

Surface Estimates of the Atlantic OVERTURNING in Density Space in an Eddy-Permitting Ocean Model

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UK

Context

Marsh (2000) described (but did not test) a method that might allow ‘the meridional stream function to be largely inferred from surface fluxes alone’.

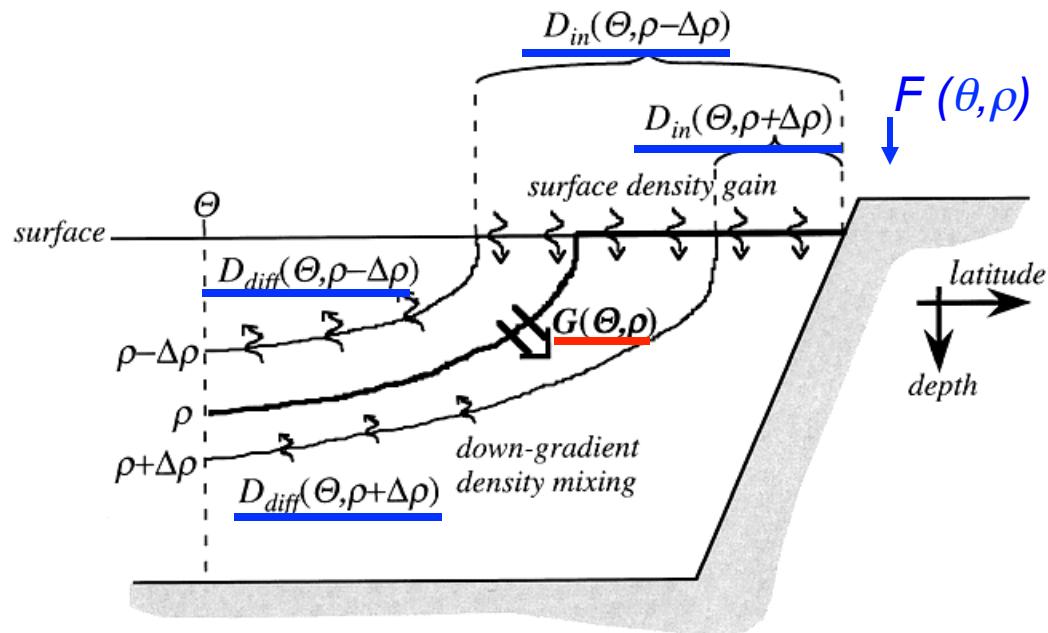
We’ve examined this possibility using output from:

- 1) Three IPCC coupled climate models. (100-400 years of GFDL2.1, BCM, HadCM3) (Grist et al. 2009; Josey et al. 2009).
- 2) Eddy-permitting ($1/4^\circ$) ocean only model (78 years of ORCA-025, ‘NEMO’) (Grist et al., 2012).

Method

Marsh (2000), Walin (1982)

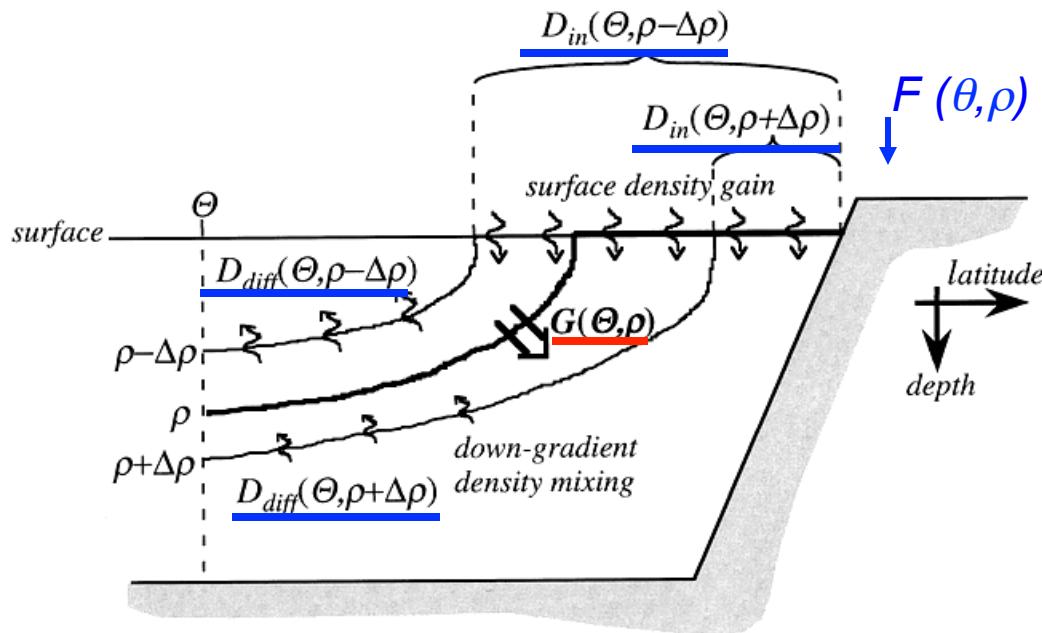
Net diapycnal volume flux, $G(\Theta, \rho)$ and Diapycnal density fluxes $D(\Theta, \rho)$ in an idealized North Atlantic.



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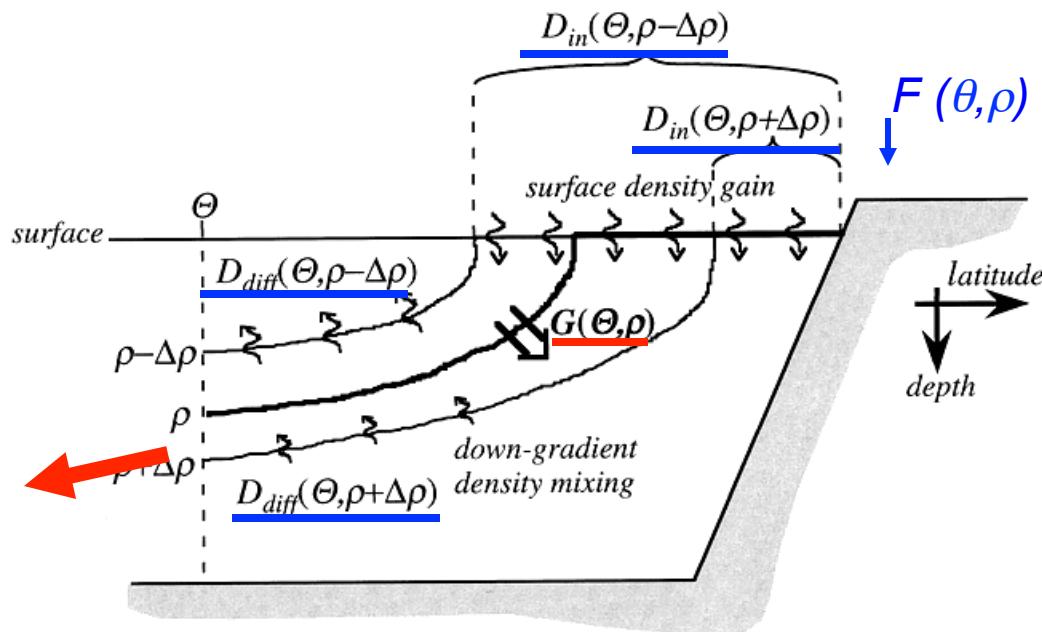
$$G(\Theta, \rho) = F(\Theta, \rho) - \frac{\partial D_{diff}(\Theta, \rho)}{\partial \rho} + C(\Theta, \rho)$$

$$F(\Theta, \rho) = \frac{\partial D_{in}(\Theta, \rho)}{\partial \rho}$$

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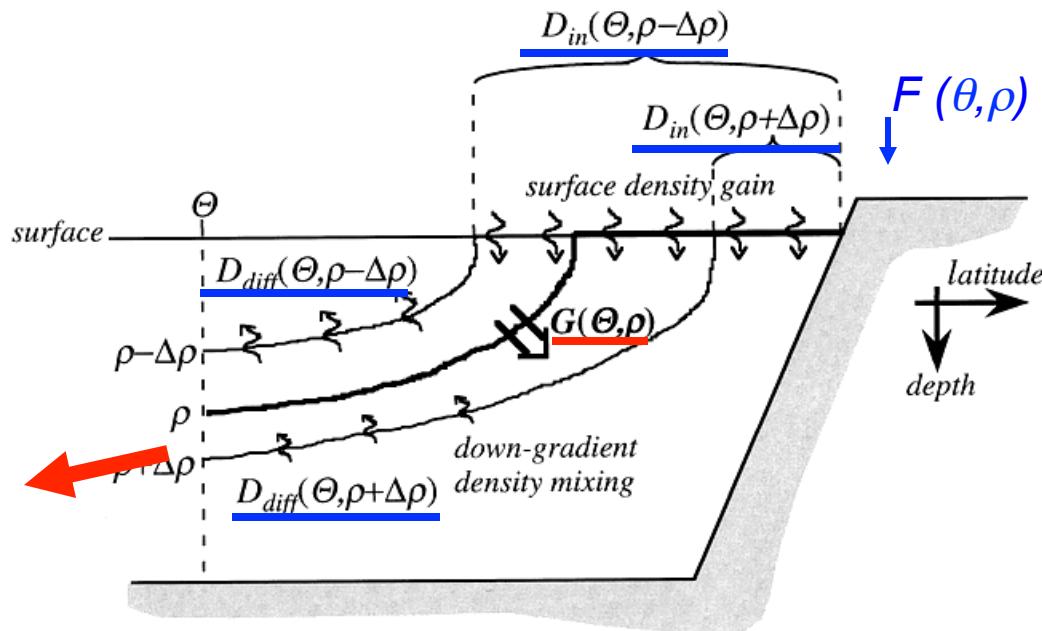
Assuming incompressibility and steady state of water masses, the meridional streamfunction then:

