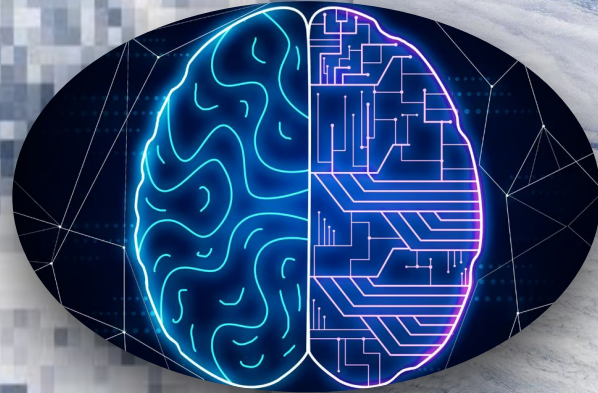


# Assessing the *non-linear* cloud susceptibility to $N_d$ using Machine Learning: differences between GCMs and observation

A framework for model evaluation?



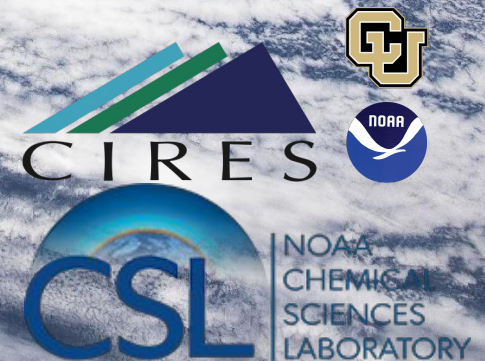
**Jianhao Zhang**<sup>1,2</sup>, Yao-Sheng Chen<sup>1,2</sup>, Andrew Gettelman<sup>3</sup>,  
Tak Yamaguchi<sup>1,2</sup>, Graham Feingold<sup>2</sup>

<sup>1</sup>CIRES, University of Colorado

<sup>2</sup>NOAA Chemical Sciences Laboratory (CSL)

<sup>3</sup>Pacific Northwest National Laboratory (PNNL)

Micro2Macro Workshop  
Laramie, Wyoming  
October 2024

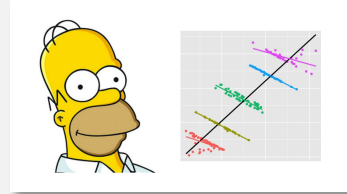


# Quantifying cloud susceptibility to $N_d$ using observations and GCMs presents challenges

- ❑ Large scale (top-down) satellite-based assessments (e.g., Wall et al. 2022,2023) have difficulties in

- ❑ Removing **confounding effects**: co-varying cloud controlling factors (*Simpson's paradox*)

- ❑ **Causal** attribution



- ❑ Bottom-up approaches that establish causality (e.g., Yuan et al. 2023, Manshausen et al. 2022) face challenges in **scaling-up** (or *generalization to all clouds all conditions*)

- ❑ GCM studies have demonstrated **correlation  $\neq$  causality** in the context of ACI (e.g., Mülmenstädt et al. 2024, Mahfouz et al. 2024)

- ❑ GCM perturbation experiments that deduce causality (e.g., PD-PI) face limitations in:
  - ❑ Parameterized processes
  - ❑ Insufficient grid-resolution (*esp. in the vertical*) to resolve process (*esp. microphysical*)
  - ❑ Reliance on knob tuning which may improve certain aspects of the model while degrading others

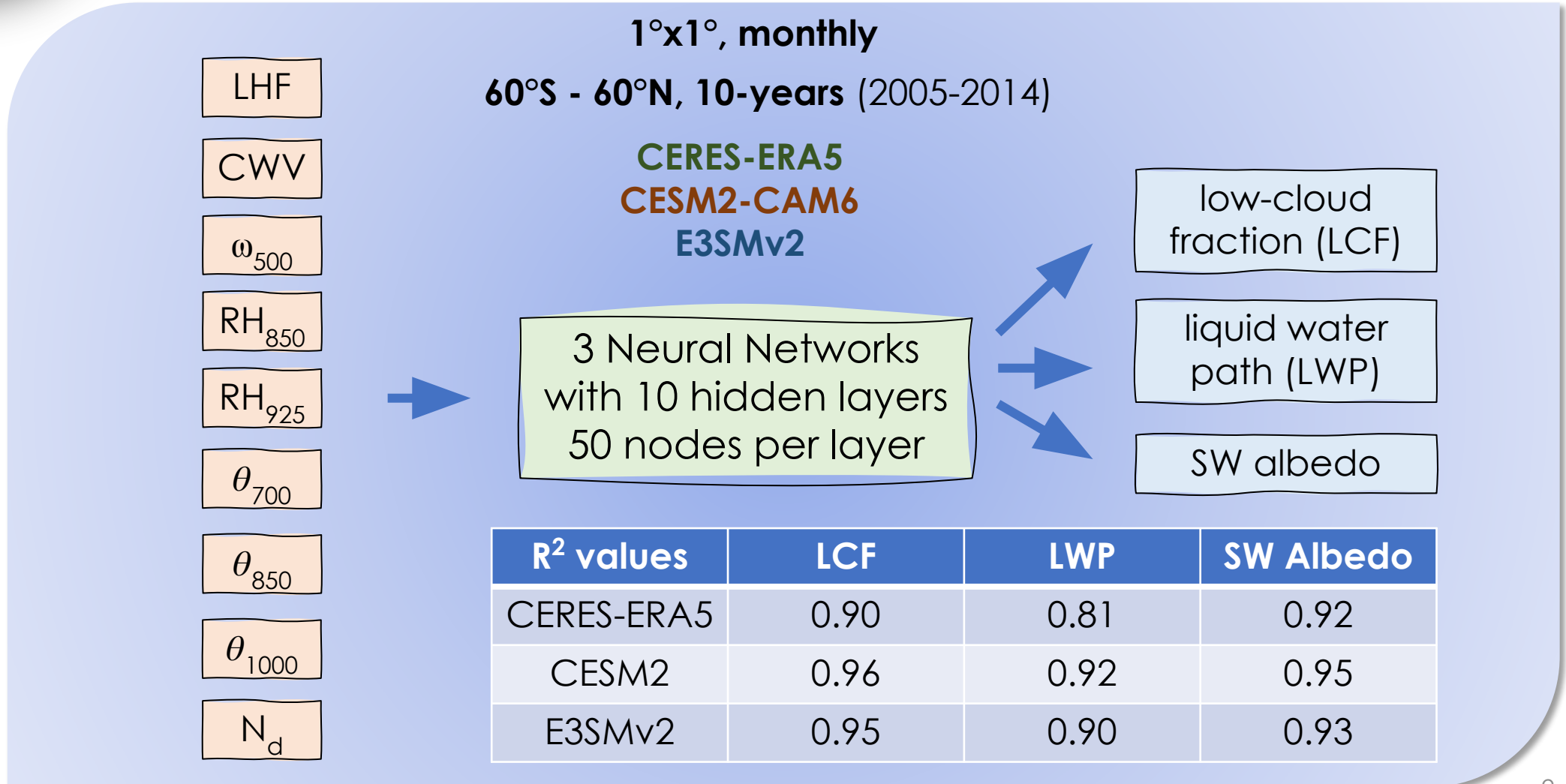
We propose a **Machine Learning** framework that can integrate OBS and GCMs

