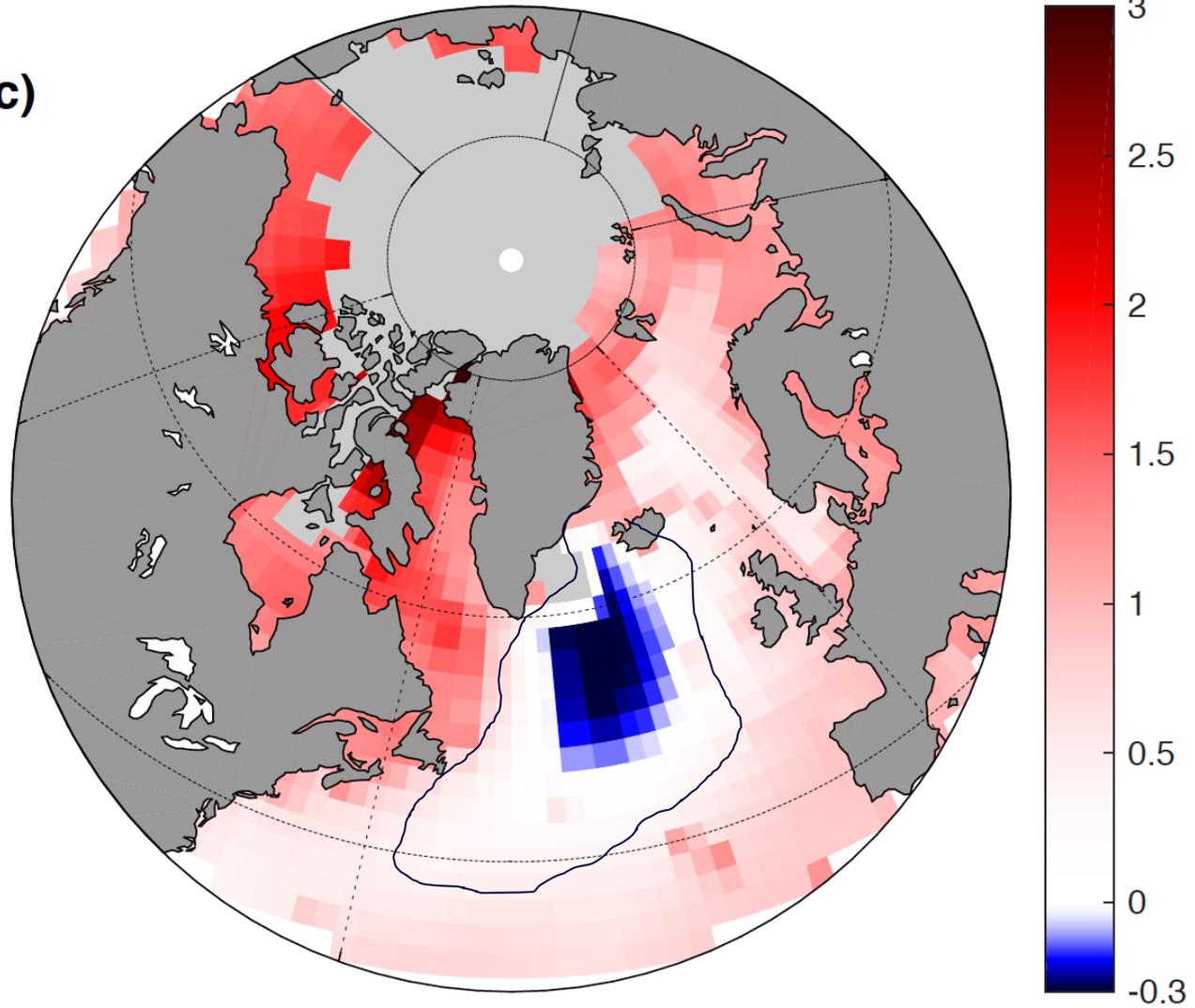


March MLD (Observations: MIMOC)