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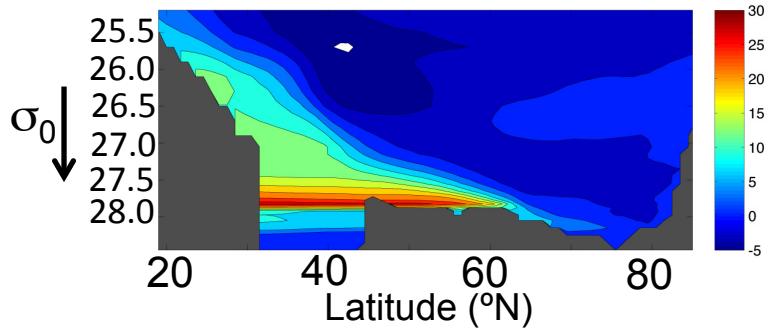
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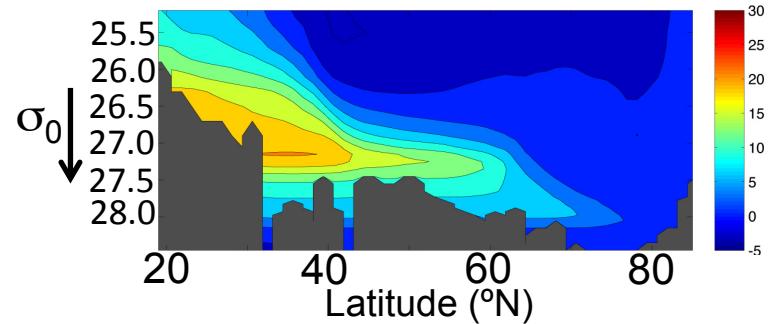
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'Surface-Forced' Streamfunction (Sv)

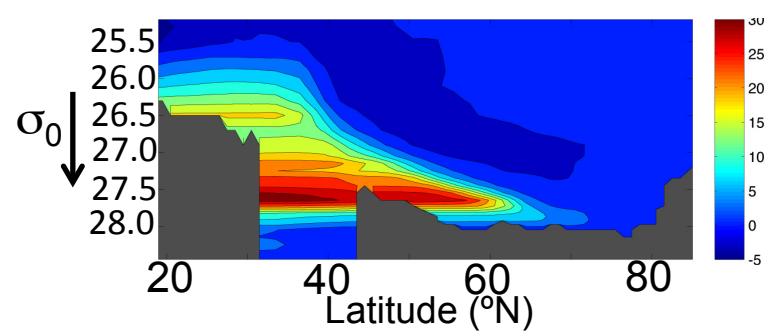
GFDL2.1



HadCM3

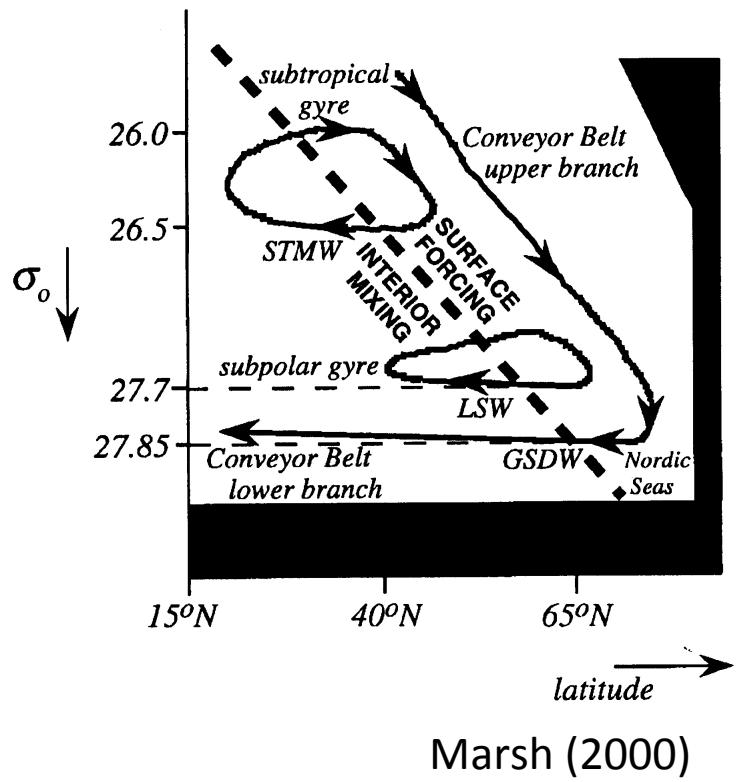


BCM2.0



Grist et al. (2009)

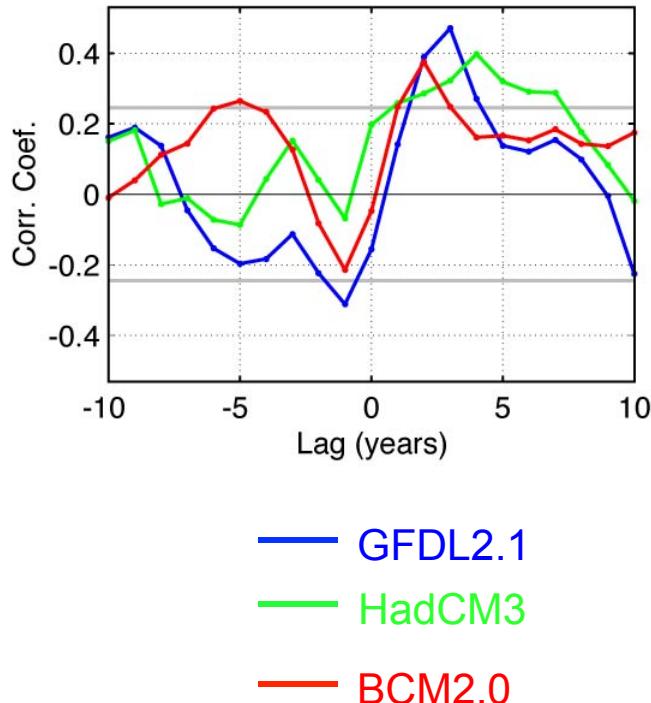
$$G(\Theta, \rho) \approx F(\Theta, \rho) = \frac{\partial D_{in}(\Theta, \rho)}{\partial \theta}$$



Marsh (2000)

Correlations Maximum ‘Surface-Forced’ (SFI) & Overturning Stream functions

Correlation of AMOC (48N) vs Surface Forced Index (SFI)

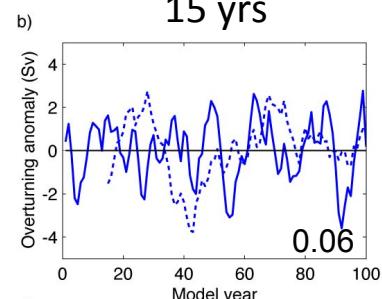
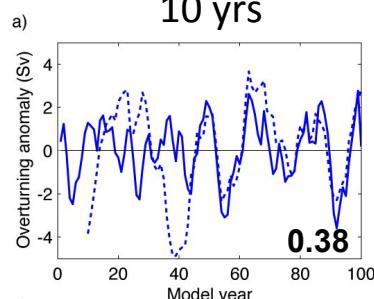
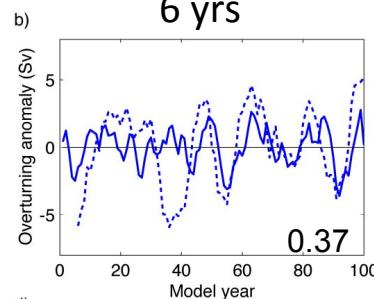
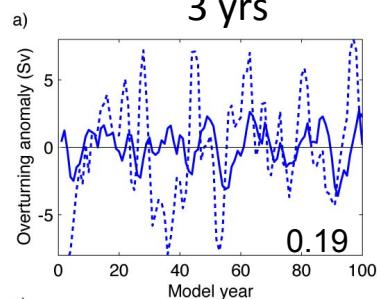


- Year on year SFI \neq AMOC
- But significant correlation when SFI leads by a few years in all models.
- Averaging the SFI over preceding years may give a useful estimate of AMOC variability.