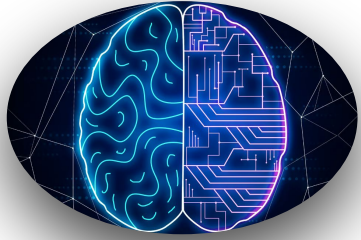
- ❑ Capture the **non-linear** relationship between **MET-aerosol ( $N_d$ )-cloud**
- ❑ Designed to **avoid confounding effects**
- ❑ Taking model evaluation to the next level by evaluating cloud **sensitivities** to MET/ $N_d$ , instead of cloud property themselves.





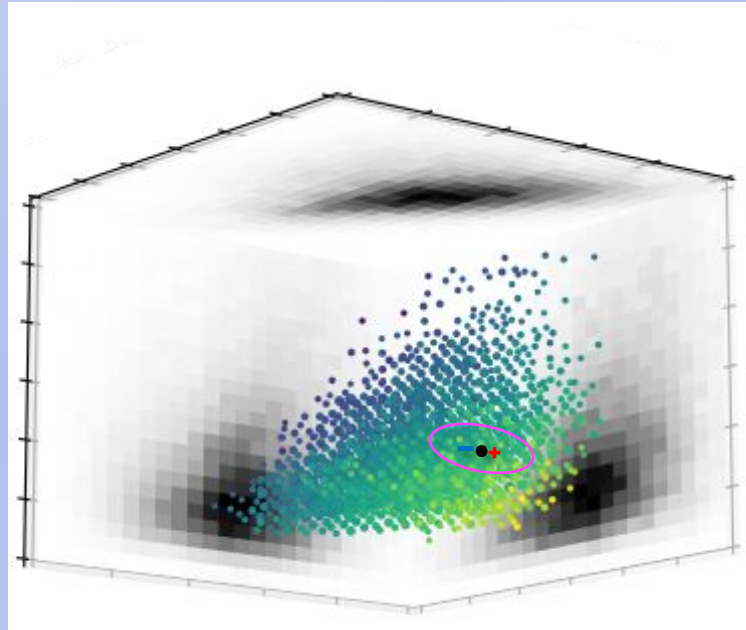
# A Machine Learning approach to capture the co-variability between MET- $N_d$ -Cloud





# A Machine Learning approach to capture the co-variability between MET- $N_d$ -Cloud & deriving cloud susceptibilities

A 3-d illustration of local susceptibility



LHF

CWV

$\omega_{500}$

$RH_{850}$

$RH_{925}$

$\theta_{700}$

$\theta_{850}$

$\theta_{1000}$

-  $N_d$  +

$$N_d \text{ susceptibility} = \left. \frac{\partial \ln(X)}{\partial \ln(N_d)} \right|_{\text{all else equal}}$$

X = LCF, LWP, SW albedo

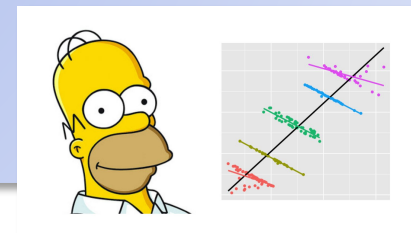
❑ **9-dimensional manifold**  
(gradient in individual dimension is non-linear)

❑ Linear approximation is used to infer 'local' susceptibility (quantified as local derivative)

❑ Therefore, **perturbations need to be really small**

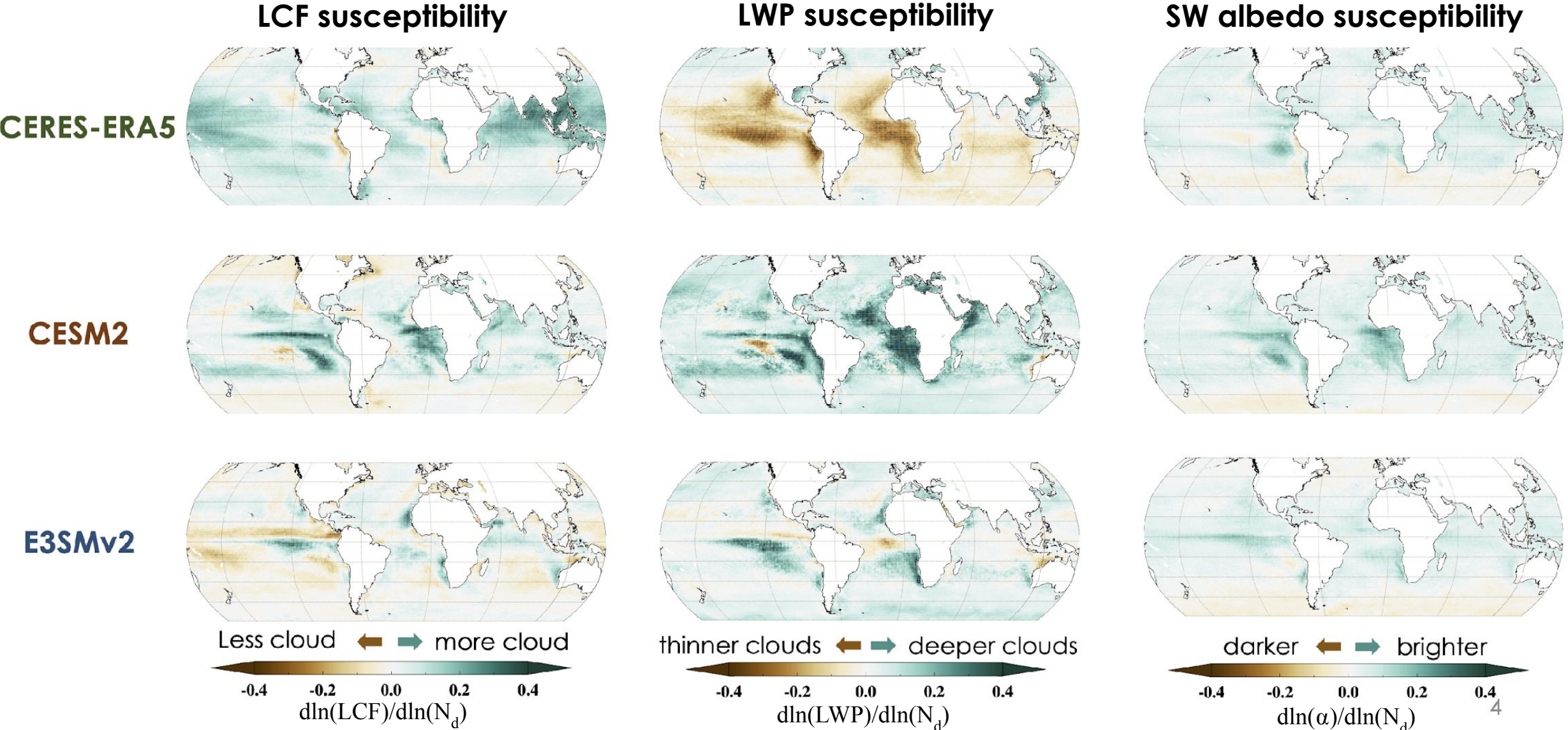
❑  $N_d$  susceptibility is quantified at each location and time (**for a given MET condition**)