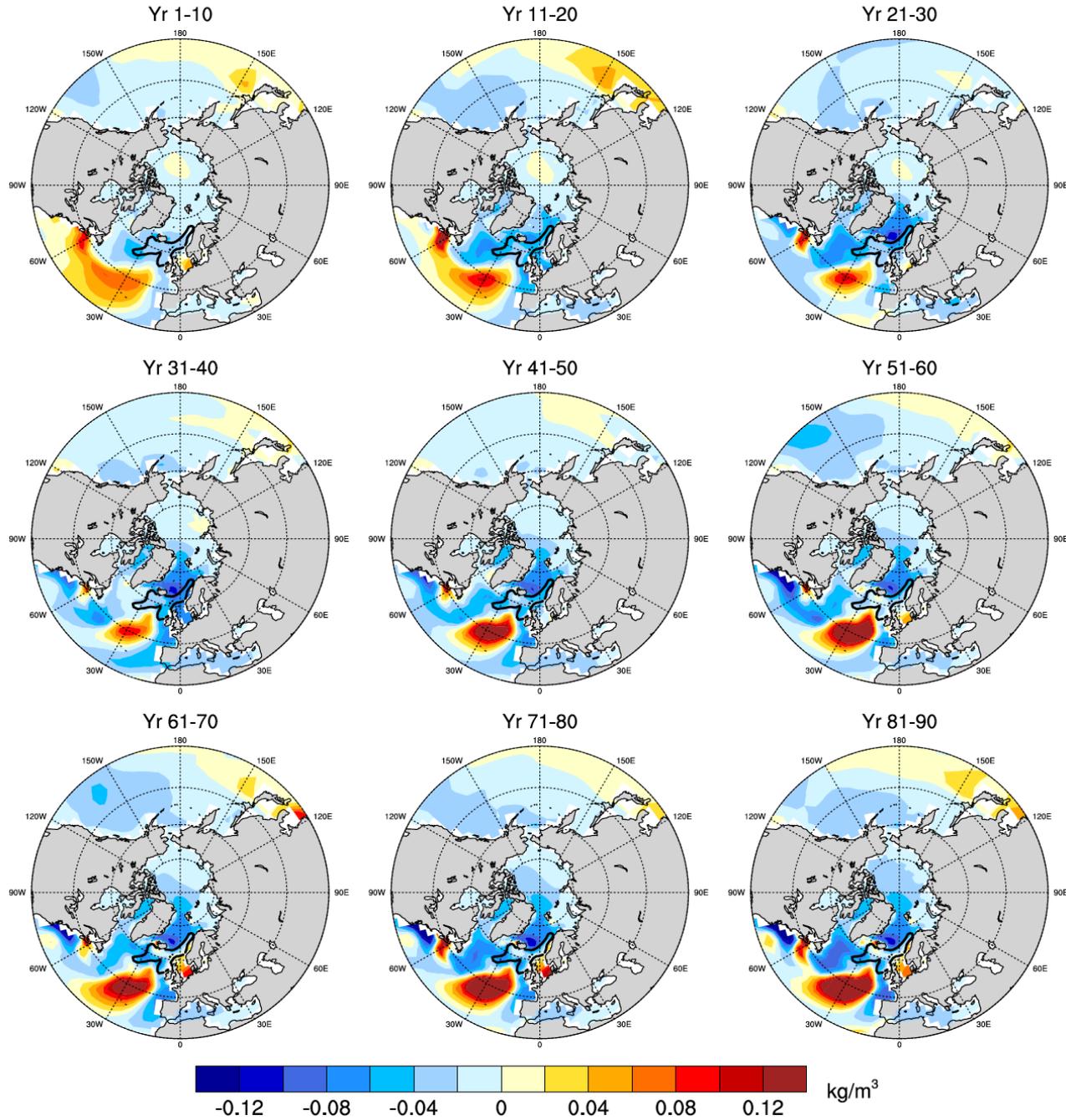


LOCAL TEMPERATURE TRENDS FOR 1900-2015 ($\times 10^{-2} \text{ }^\circ\text{C yr}^{-1}$)