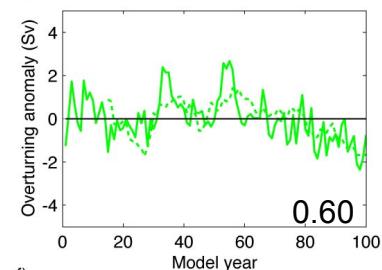
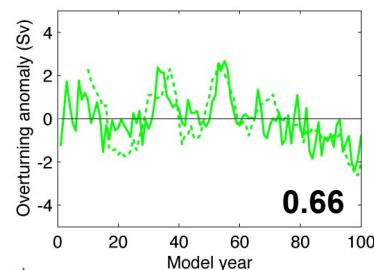
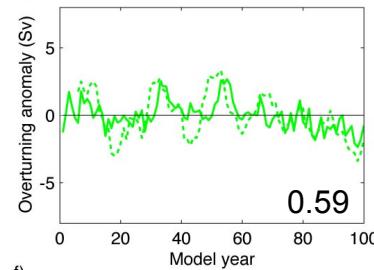
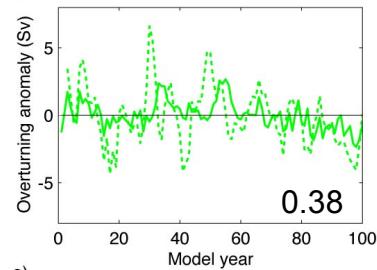
SFI & AMOC in the Coupled Models

AMOC (48N) solid lines and past average of SFI (dashed)

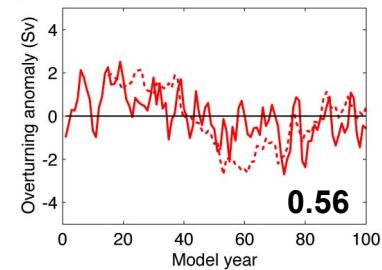
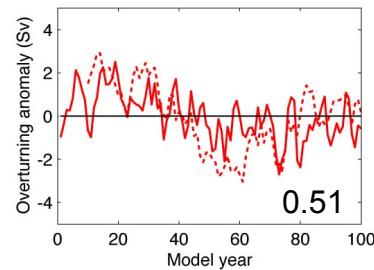
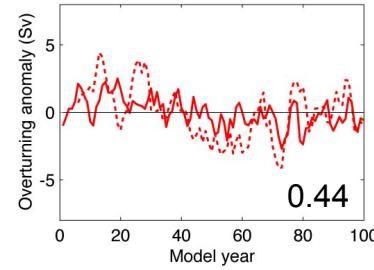
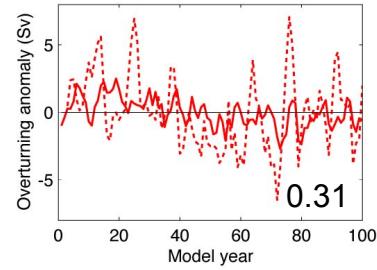
GFDL2.1



HadCM3



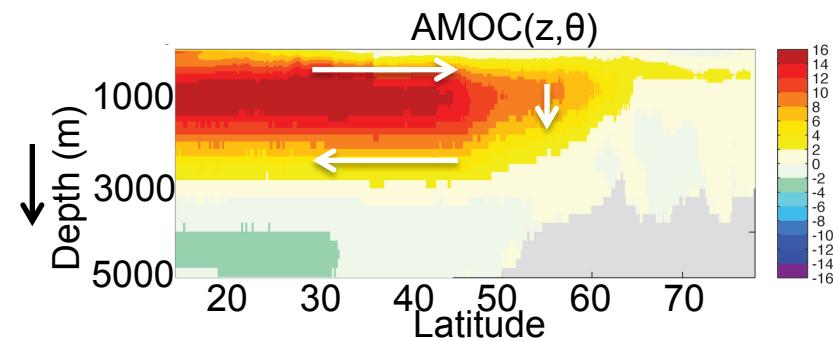
BCM2.0



15-44% of interannual variability

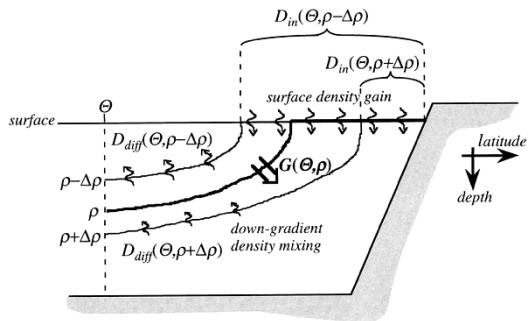
AMOC in $\frac{1}{4}^{\circ}$ NEMO Model

We compared our estimate to AMOC (z, θ)

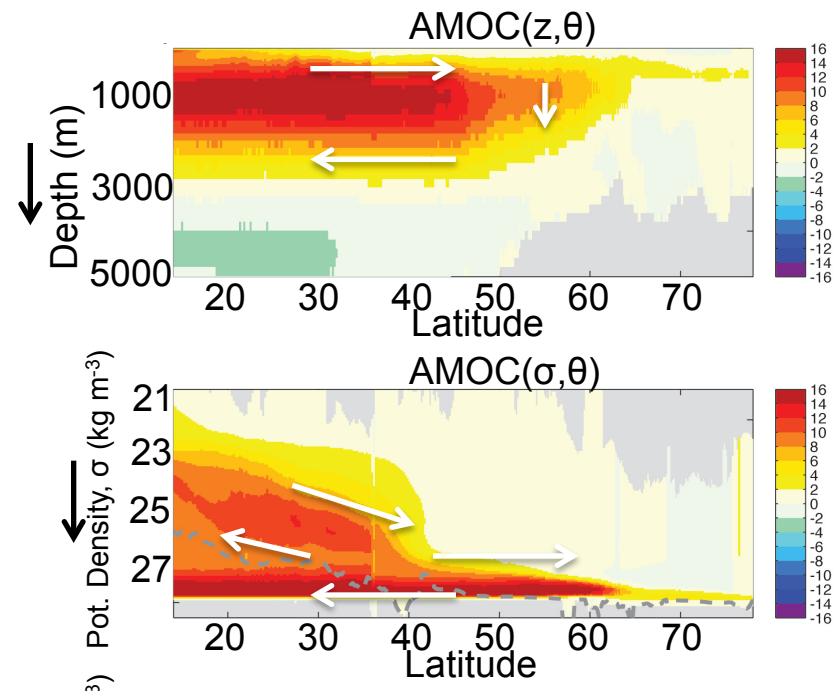


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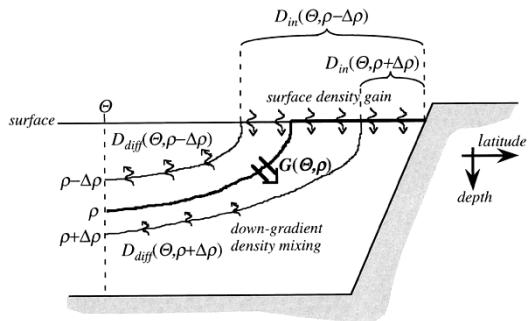


The theory suggests compare
With AMOC (σ or ρ, θ).
(Density as a vertical coordinate)



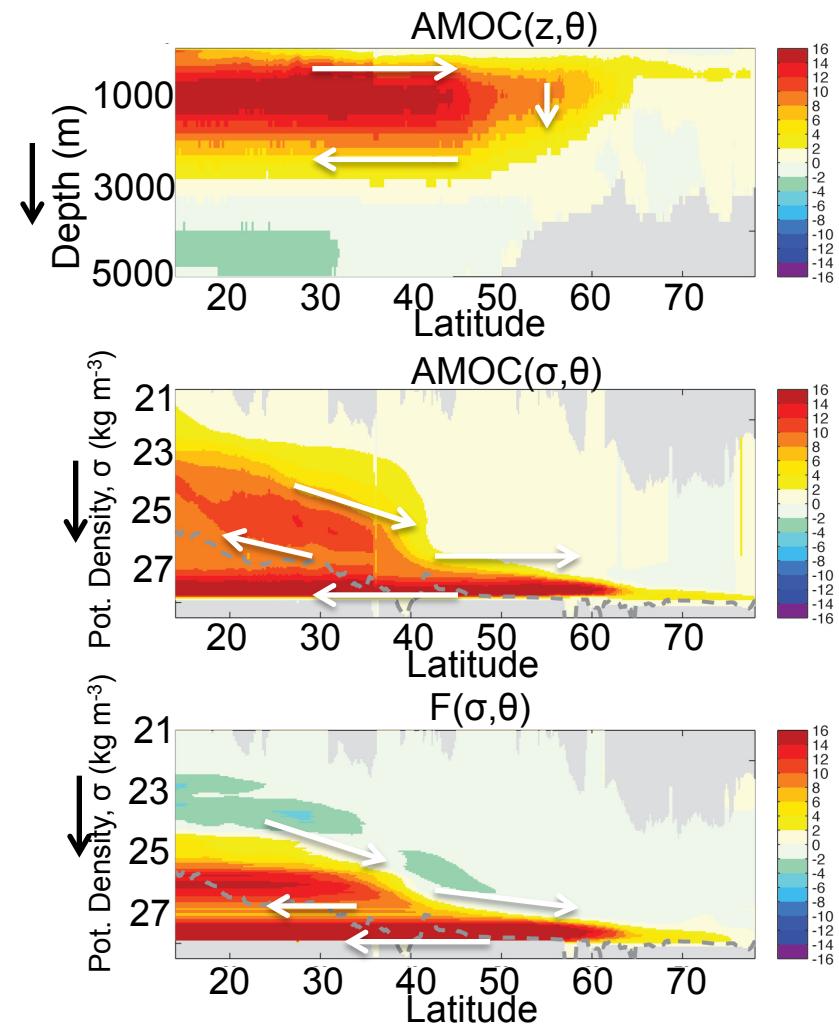
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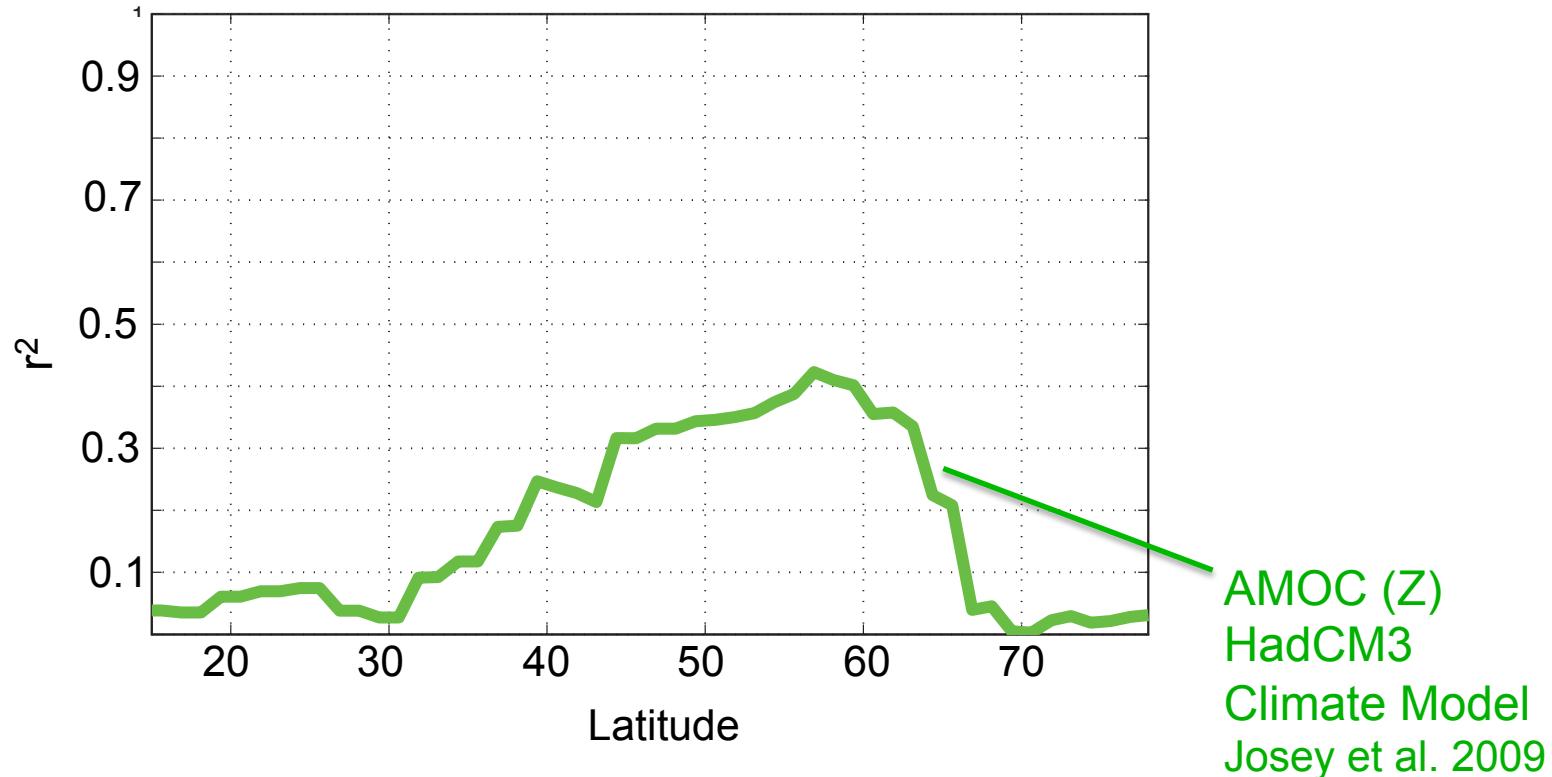