$$\sum \left( \left. \frac{\partial \ln(X)}{\partial \ln(N_d)} \right|_{MET} \right) \neq \frac{\partial \ln(X_{all})}{\partial \ln(N_{d,all})}$$



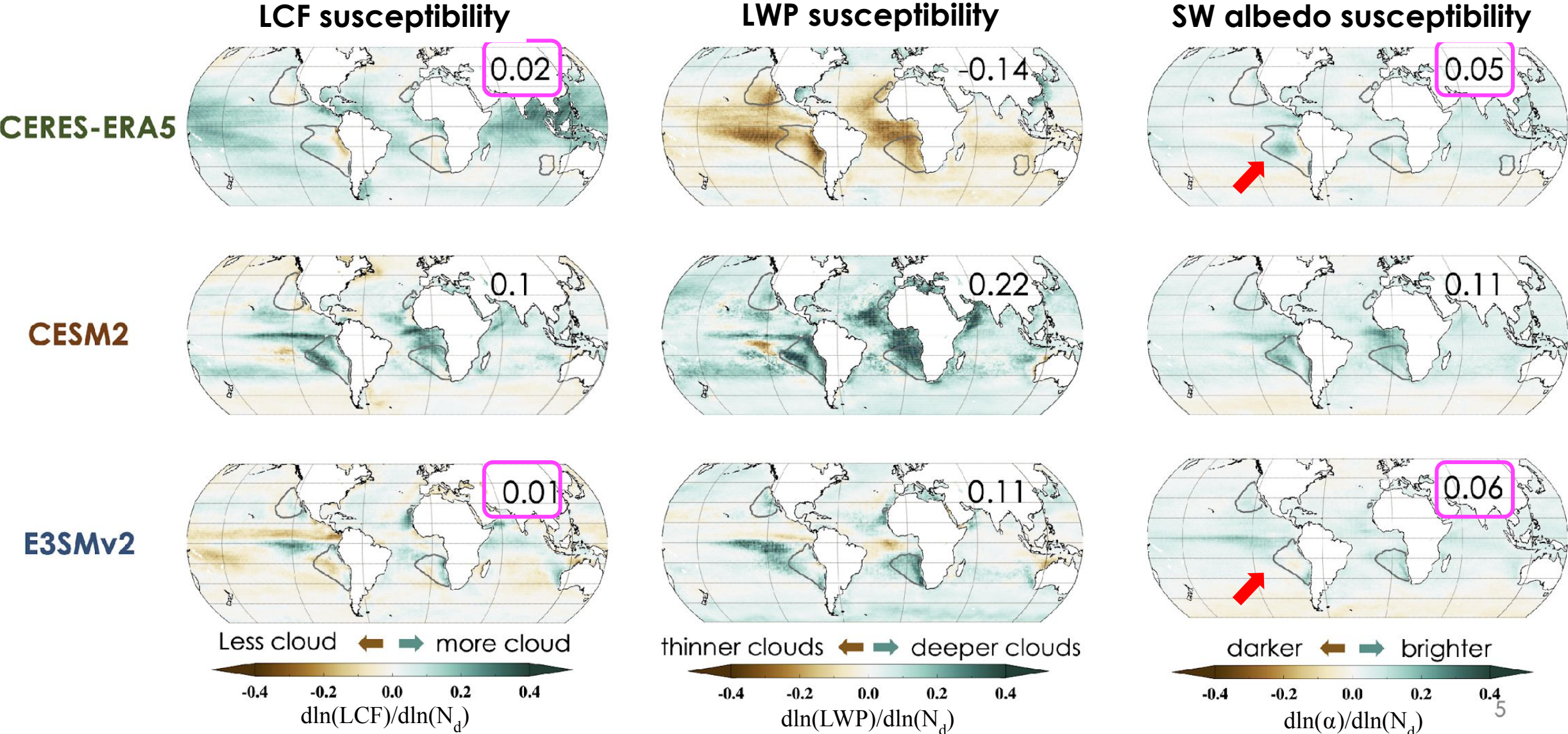


Maps (60S – 60N) of cloud **susceptibility** to  $N_d$  at **monthly** timescale (NN derived)