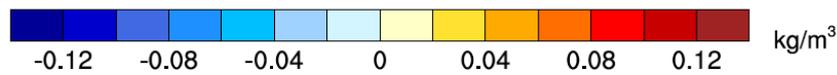
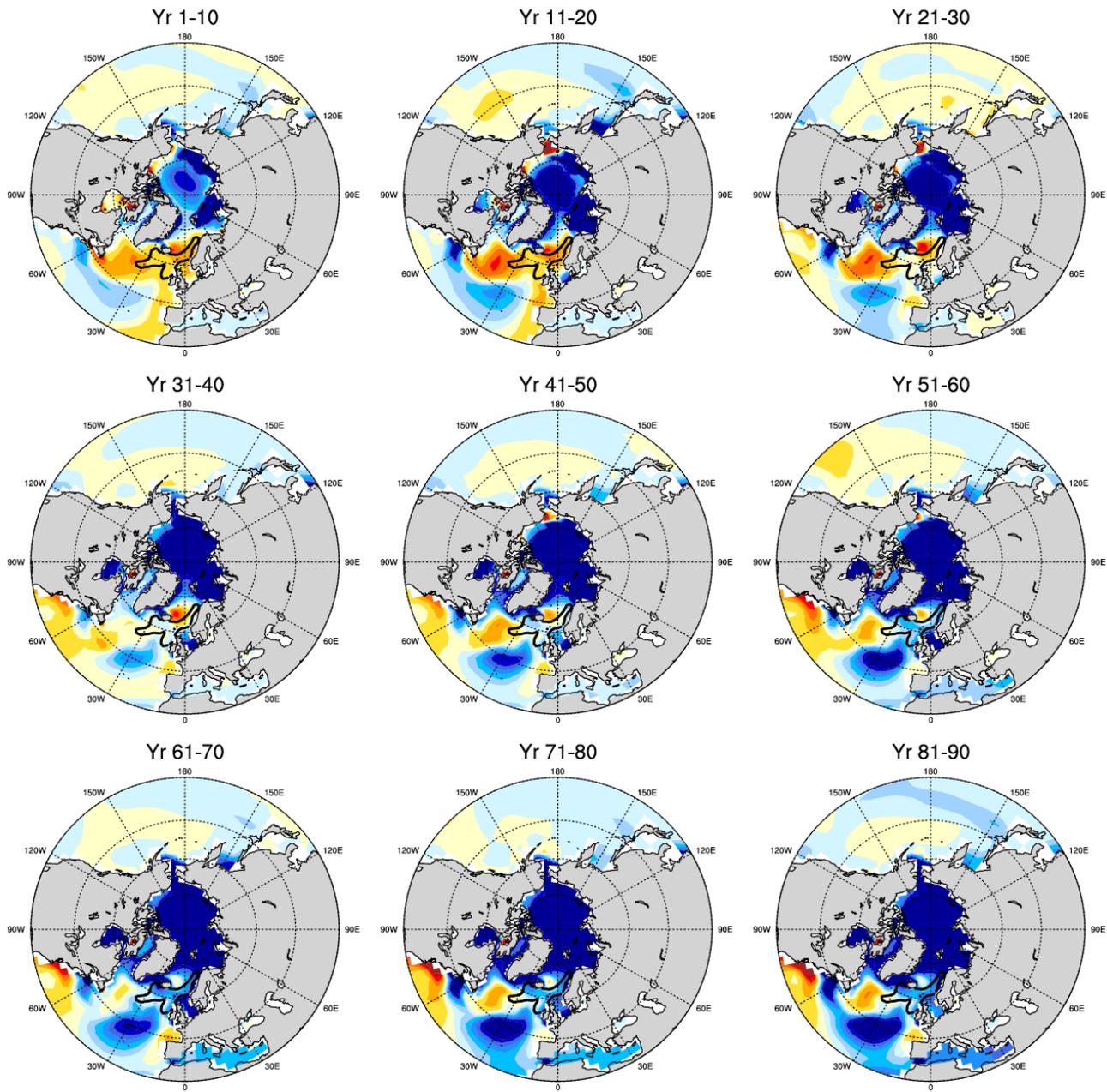
(c)



