

Linking coastal flooding impacts and climate change within the Energy Exascale Earth System Model (E3SM)

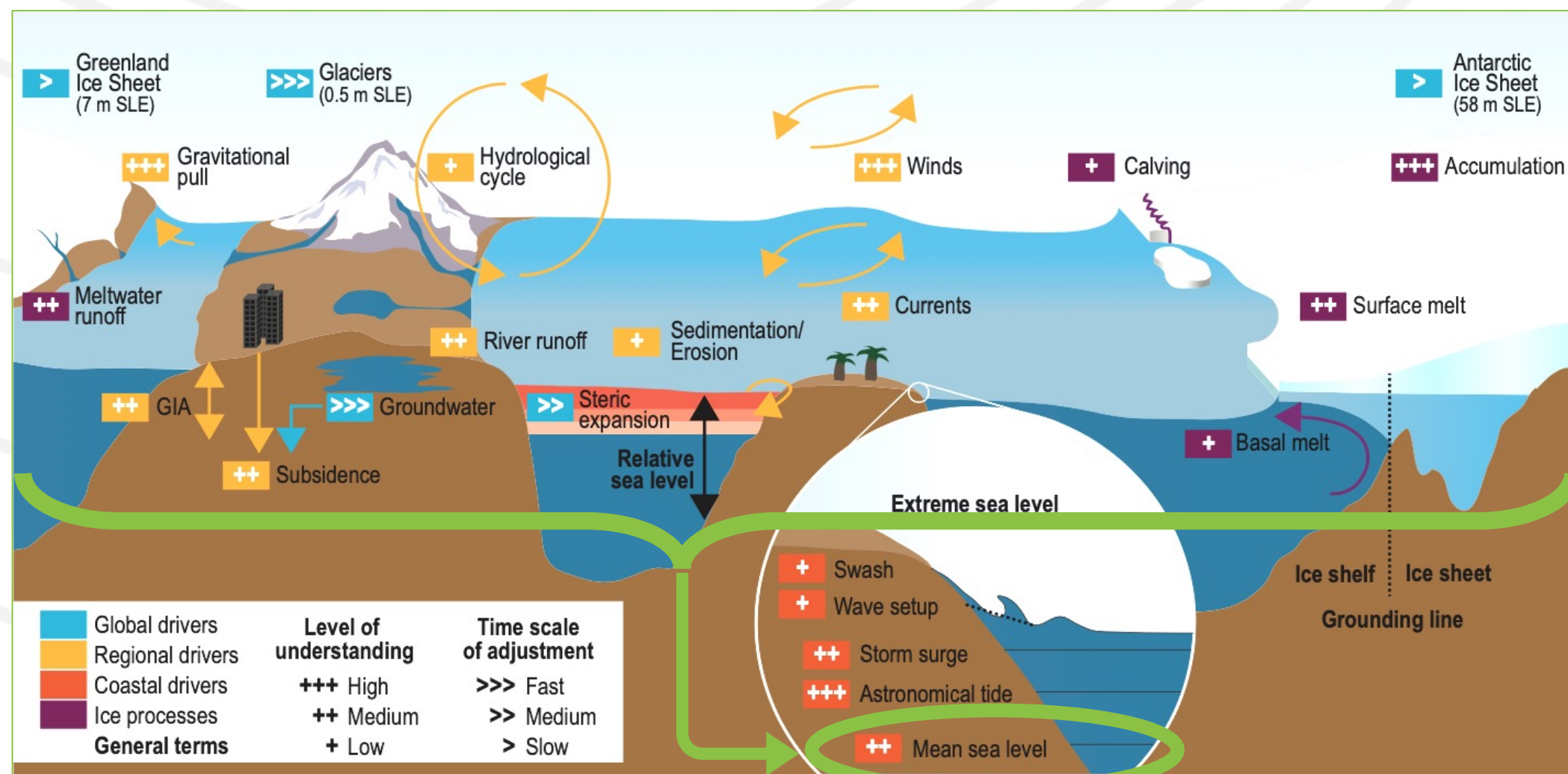
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1. Multiscale Barotropic/Baroclinic Coupling

MOTIVATION

- Coastal water levels are influenced by a number of regional and global processes.
- Due to the disparate scales involved, these processes have traditionally been modeled separately.
- This has limited our understanding of how coastal water level processes interact in a changing climate.