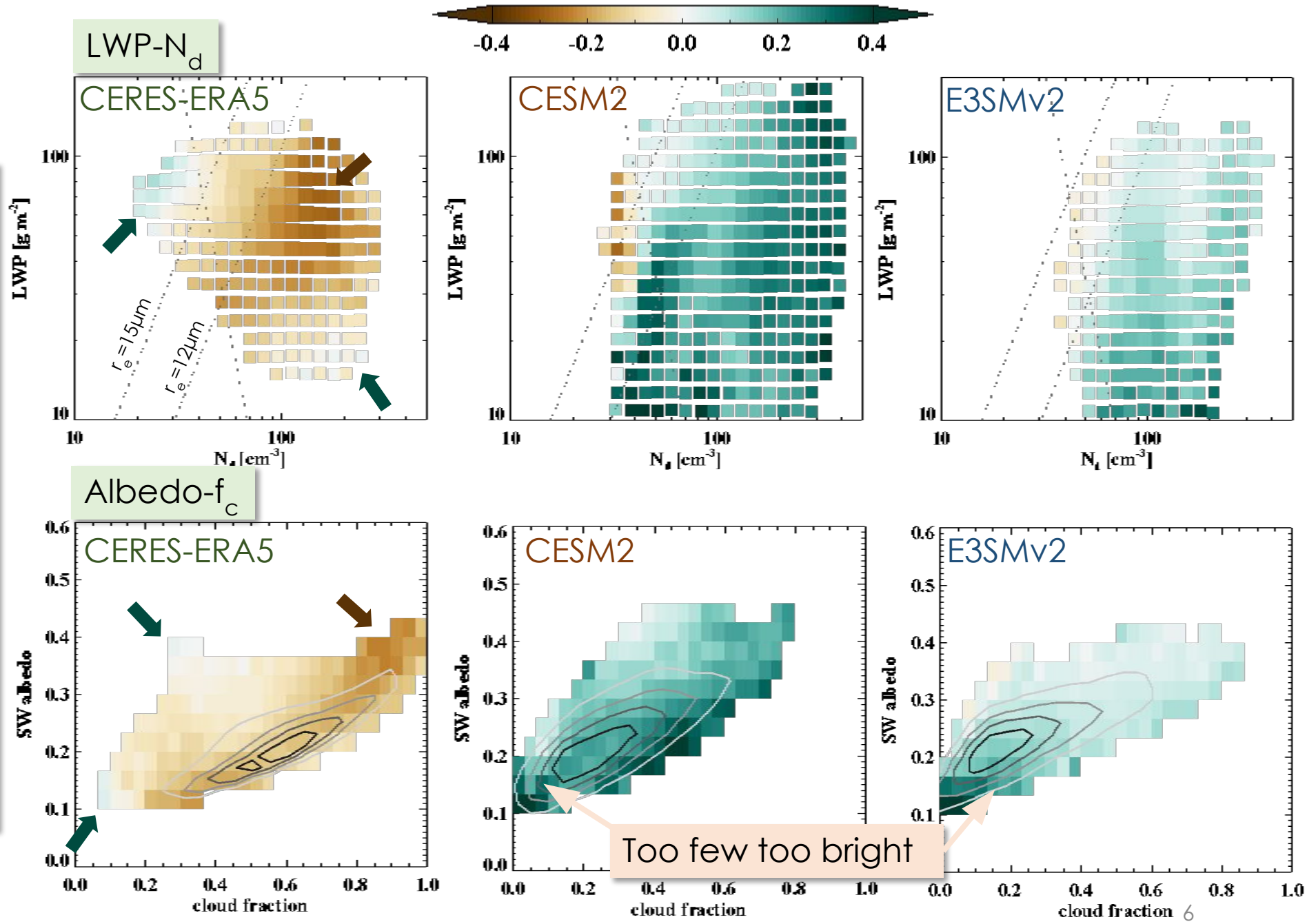
Maps (60S – 60N) of cloud **susceptibility** to  $N_d$  at **monthly** timescale (NN derived)





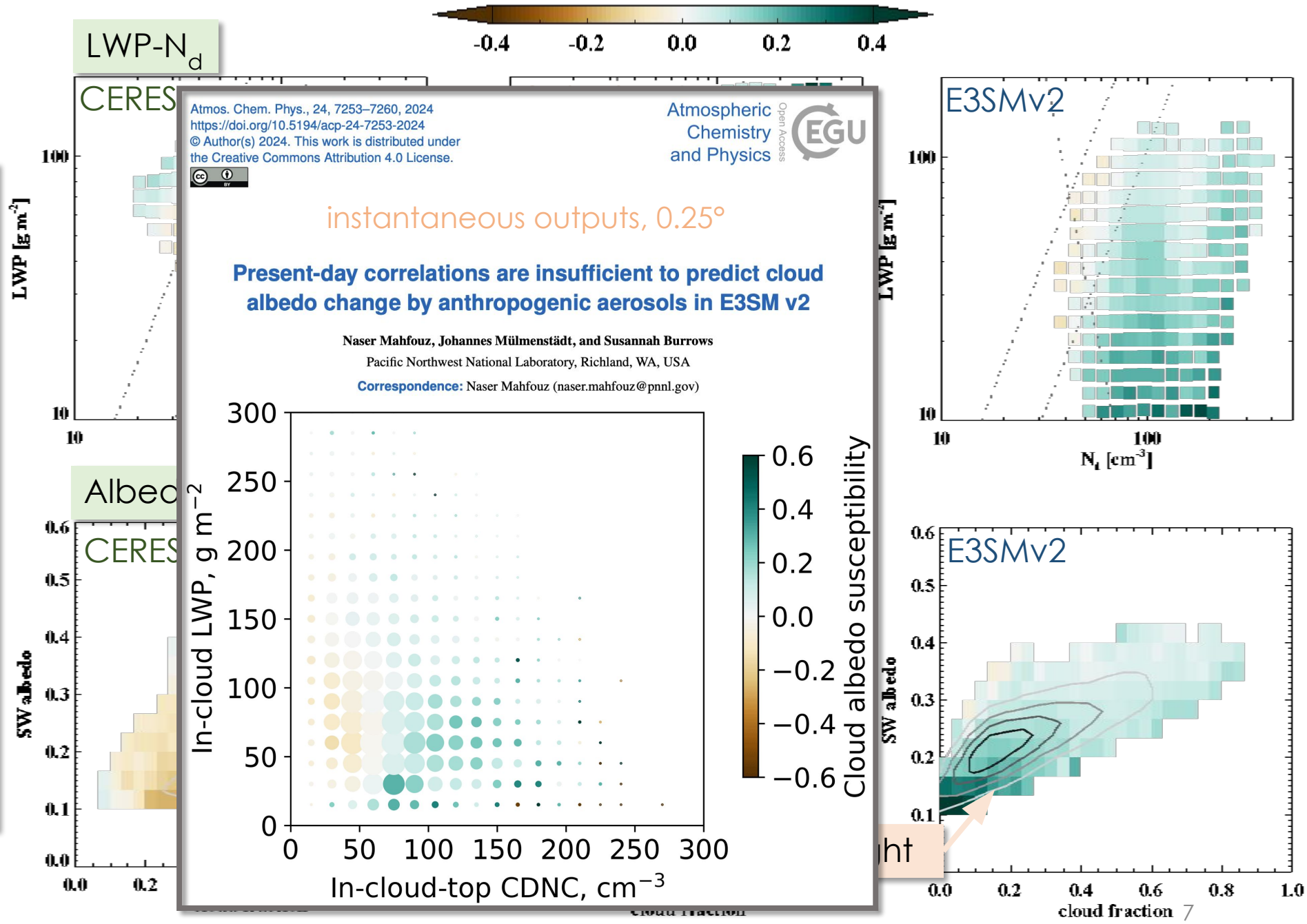
# LWP susceptibility

- ❑ OBS results agree with process understanding (*precip-suppression & entrainment feedback*)
- ❑ +ve LWP-adj is evident in thin and low coverage clouds and in deep broken clouds (*cumulus regime with weak inversion*)
- ❑ -ve LWP-adj is the strongest when conditions favor entrainment-feedback mechanism (*thick overcast clouds*)
- ❑ Susceptibility distribution is flipped in GCMs (*also shown in Mahfouz et al. 2024*)