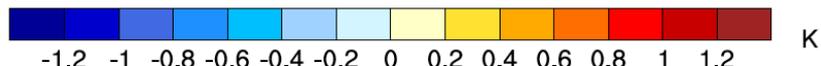
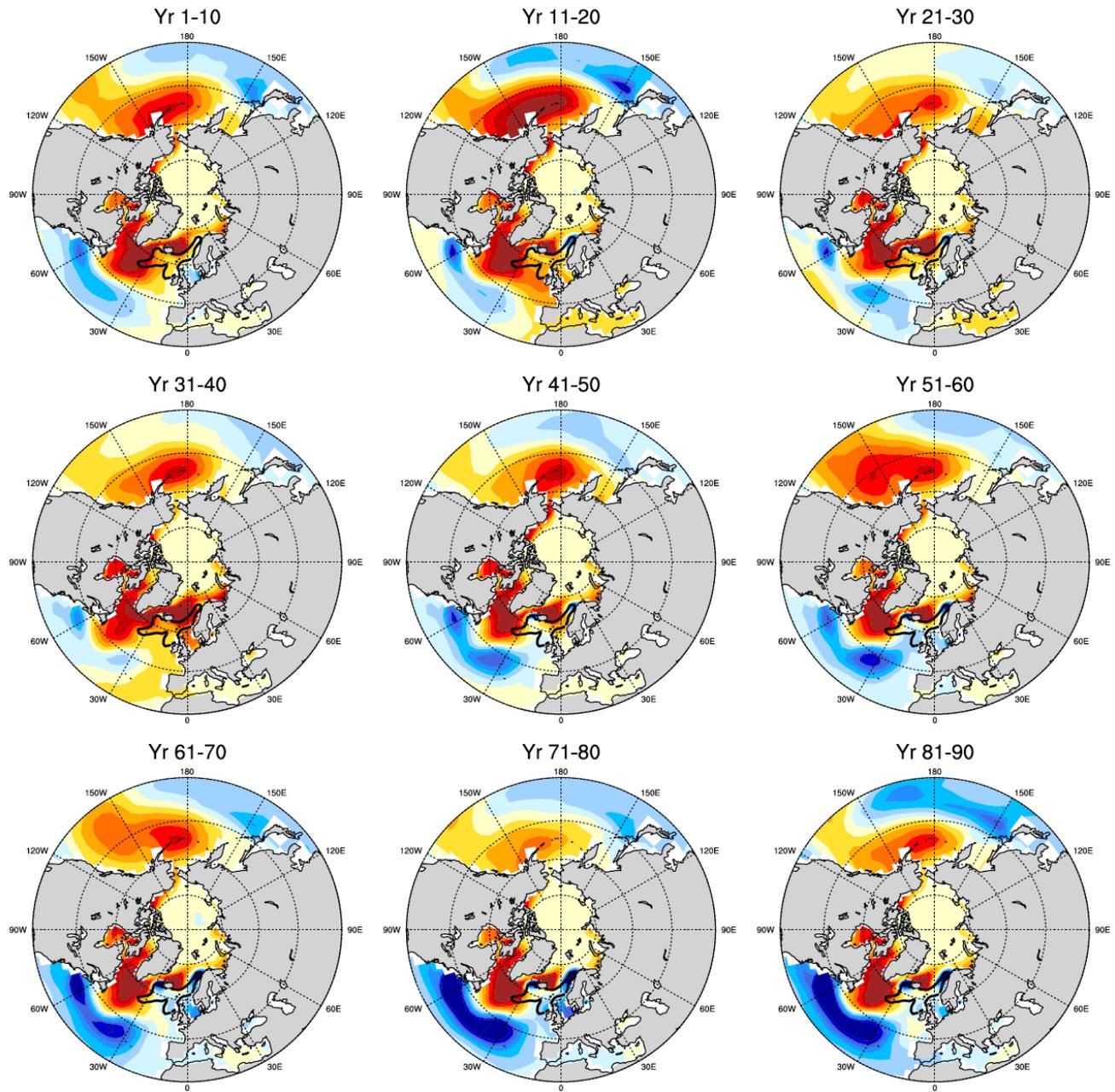
LW experiment, $\Delta\rho_T$ (upper 1000m)