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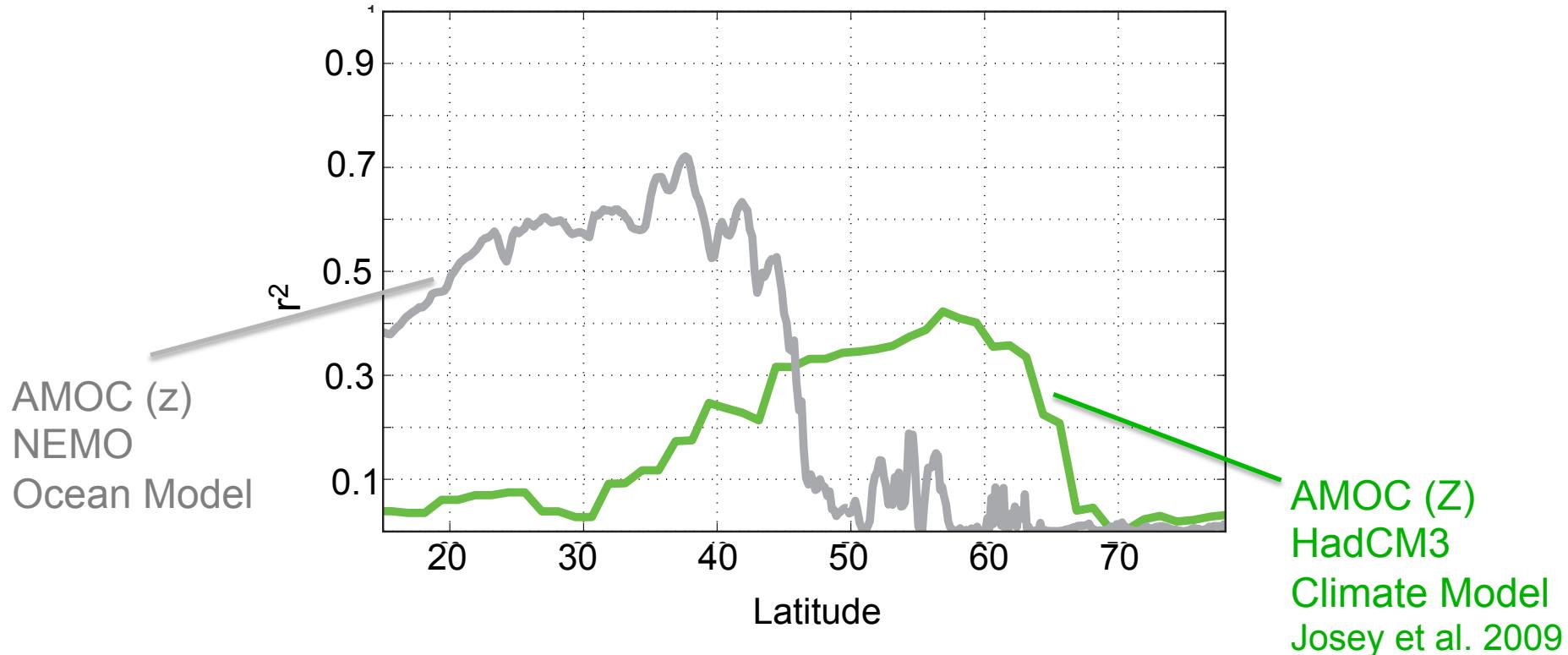
Our surface forced streamfunction shows
similarities to AMOC (σ, θ) .



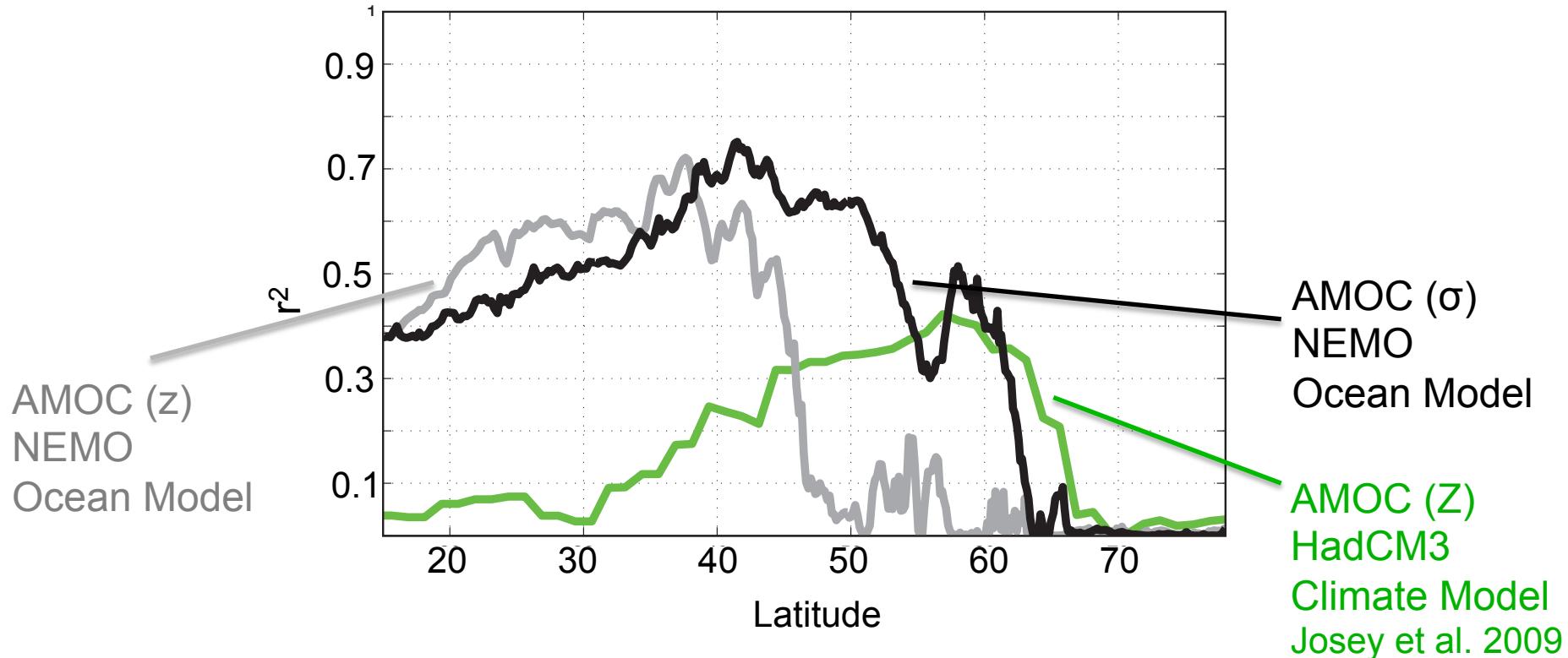
Fraction AMOC explained By Surface Fluxes