# LWP susceptibility

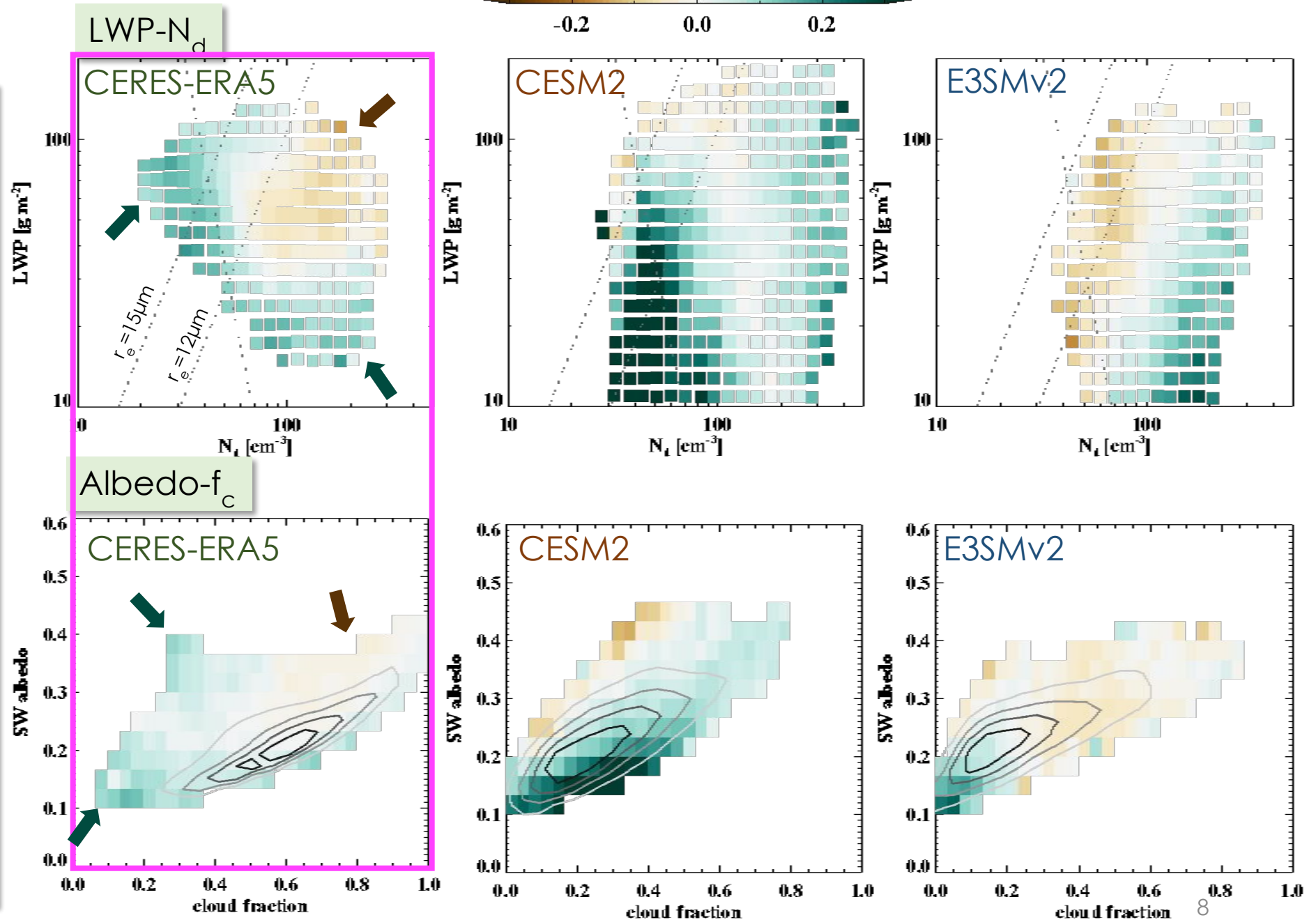
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# LCF susceptibility

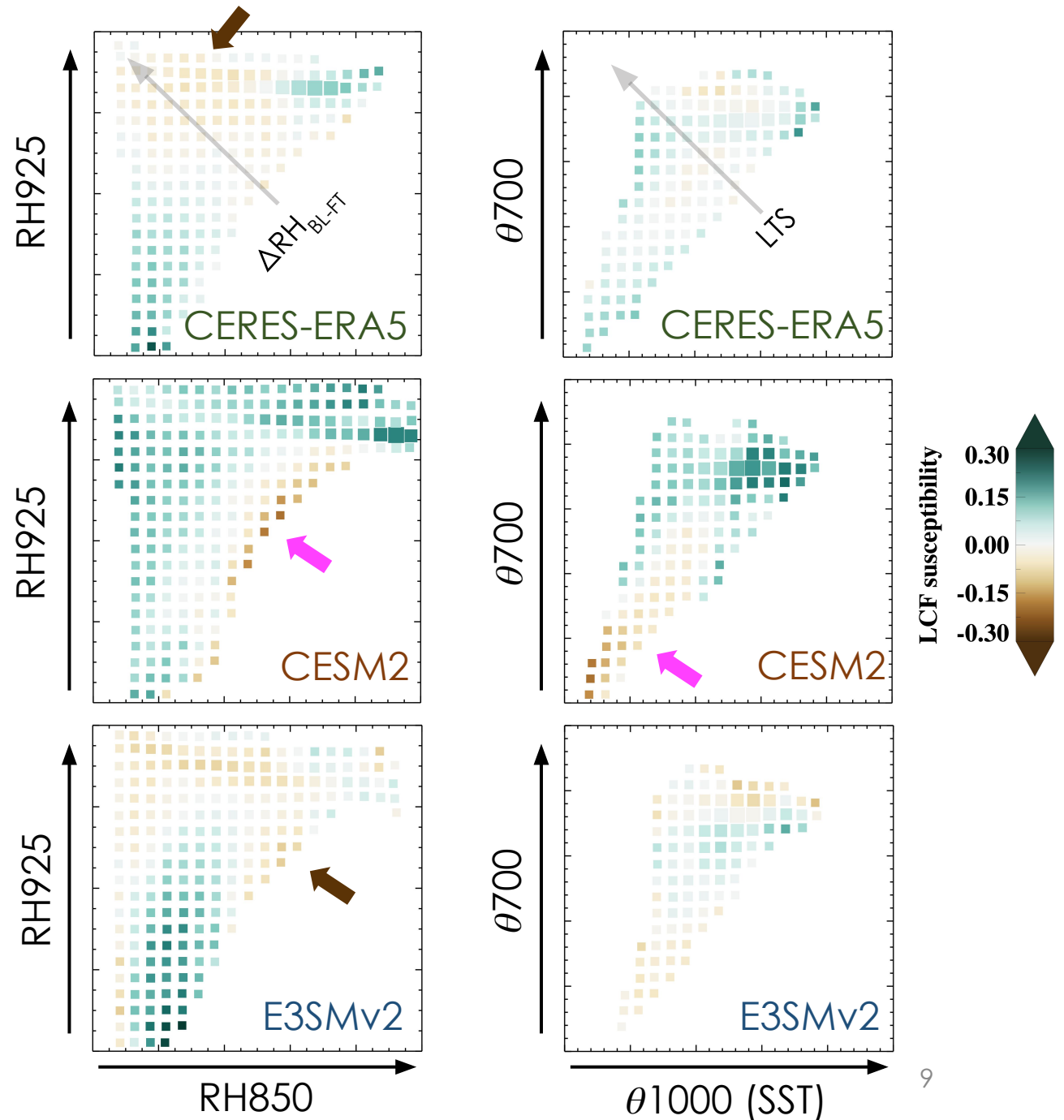
- LCF susceptibility distribution in LWP- $N_d$  space follows that of LWP susceptibility
- Thin clouds or broken cumulus (especially under weaker inversion) is the most susceptible to LCF increase (or longer cloud lifetime)
- Deep high-fc clouds (mostly non-raining) are subject to cloud dissipation with increasing  $N_d$
- The NN-framework captures robust manifestation of small-scale ACI mechanisms at monthly scale
- GCMs, again, associate LCF susceptibility to clouds states differently