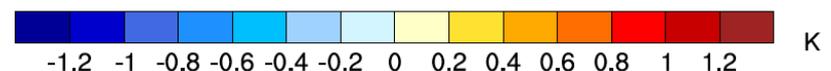
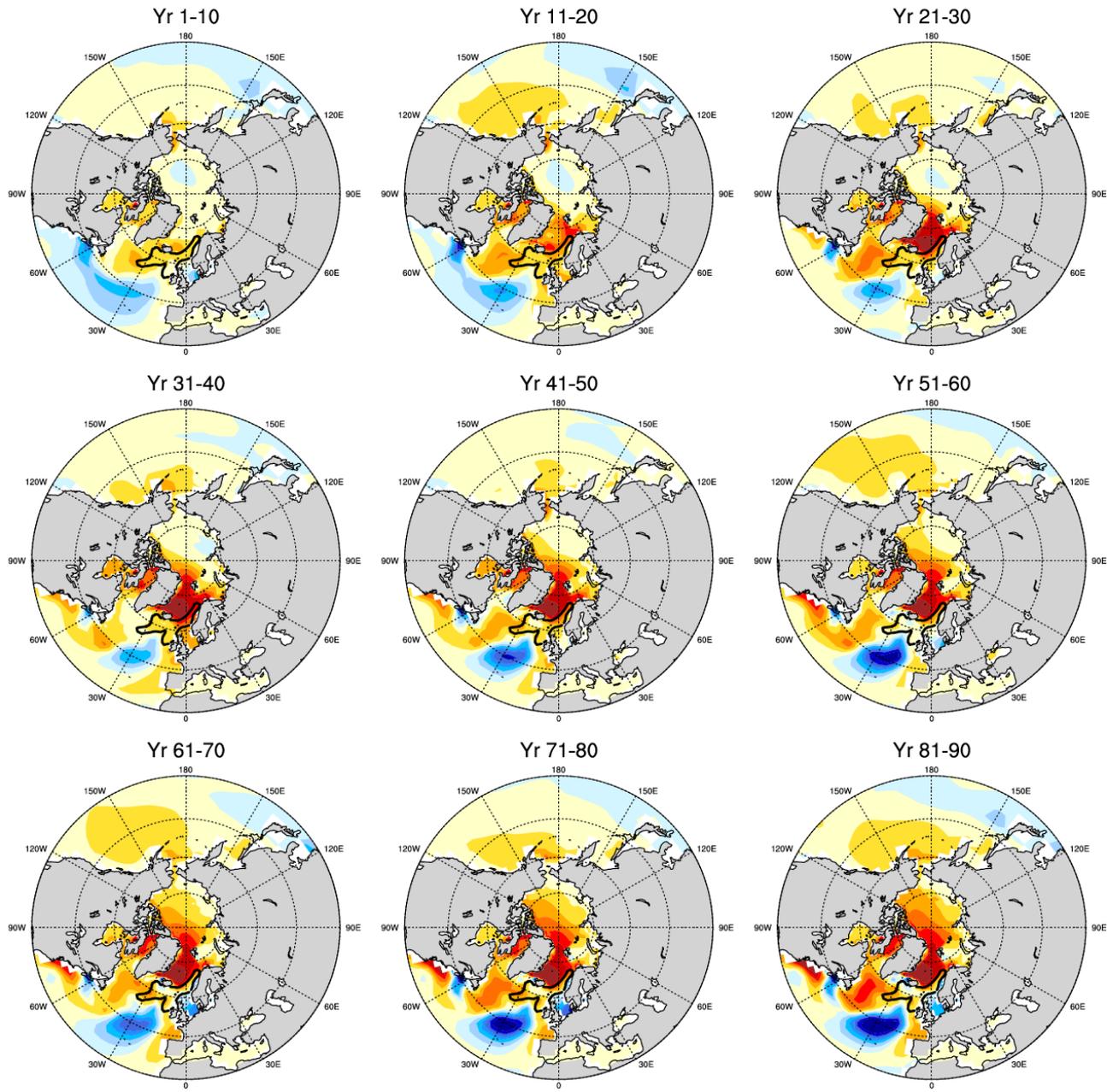
LW experiment, $\Delta\rho_S$ (upper 1000m)