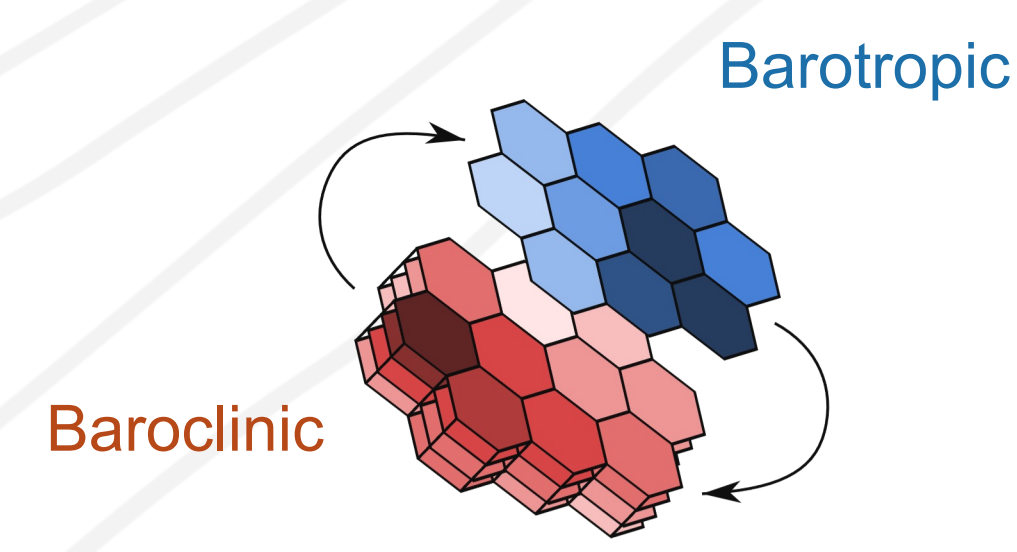


IPCC Special Report on the Ocean and Cryosphere in a Changing Climate

- Coastal-urban flooding affects large portions of the global population.
- Understanding risks from both extreme and "nuisance" flooding is essential to adaptation strategies.
- High resolution models (O(10-100m)) are critical to accurately predicting coastal water levels at relevant scales.