# LCF susceptibility in MET spaces

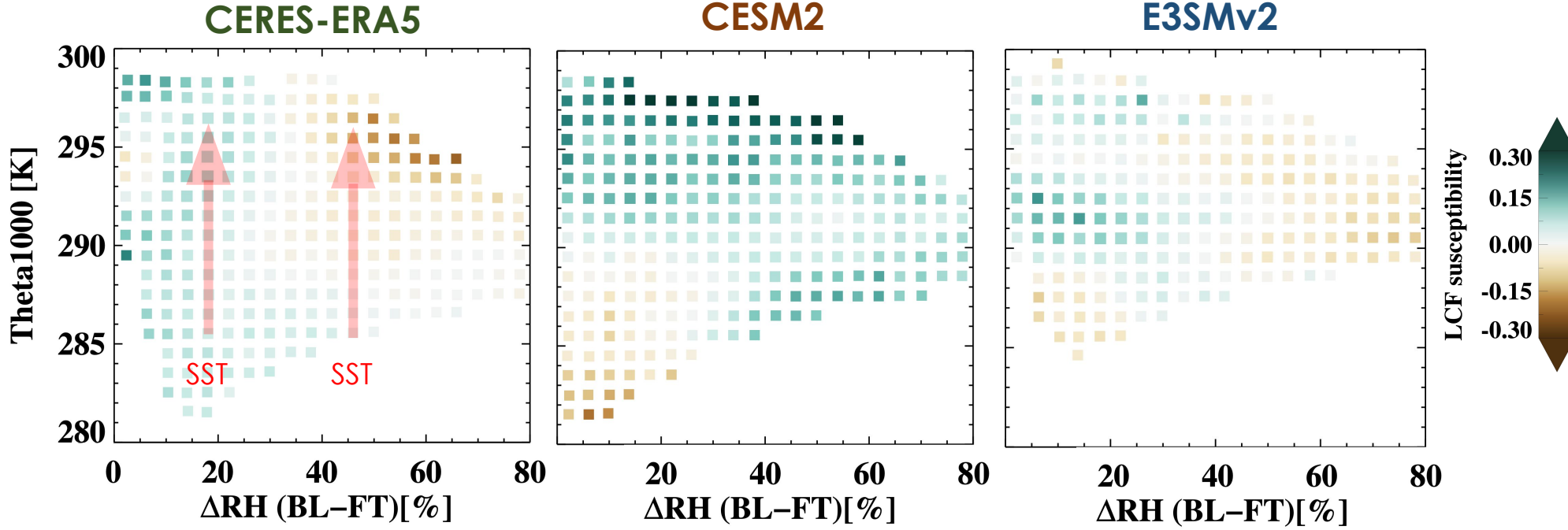
reinforces contrasting association between OBS and GCMs

- ❑ OBS suggest -ve cloud fraction adjustment under strong RH gradient between BL and FT (*entrainment drying favored condition*).
- ❑ E3SMv2 captures this feature, to some extent.
- ❑ CESM2 suggests the reverse is true: more cloud dissipation when RH gradient is the weakest ( $\theta$  and  $\theta$  gradient is low as well).