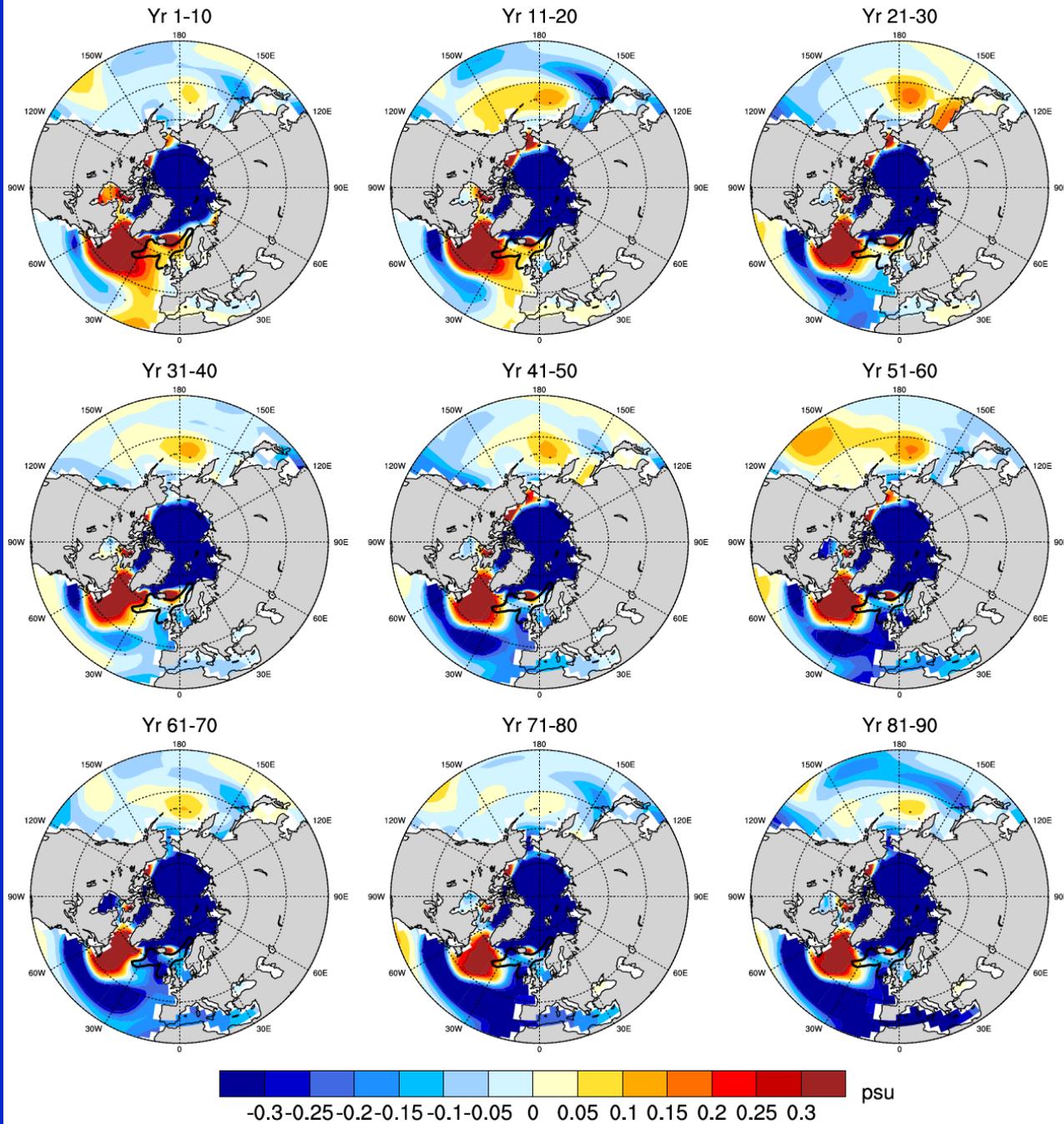
LW experiment, ΔSST



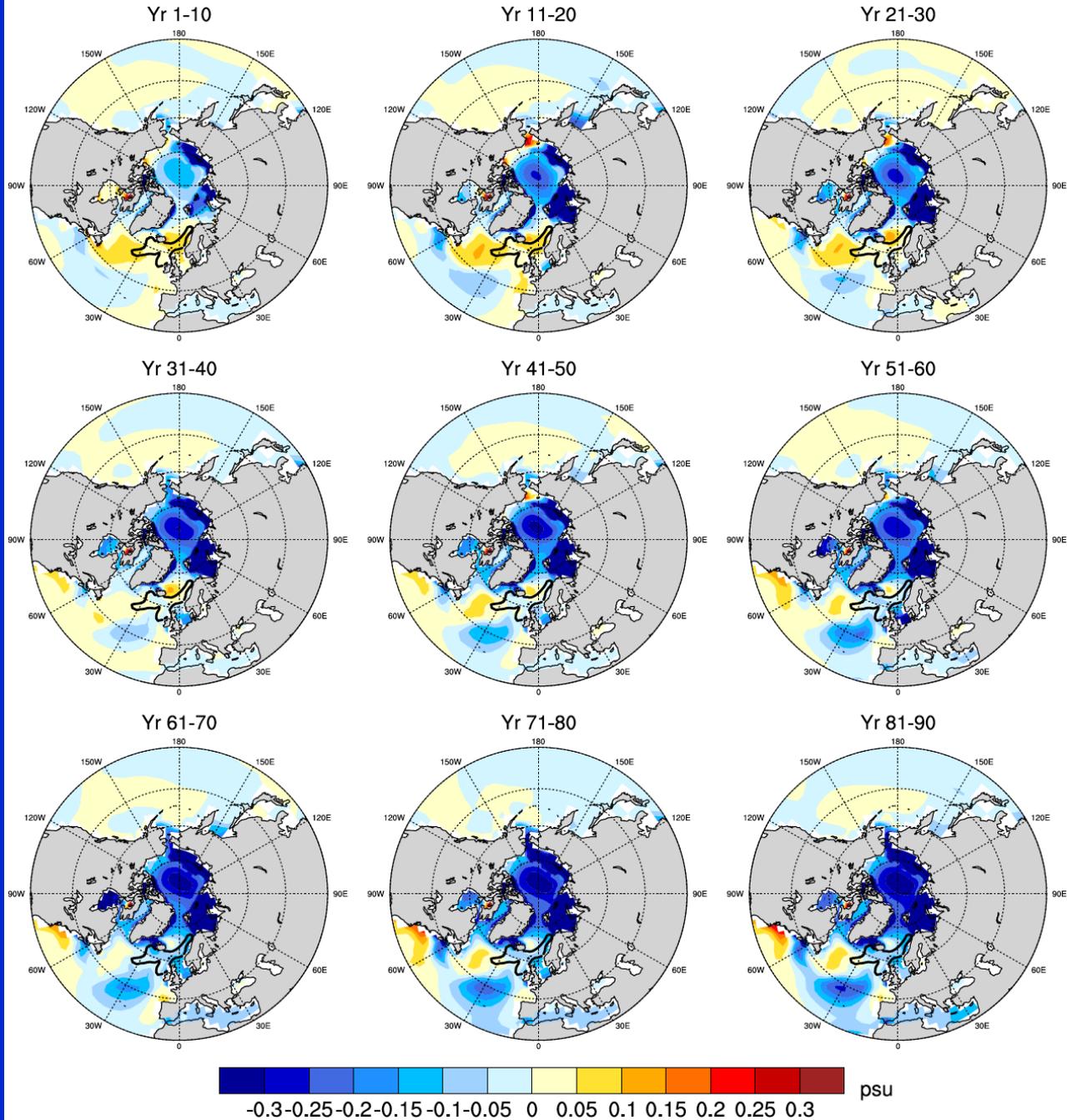
LW experiment, ΔT (upper 1000m)