Standard resolution OGCM

Grid resolution is too coarse



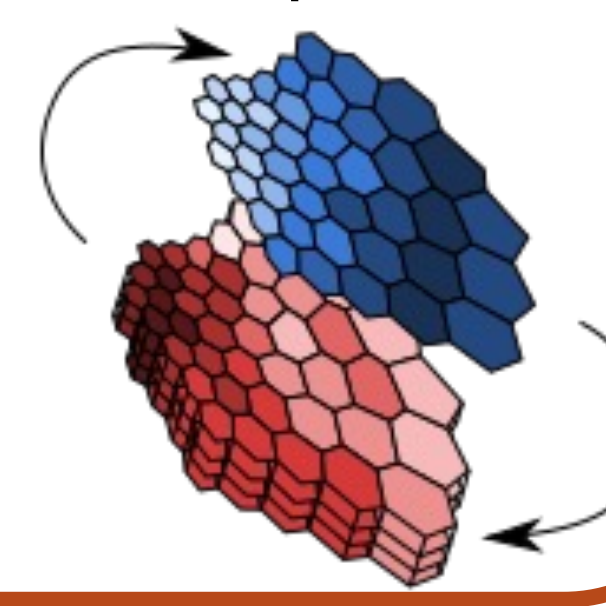
Coastal barotropic model

Not appropriate for use within ESMs



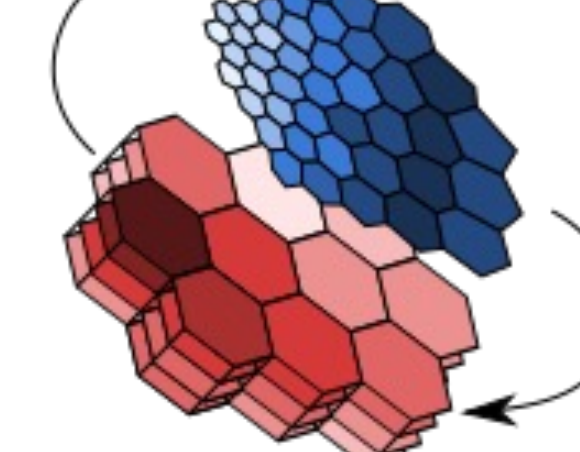
High resolution OGCM

Prohibitively expensive



Coupled, high resolution barotropic/standard resolution baroclinic

Capture coastal water levels with connections to global circulation



APPROACH

Extend the temporal mode splitting methods, which are commonly used in OGCMs to separate fast barotropic and slow baroclinic modes, with a **multiscale spatial coupling**.

Primitive equations:

$$\nabla \cdot \mathbf{u} + \frac{\partial w}{\partial z} = 0$$

$$\frac{\partial \mathbf{u}}{\partial t} + (\mathbf{u} \cdot \nabla) \mathbf{u} + w \frac{\partial \mathbf{u}}{\partial z} + f \mathbf{k} \times \mathbf{u} = -g \nabla \left(\eta + \int_z^n \left(\frac{\rho(\Theta, S) - \rho_0}{\rho_0} \right) dz' \right) + D$$

Velocity Separation:

$$\mathbf{u}' = \mathbf{u} - \bar{\mathbf{u}}$$

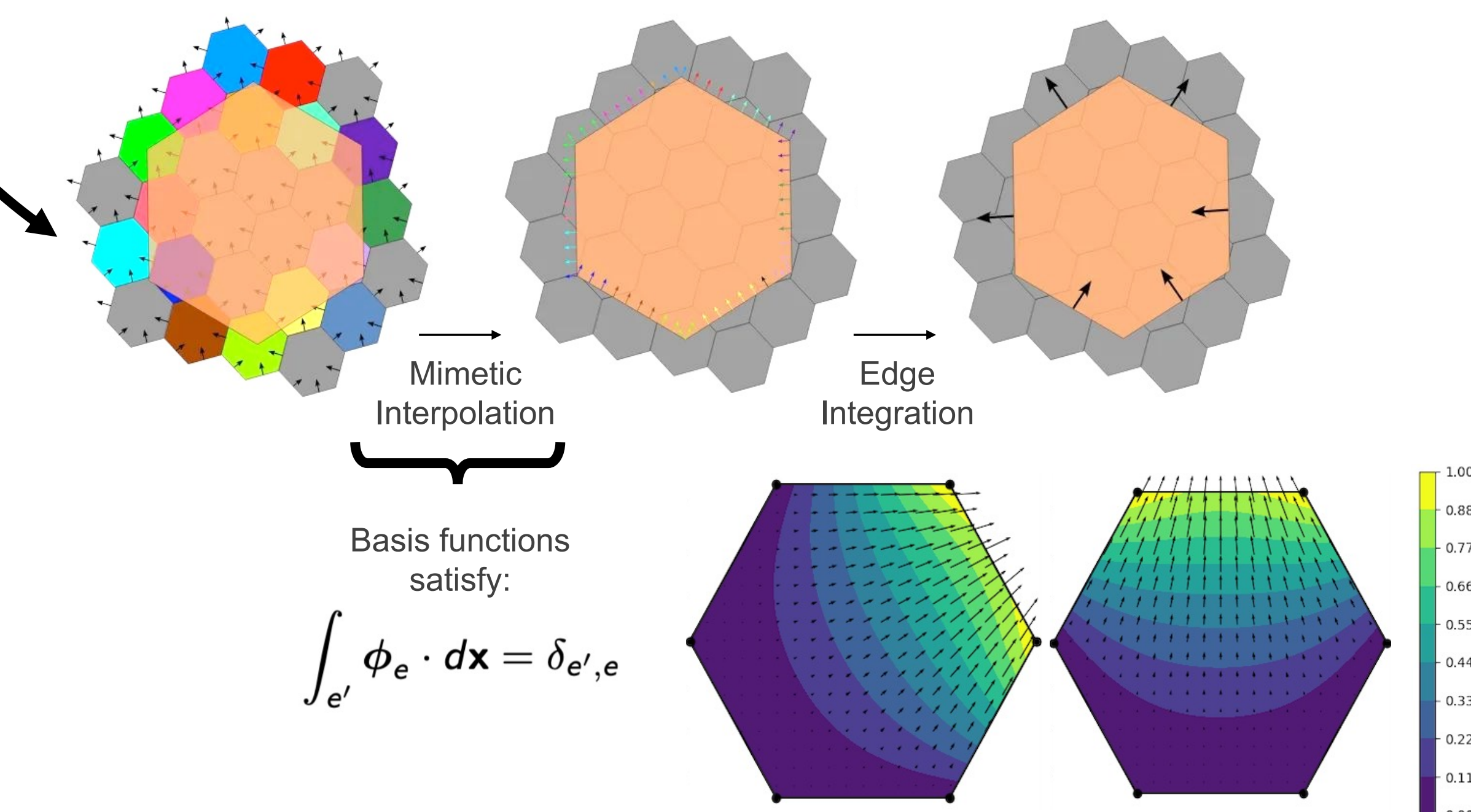
Baroclinic Barotropic

Mode Split Equations:

$$\frac{\partial \eta}{\partial t} + \nabla \cdot (\bar{\mathbf{u}} H) = 0$$

$$\frac{\partial \bar{\mathbf{u}}}{\partial t} + f \mathbf{k} \times \bar{\mathbf{u}} = -g \nabla \eta + G$$

$$\frac{\partial \mathbf{u}'}{\partial t} + (\mathbf{u}' \cdot \nabla) \mathbf{u}' + w' \frac{\partial \mathbf{u}'}{\partial z} + f \mathbf{k} \times \mathbf{u}' = -g \nabla \int_{-z}^n \left(\frac{\rho(\Theta, S) - \rho_0}{\rho_0} \right) dz' + D - G$$