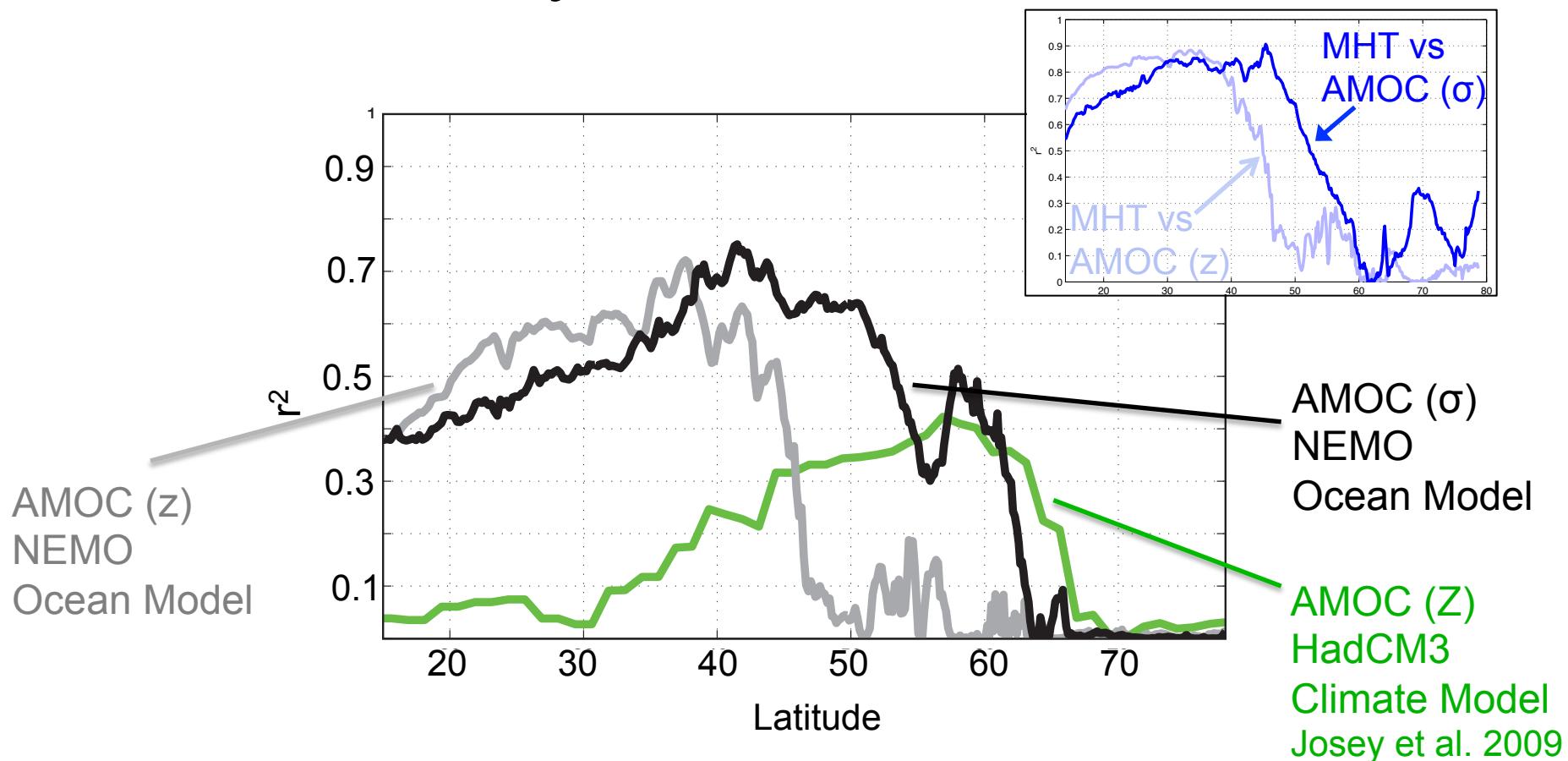
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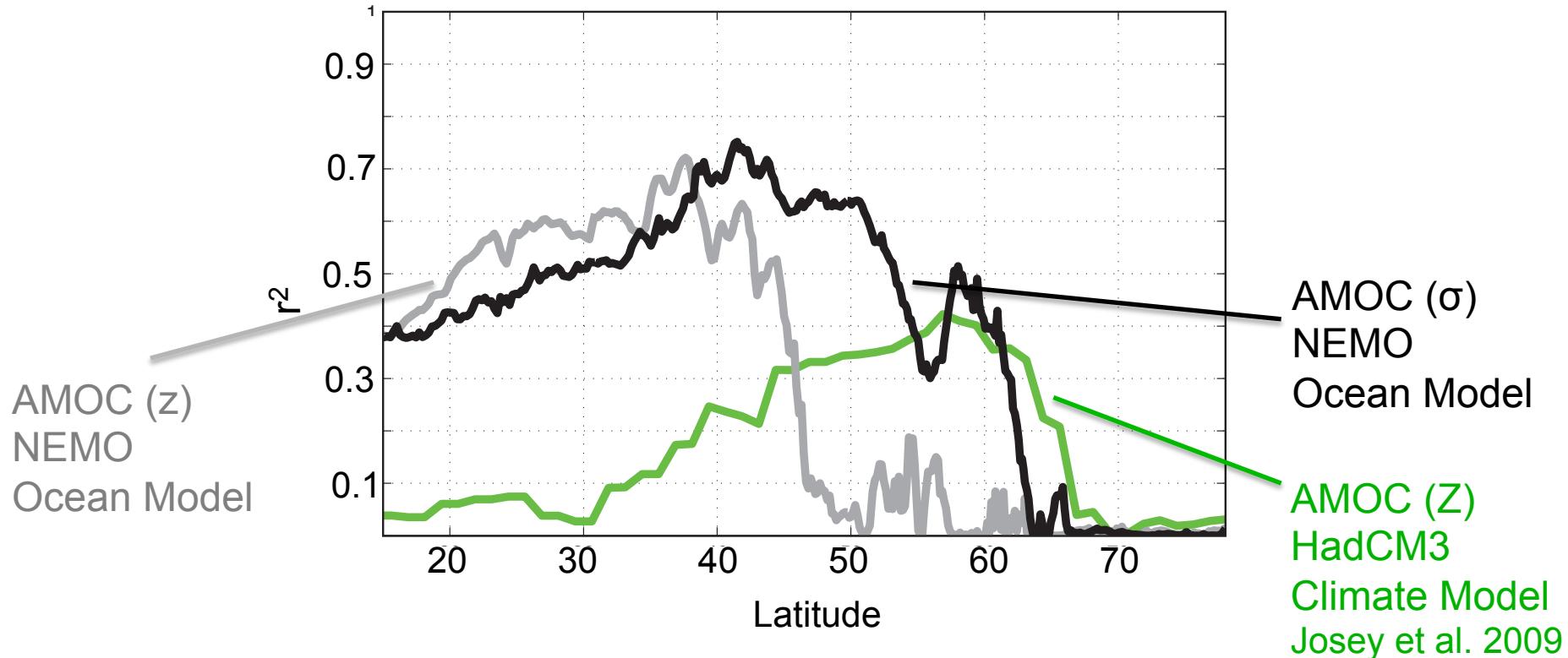
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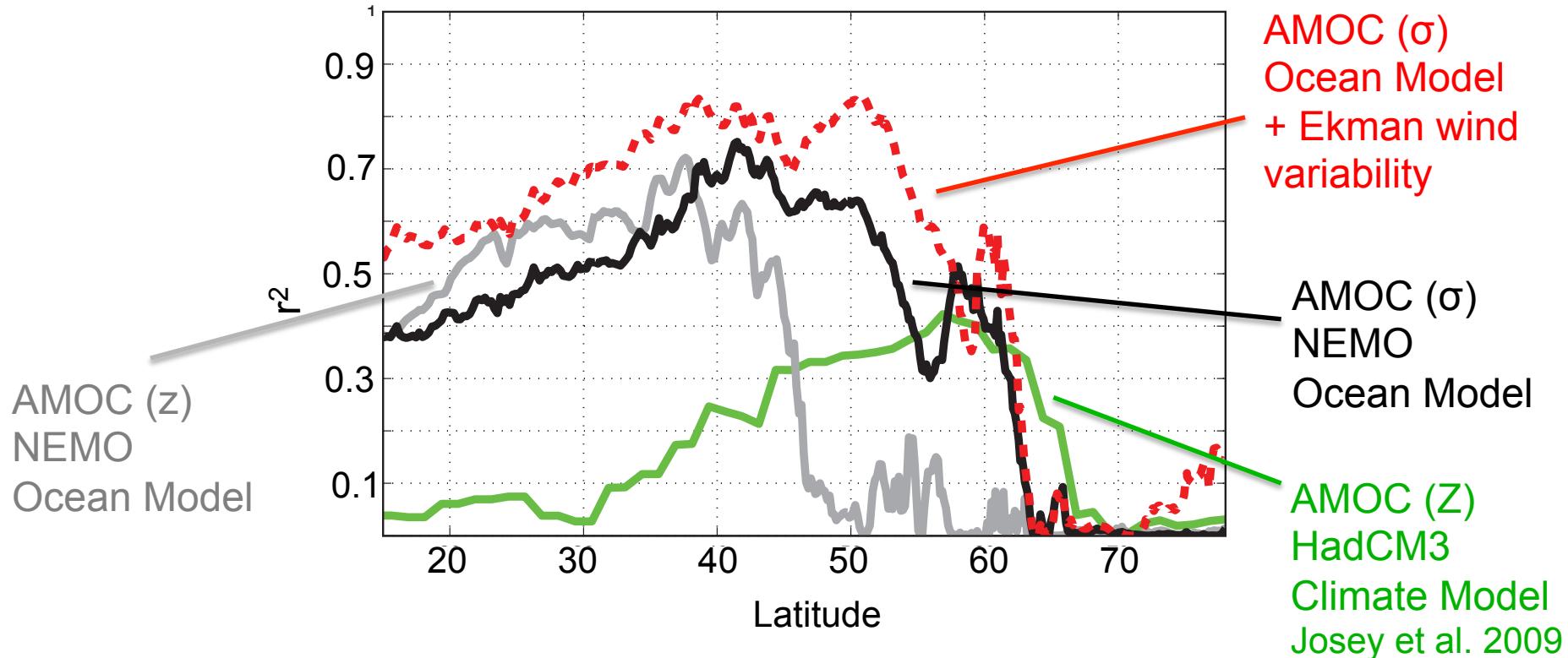
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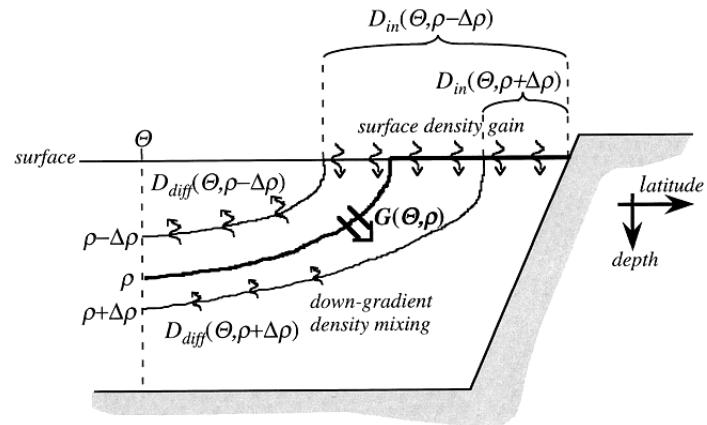