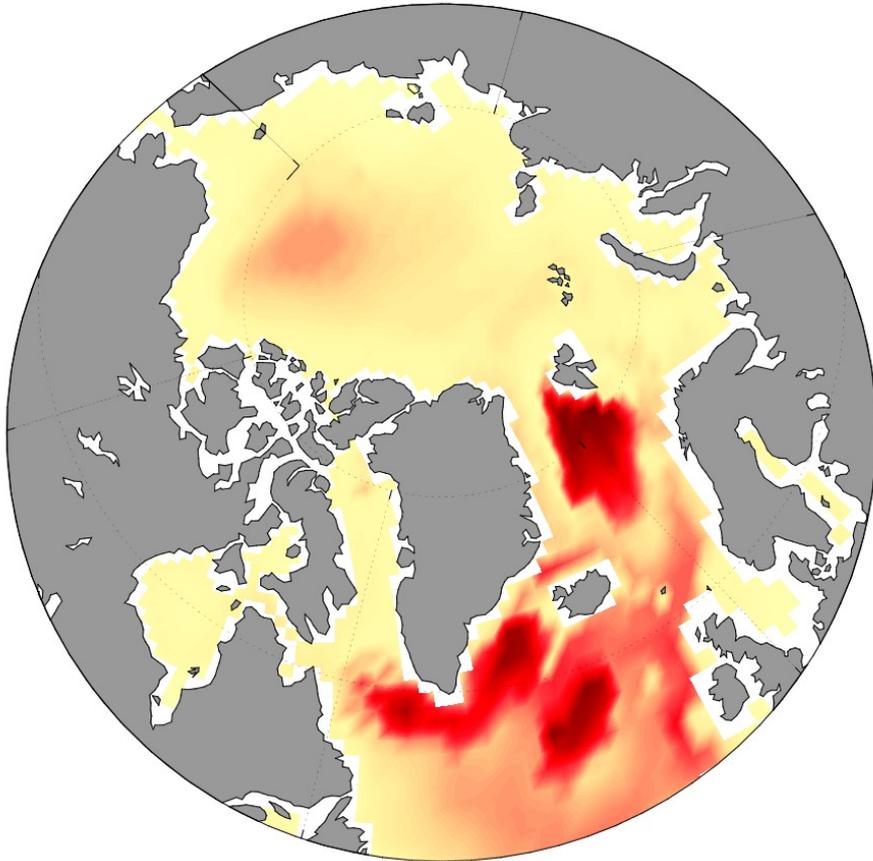
LW experiment, Δ SSS



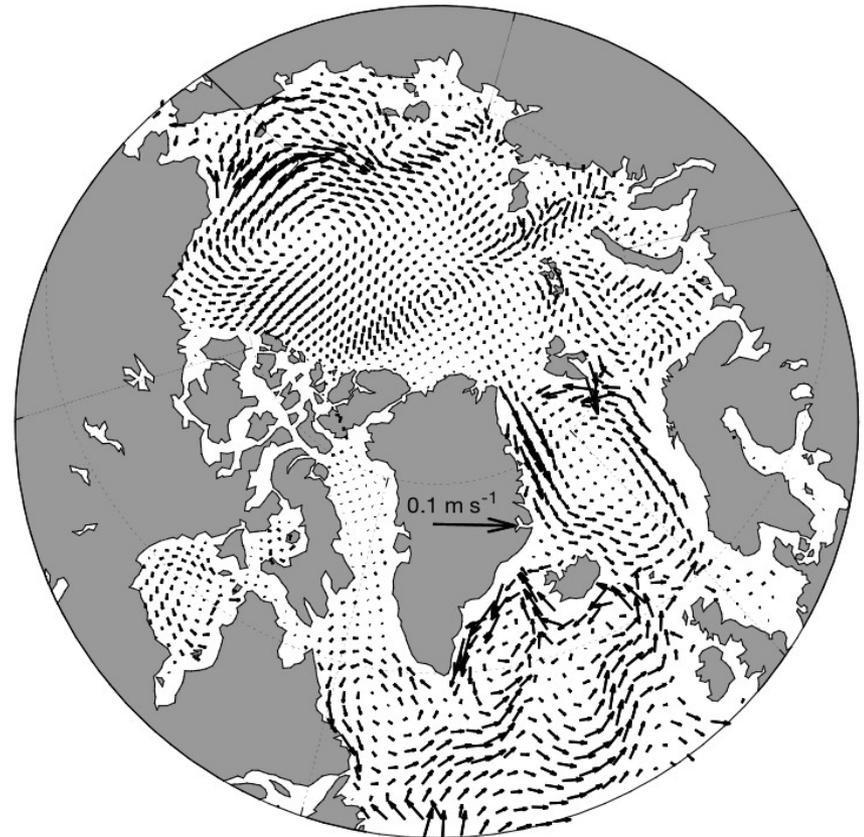
LW experiment, ΔS (upper 1000m)



MIXED LAYER DEPTH (m)



HORIZONTAL VELOCITIES [0-609 m]



a normalization constraint on the flux amplitude, we introduce a Lagrangian function:

$$\mathcal{L}(|\mathbf{f}_{\text{hf/fw}}\rangle, \gamma) = \langle \mathbf{F} | \mathbf{u}(\tau) \rangle - \gamma (\langle \mathbf{f}_{\text{hf/fw}} | \mathbf{S} | \mathbf{f}_{\text{hf/fw}} \rangle - \epsilon^2), \quad (2)$$

where γ is a Lagrange multiplier, \mathbf{S} is a normalization operator, and ϵ is a parameter associated with the normalization constraint:

$$\langle \mathbf{f}_{\text{hf/fw}} | \mathbf{S} | \mathbf{f}_{\text{hf/fw}} \rangle = \frac{\iint d\sigma f_{\text{hf/fw}}^2}{\iint d\sigma} = \epsilon^2, \quad (3)$$

where $d\sigma$ is a unit surface and $f_{\text{hf/fw}}$ is surface heat and freshwater fluxes, respectively. We set $\epsilon=1 \text{ W m}^{-2}$ or 1 cm yr^{-1} , which gives the root mean square amplitude of the fluxes. Our goal is to maximize the cost function subject to this normalization constraint.