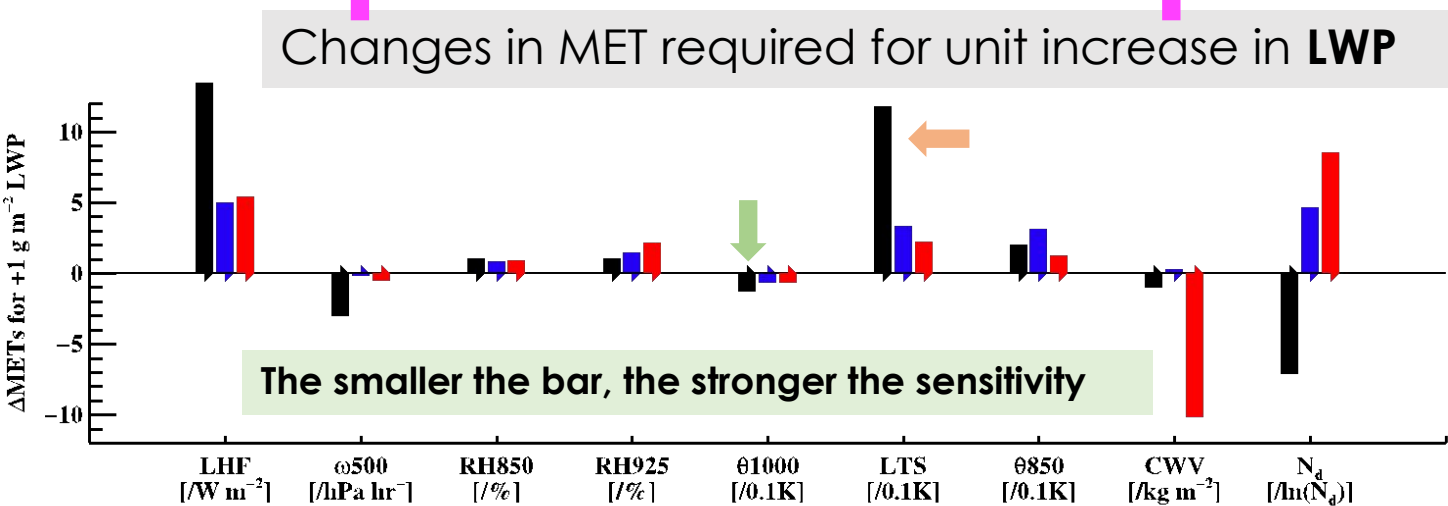
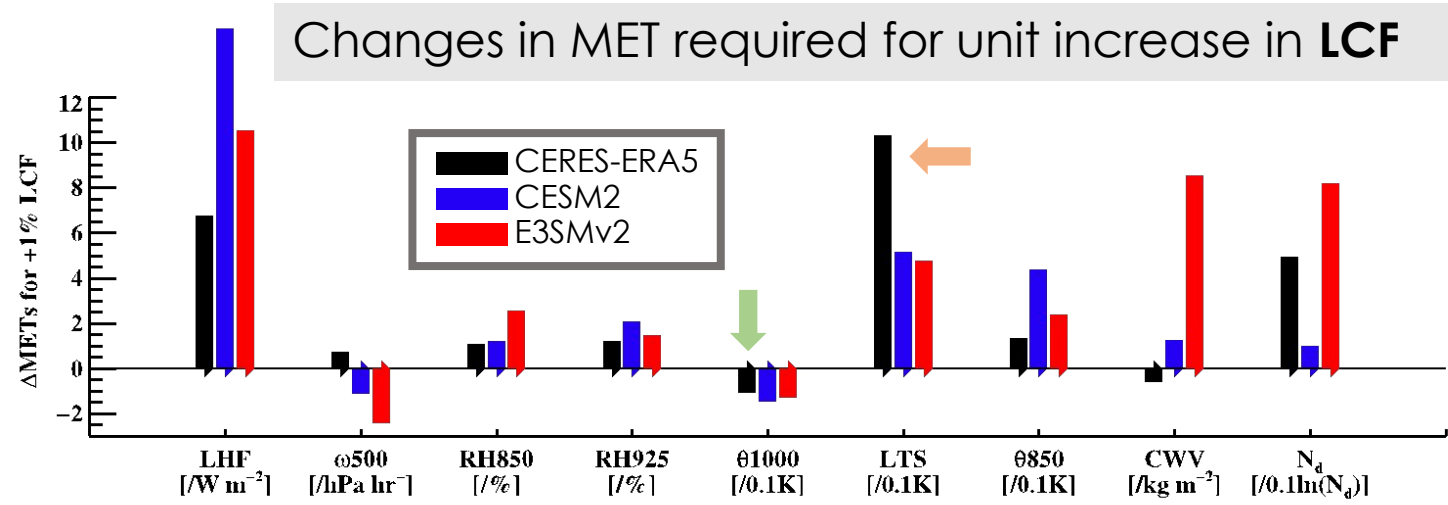


# ACI in a warmer climate (constant $\Delta RH_{BL-FT}$ ) is base-state dependent



- ☐ ACI in a warmer climate depends on humidity gradient
- ☐ When RH gradient is strong, cloud susceptibility gets more negative with warming
- ☐ When RH gradient is weak, cloud susceptibility remains unchanged with warming
- ☐ Relationships between MET and Sc-cloud in GCMs suggest otherwise

# Sensitivities of LCF and LWP to MET for Sc regime **differ** between OBS and GCMs



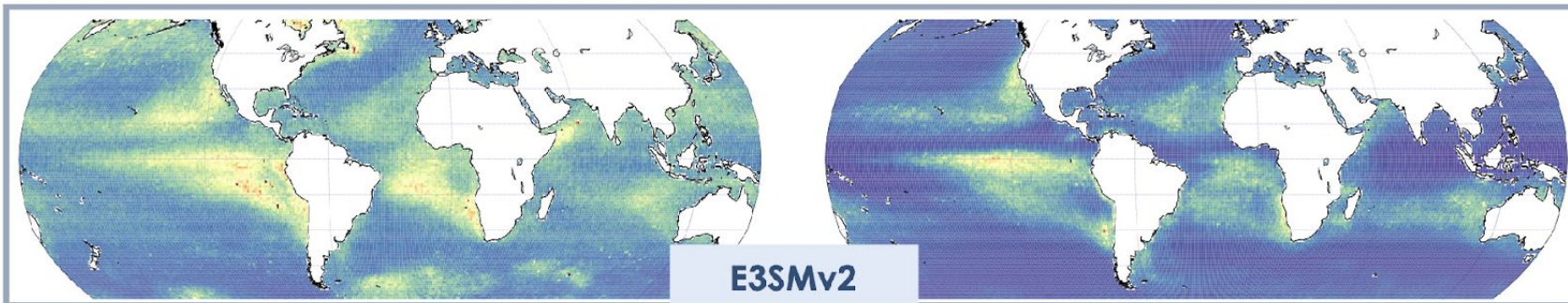
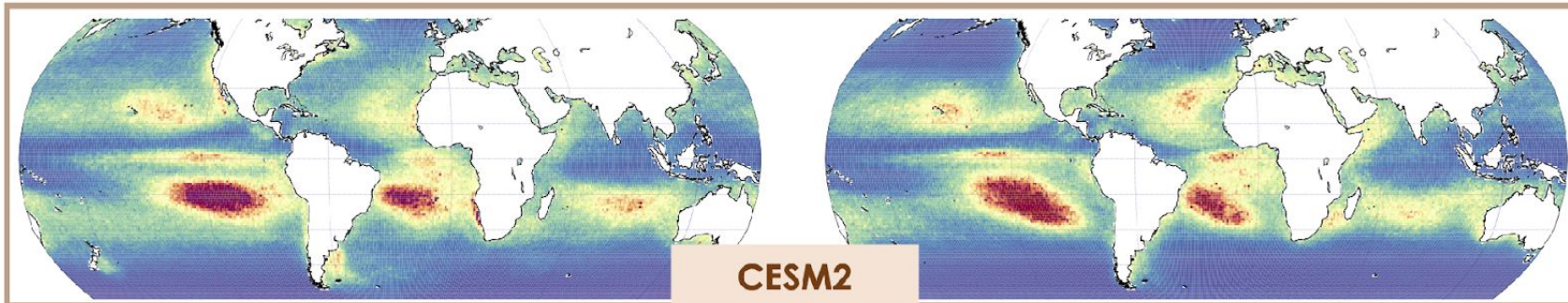
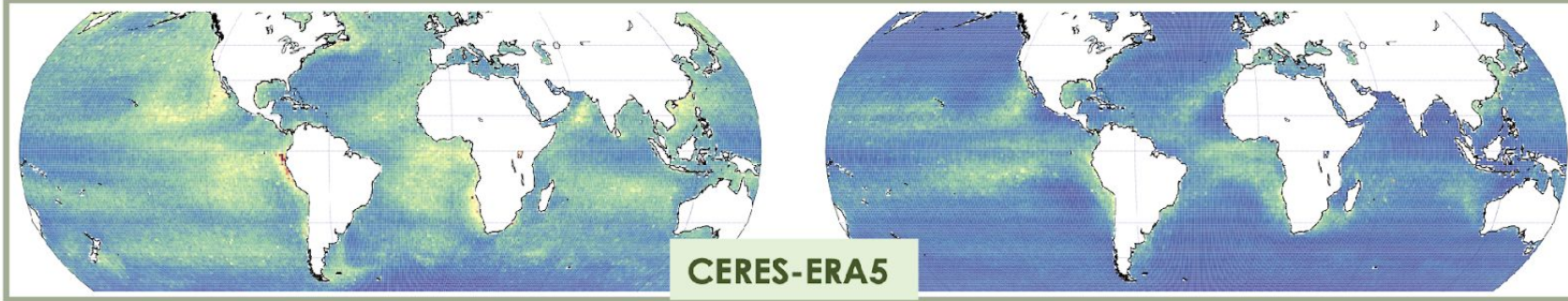
- ❑ Besides susceptibility to N<sub>d</sub>, OBS and GCMs disagree in sign on sensitivities to subsidence and CWV.
- ❑ GCMs' LWP and LCF is more sensitive to LTS than OBS. (A built-in/parameterized relationship?)
- ❑ OBS show stronger LCF sensitivity to SST and LHF, but weaker for LWP, compared to GCMs