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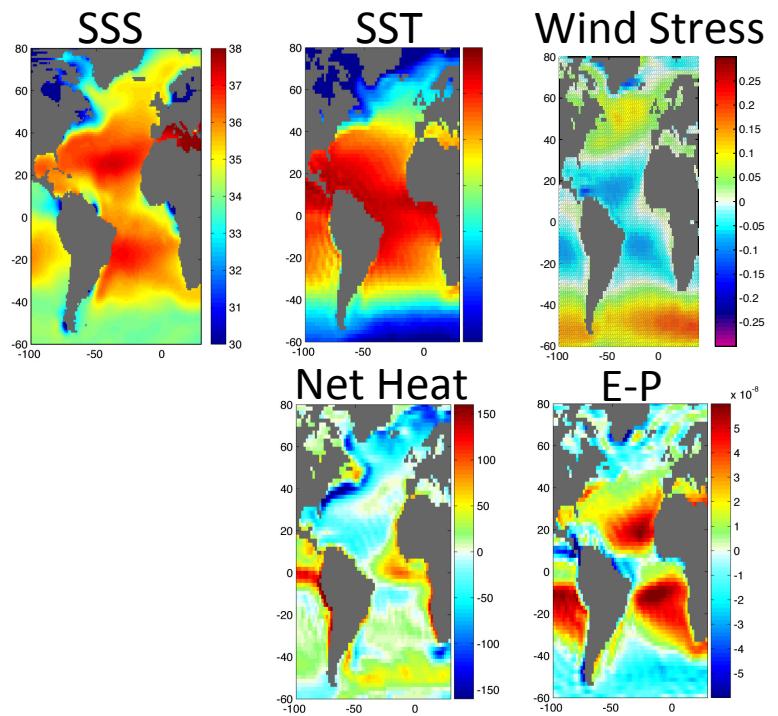
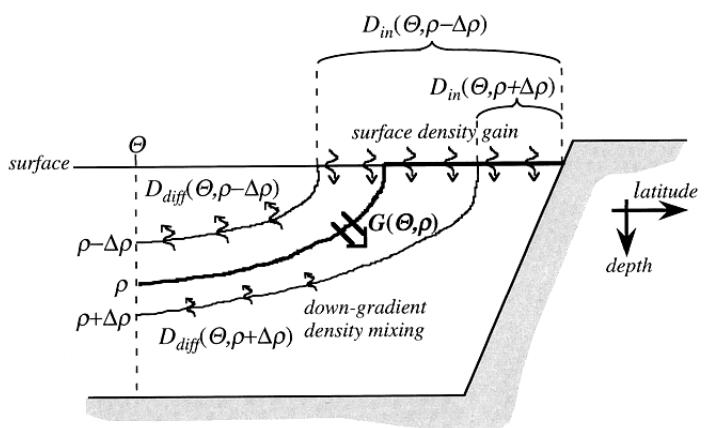
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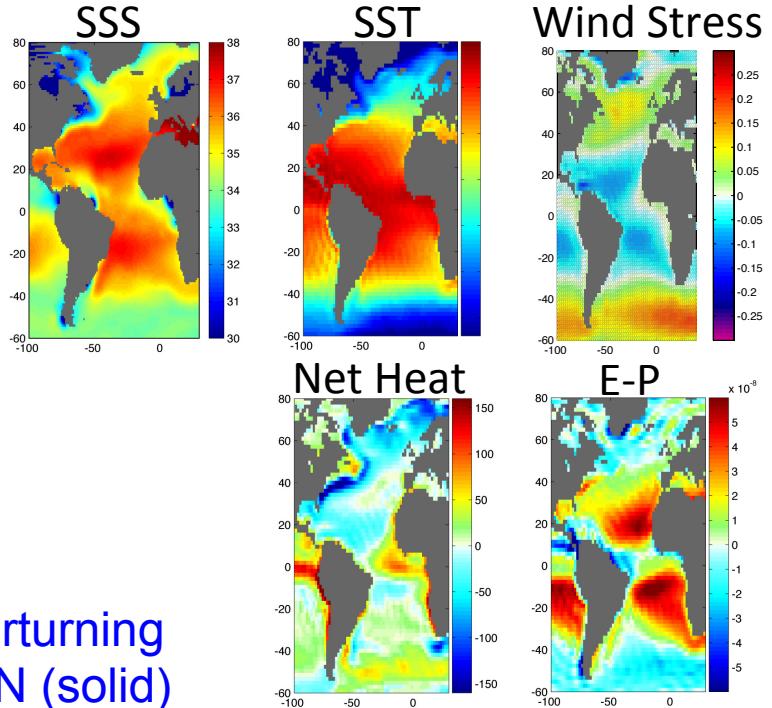
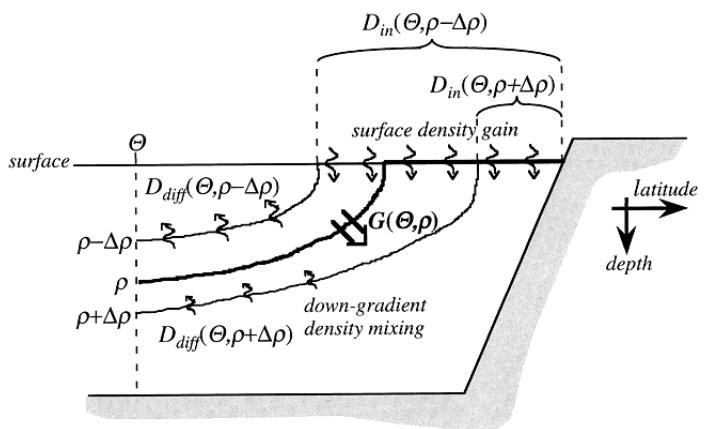
Theory