From expression (2) and the general optimization condition $d\mathcal{L}=0$, optimal flux perturbations for the duration τ are computed as

$$|\mathbf{f}_{\text{hf/fw}}^\tau\rangle = \pm \frac{1}{\gamma} \int_0^\tau ds \mathbf{S}^{-1} \mathbf{B}_{\text{hf/fw}}^\dagger \mathbf{M}^\dagger(s) |\mathbf{F}\rangle, \quad (4)$$

where \dagger represents an adjoint (defined through an Euclidean scalar product) and

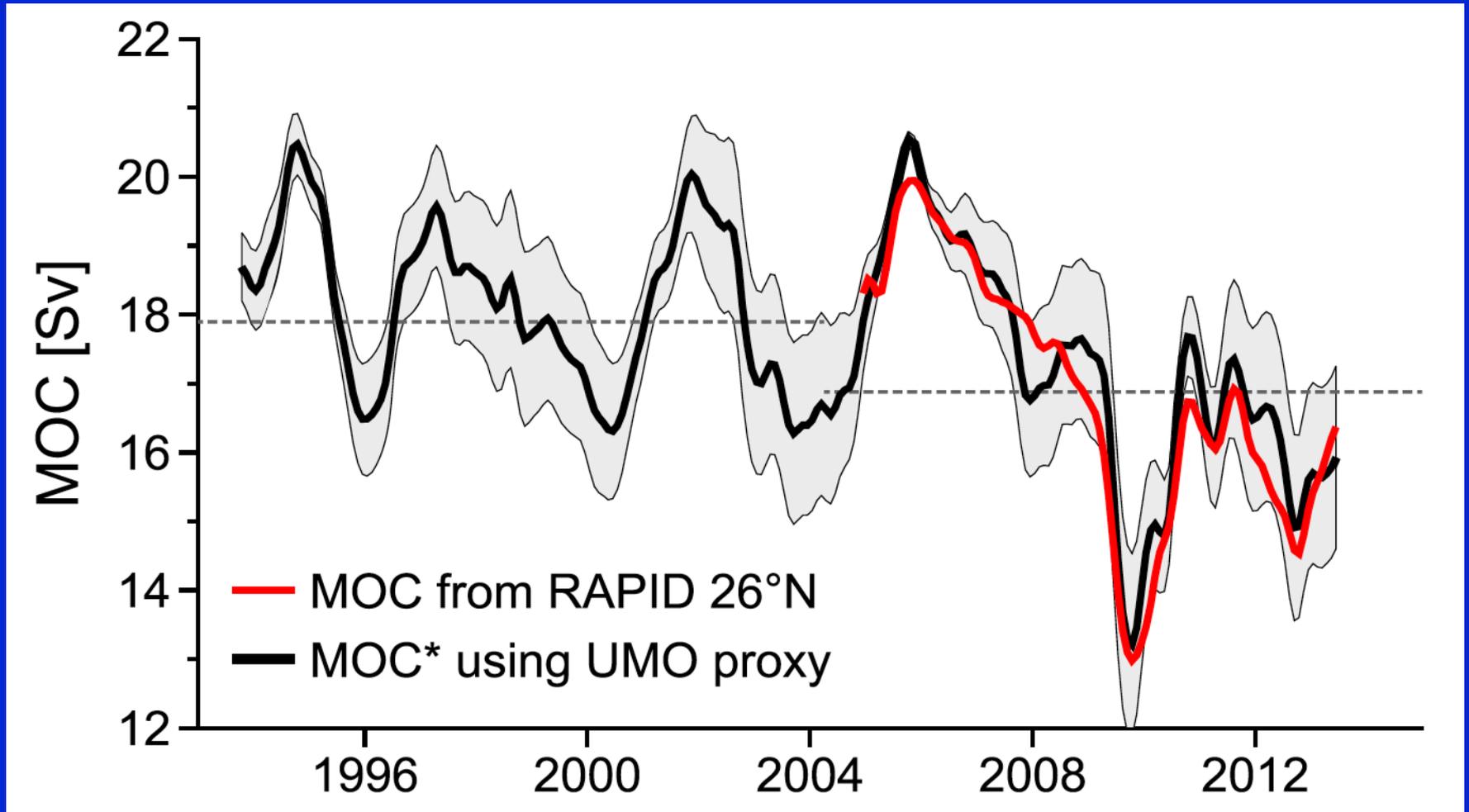
$$\gamma^2 = \iint_0^\tau ds ds' \langle \mathbf{F} | \mathbf{M}(s) \mathbf{B}_{\text{hf/fw}} \mathbf{S}^{-1} \mathbf{B}_{\text{hf/fw}}^\dagger \mathbf{M}^\dagger(s') | \mathbf{F} \rangle. \quad (5)$$

Consequently, γ gives the optimal impact of the normalized flux anomalies.



Figure:
WHOI

AMOC slow-down



AMOC weakening for different flux durations and regions