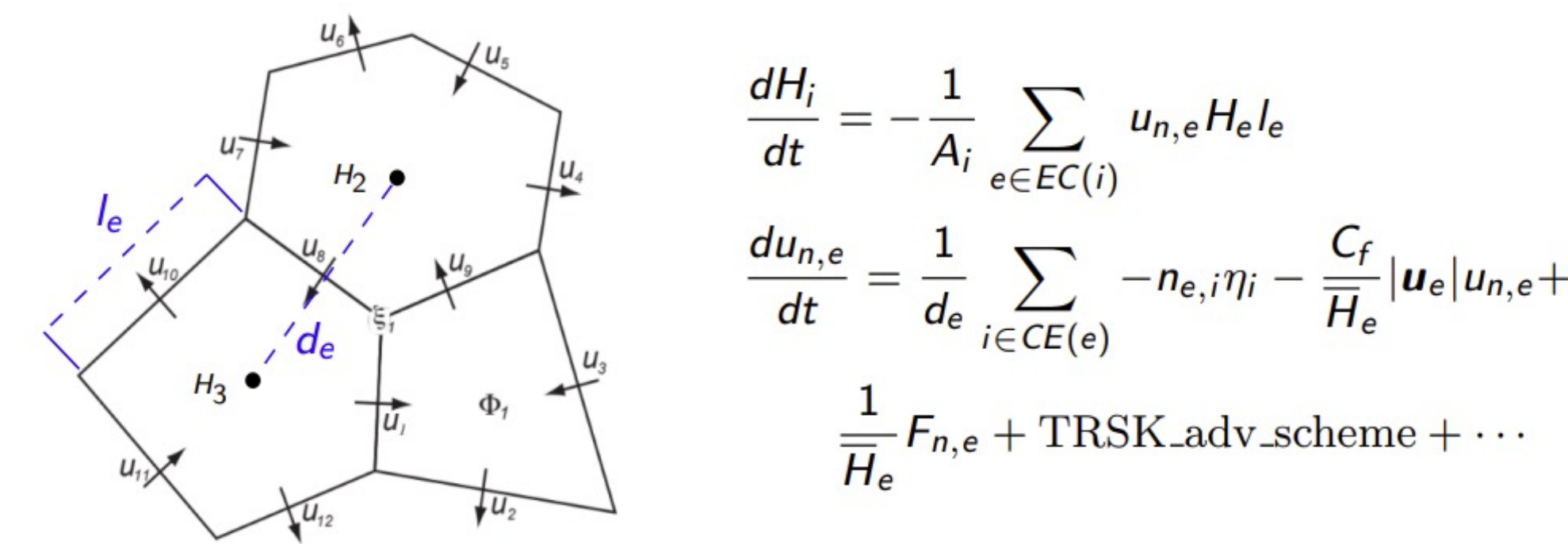


The goal is to **resolve coastal water level variability** with connections to the larger scale dynamic sea level

2. Subgrid Scale Approaches for Inundation

APPROACH

Single layer MPAS-Ocean semi-discrete scheme:



$$\frac{dH_i}{dt} = -\frac{1}{A_i} \sum_{e \in EC(i)} u_{n,e} H_e l_e$$

$$\frac{du_{n,e}}{dt} = \frac{1}{d_e} \sum_{i \in CE(e)} -n_{e,i} \eta_i - \frac{C_f}{H_e} |u_e| u_{n,e} + \frac{1}{H_e} F_{n,e} + \text{TRSK_adv_scheme} + \dots$$

In MPAS-O, as usual:

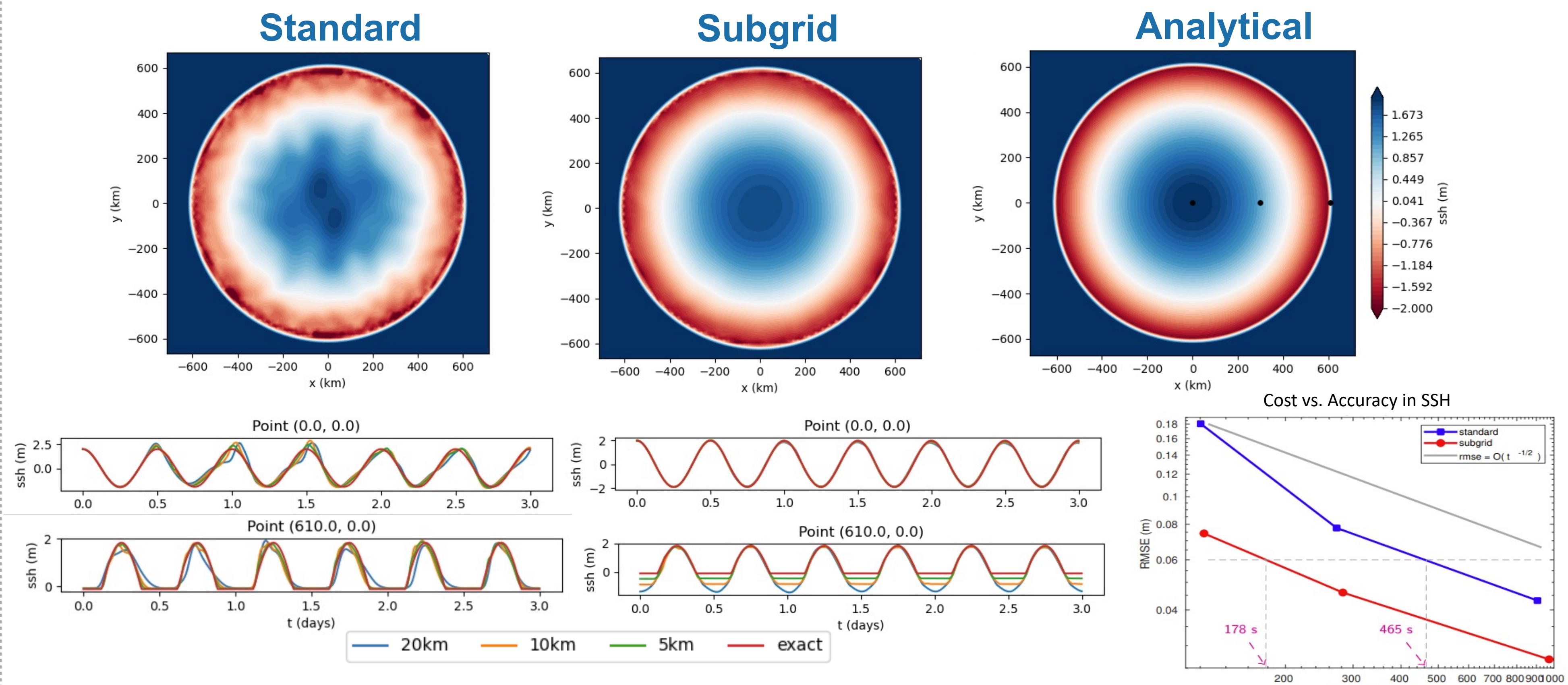
$$H_i = \eta_i + b_i$$

Subgrid scale correction for mass (precomputed lookup table):

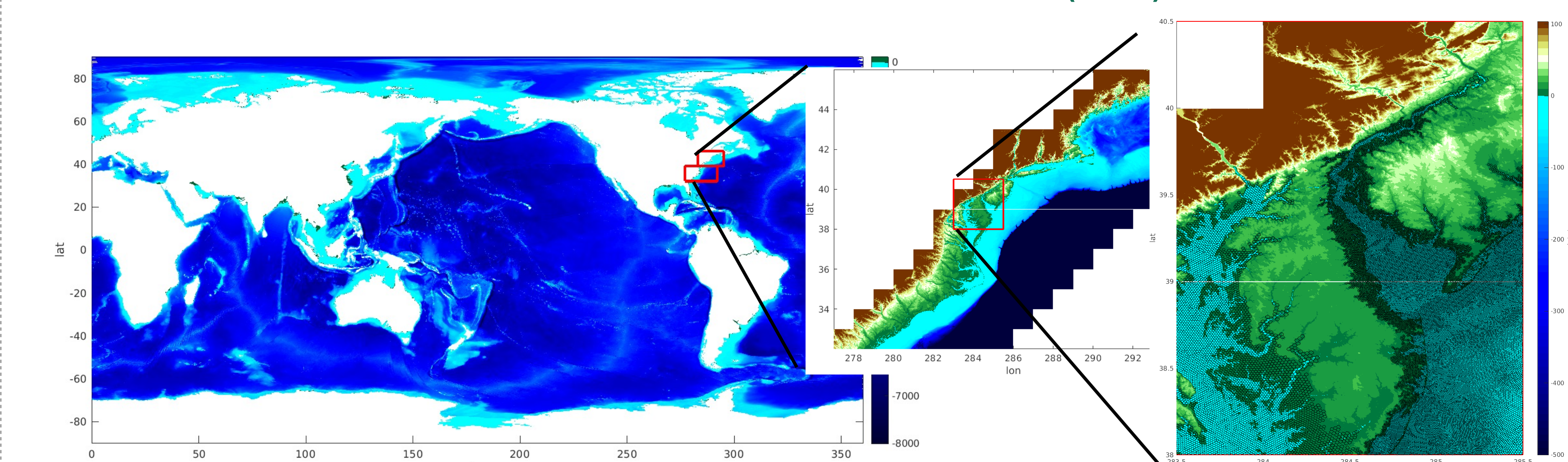
$$H_i(\eta_i) = \frac{1}{A_i} \int_{A_i} \max(\eta_i + b(\mathbf{x}), 0) d\mathbf{x}$$

Bathymetry data from high resolution DEM

VERIFICATION



SIMULATION OF STORM TIDE DURING HURRICANE SANDY (2012)



- Global domain with 1km resolution in Delaware Bay
- Apply subgrid corrections in the US East coast from the coast of SC to ME
- Employ Coastal Relief Model (3 arc-seconds) for the high resolution subgrid bathymetry

VALIDATION OF SEA SURFACE HEIGHT: HURRICANE SANDY