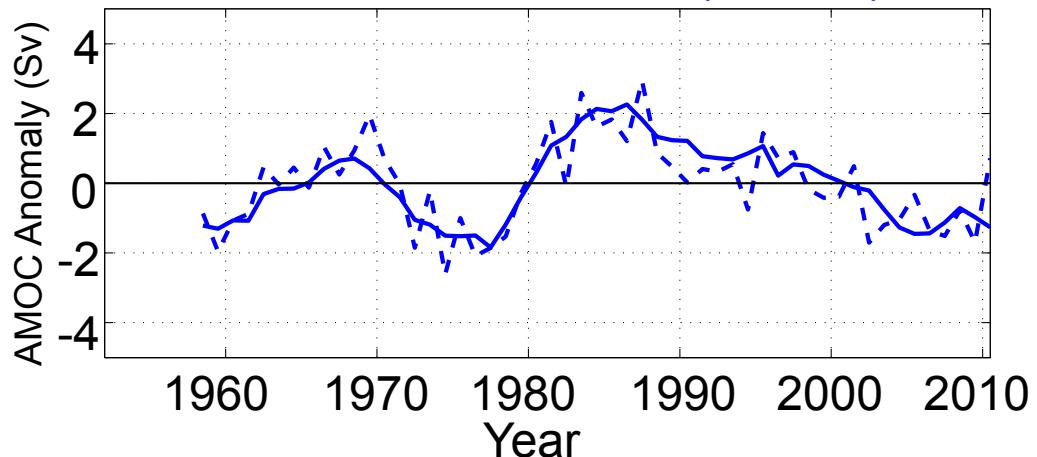
Theory + Surface Observations



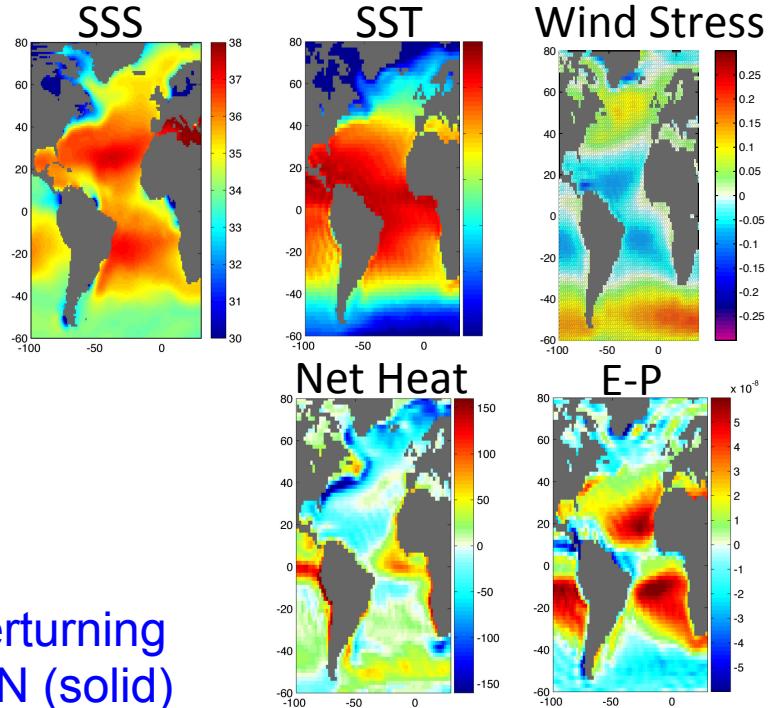
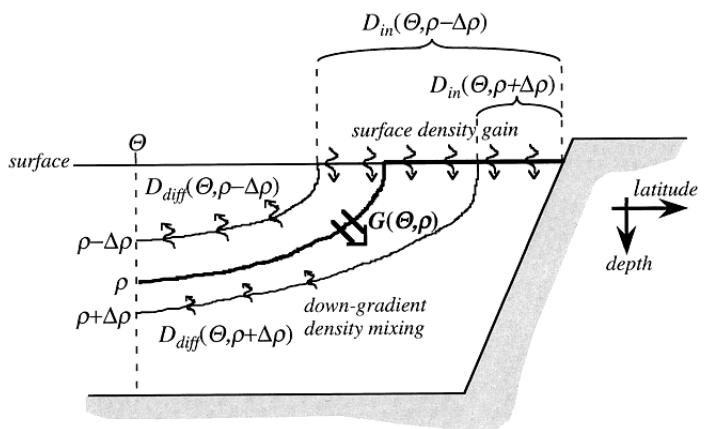
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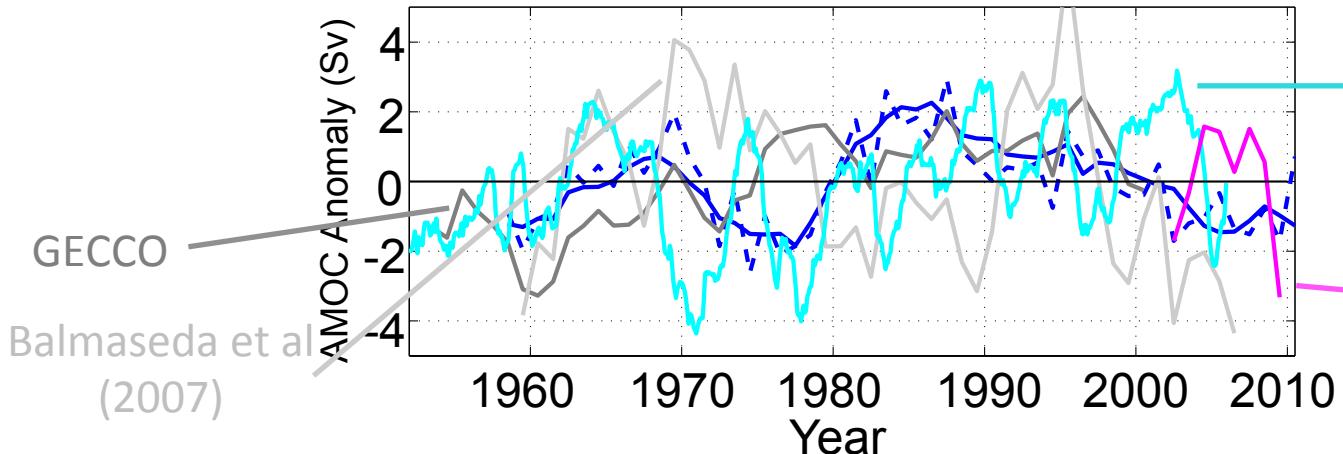
Surface-Forced Overturning
Anomaly (Sv) at 48°N (solid)
with Ekman Contribution (dashed)



Theory + Surface Observations



Surface-Forced Overturning
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Bingham &
Hughes (2009)

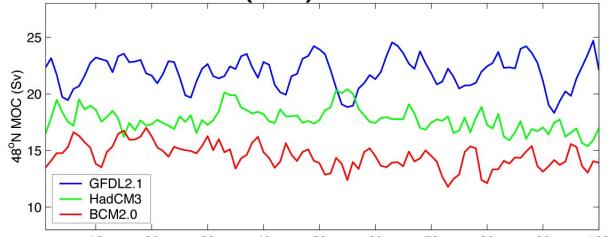
Hobbs & Willis
(2012)

Summary

- In $\frac{1}{4}^\circ$ NEMO ocean model, the water mass transformation method can be used to estimate AMOC variability.
- In sub-polar regions the method explains much more variability in AMOC (σ_0) than AMOC (z).
- The surface density fluxes capture much of the decadal signal while the additional calculation of Ekman transport allows the higher frequency variability to be captured
- The method shows greatest potential between 33°N and 54°N where 70-84% of the AMOC (σ_0) variance is explained.
- As the method relies only on surface observations, estimate of AMOC variability can be made for the reanalysis era.
- We seek to determine the spread in time series resulting from the different reanalysis / salinity products & reconcile the surface forced signal with other mid-latitude AMOC estimates.

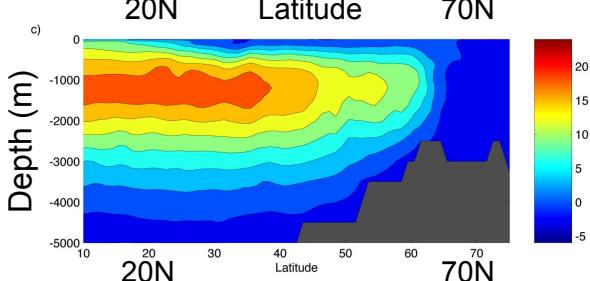
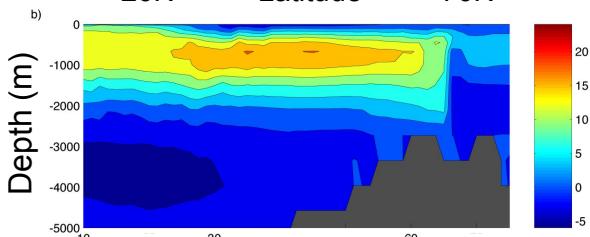
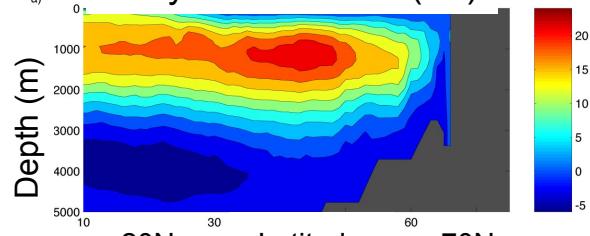
MOC vs SFOC in Coupled Climate Models

MOC (Sv) at 48°N



GFDL2.1

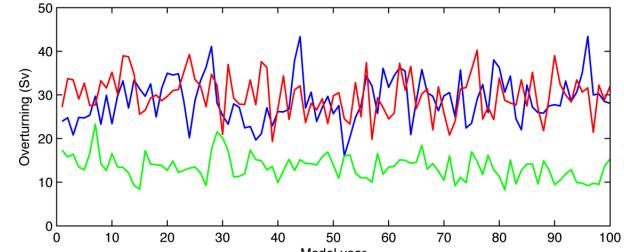
100yr Mean MOC (Sv)



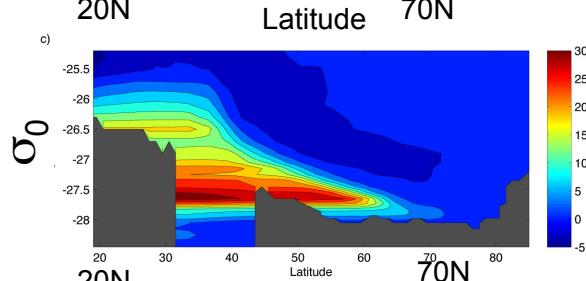
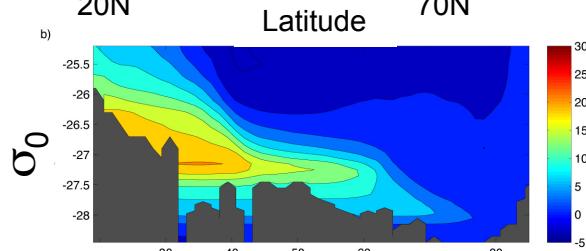
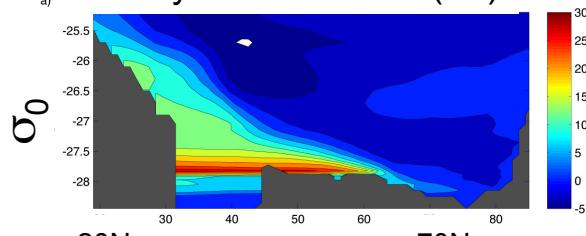
HadCM3

• BCM
2.0

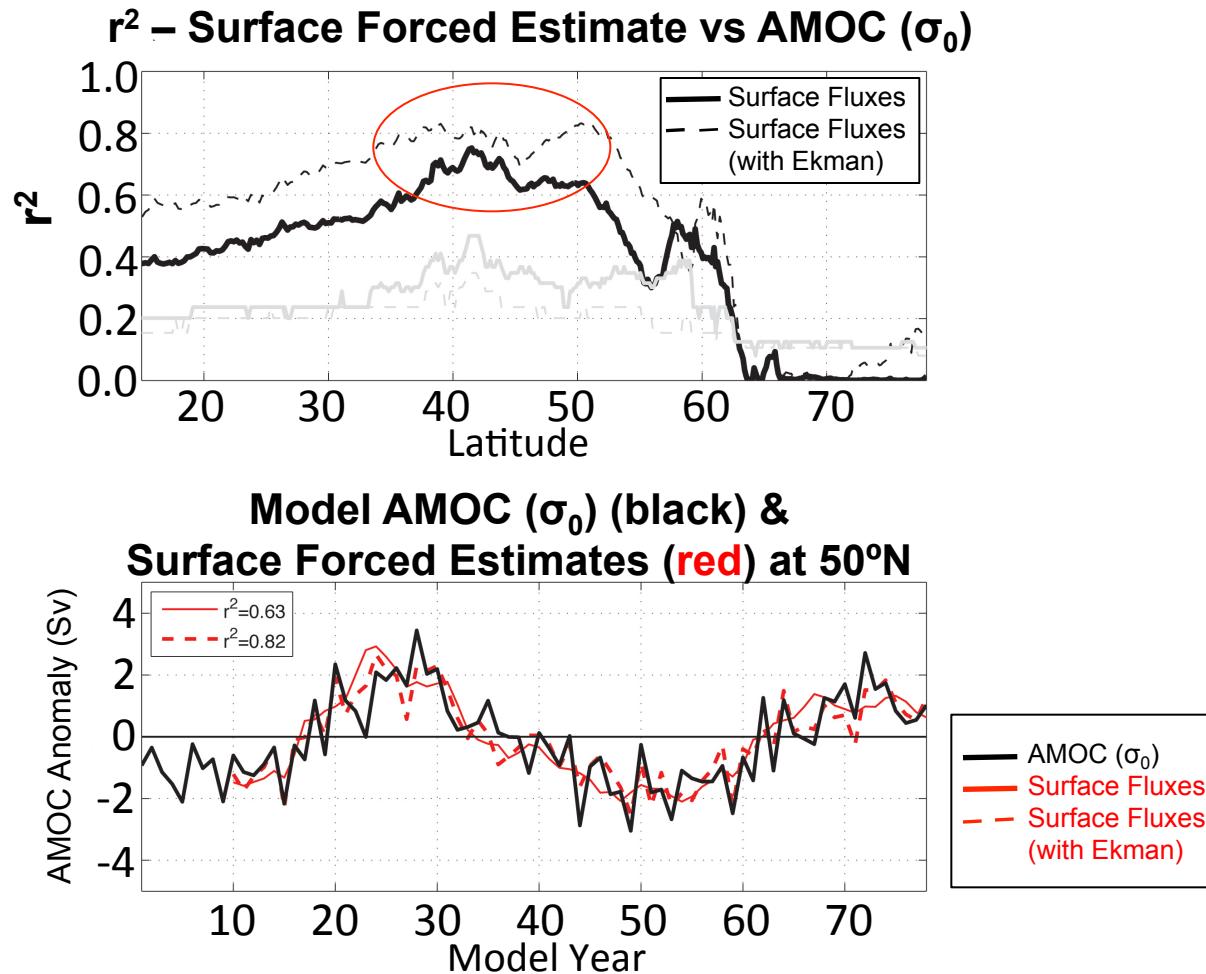
SFOC Index (Sv)



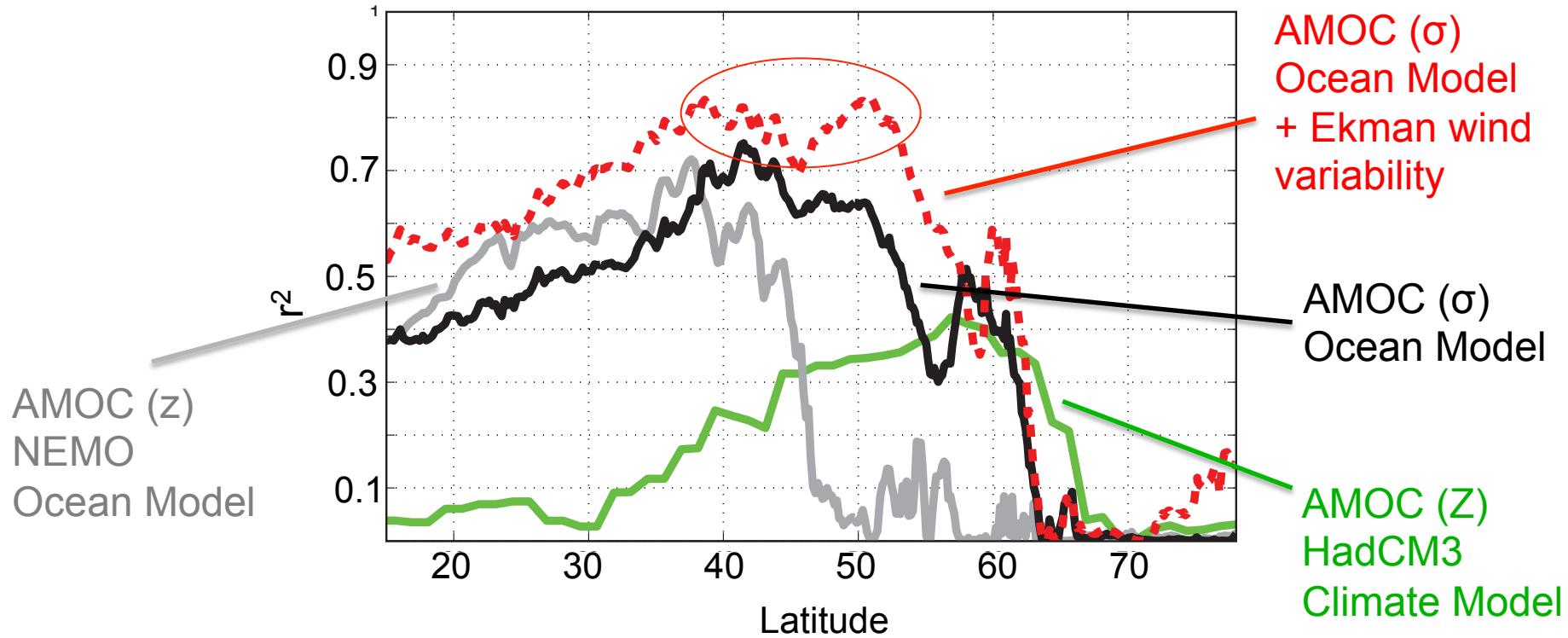
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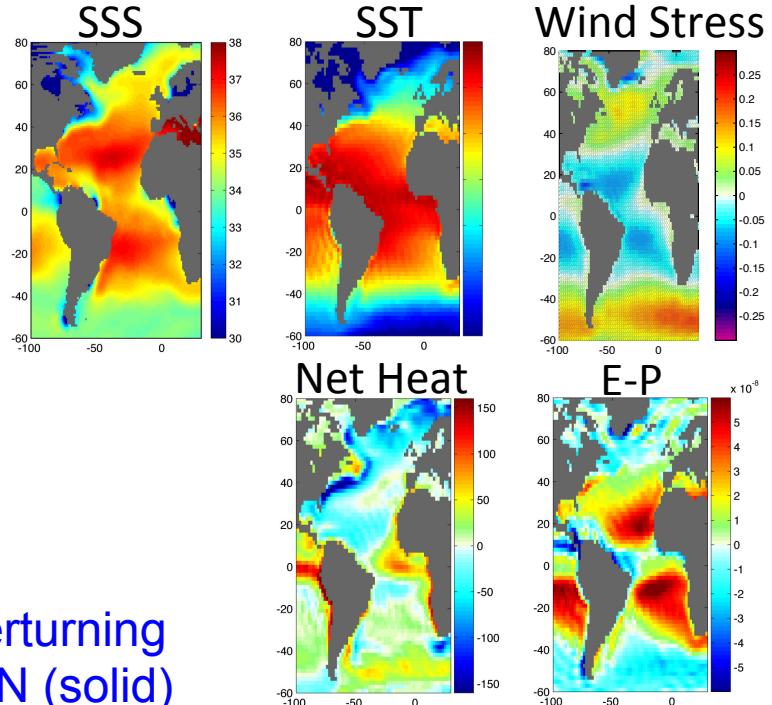
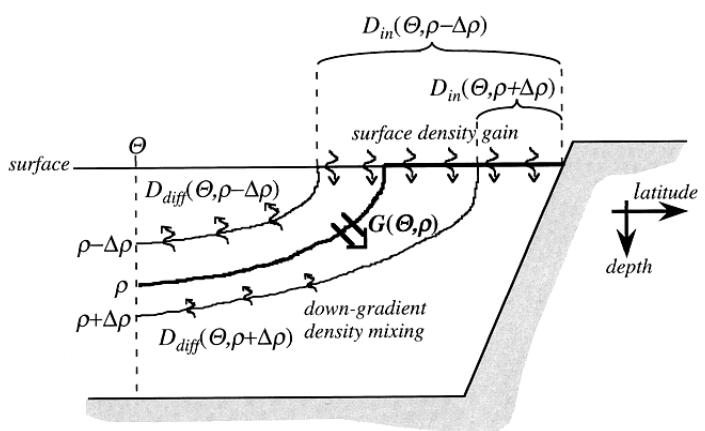
4. Influence of Surface Fluxes on AMOC Variability



Fraction AMOC explained By Surface Fluxes



Theory + Surface Observations



Surface-Forced Overturning
Anomaly (Sv) at 48°N (solid)
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