# Quantifying the degree of **nonlinearity** in LCF and LWP response to $N_d$

LCF response to  $N_d$

LWP response to  $N_d$



0.0000 0.0015 0.0030 0.0045 0.0060 0.0075

degree of nonlinearity ( $\zeta$ )

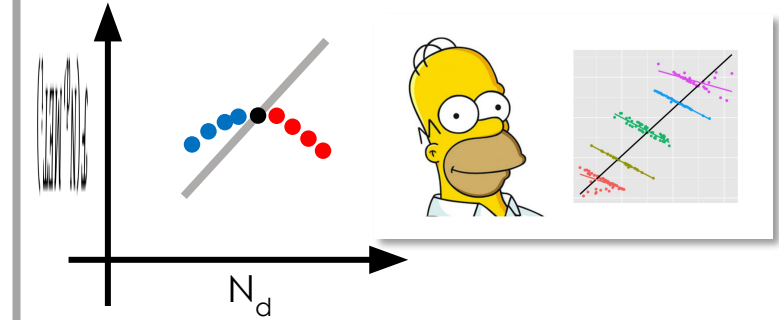
0.0000 0.0032 0.0064 0.0096 0.0128 0.0160

degree of nonlinearity ( $\zeta$ )

$$\zeta = \frac{|\Delta\mathcal{F}(-\Delta N_d, MET_i) + \Delta\mathcal{F}(+\Delta N_d, MET_i)|}{\mathcal{F}(N_d, MET_i)}$$

$$\Delta\mathcal{F} = \mathcal{F}(\Delta N_d, MET_i) - \mathcal{F}(N_d, MET_i)$$

$\mathcal{F}()$  is the NN model



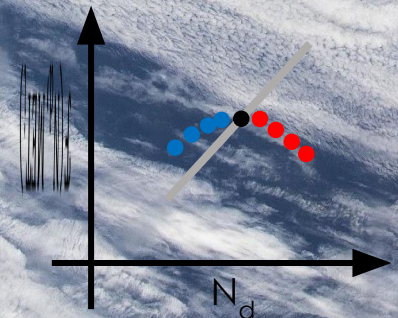
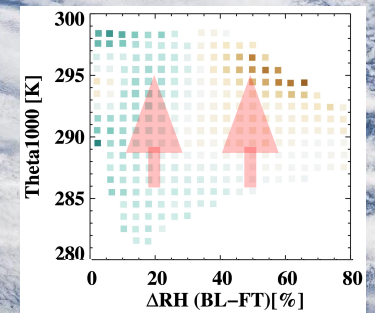
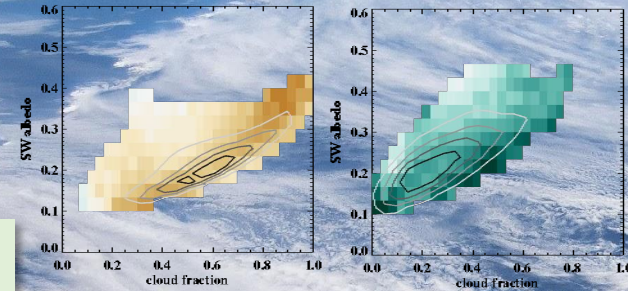
- Degree of nonlinearity in  $N_d$  dimension is stronger in low-cloud regions
- Models show higher degree of nonlinearity (especially in CESM2)
- Potentially a higher-order quantity/variable for model evaluation



- ❑ We developed a **Neural Network framework** to capture the **non-linear** relationship among **MET- $N_d$ -Cloud**.
- ❑ We use it to assess the **sensitivity** of low-clouds to cloud controlling factors between GCMs and OBS (potentially a framework for model evaluation)

## Take-home points

- ❑ We find remarkably different cloud susceptibility to  $N_d$  (esp. in spatial patterns) between GCMs and OBS, as well as sensitivities to some MET variables.
- ❑ E3SMv2 seemingly captures the Sc-regime-mean susceptibility but misses the underlying processes when the association of susceptibility to cloud states and meteorological conditions is unveiled (*likely due to tuning*)
- ❑ Monthly MET- $N_d$ -Cld relationship suggests ACI in a warmer climate is base-state dependent – esp. on the gradient between BL and FT RH
- ❑ Models have higher degrees of nonlinearity in cloud susceptibility to  $N_d$

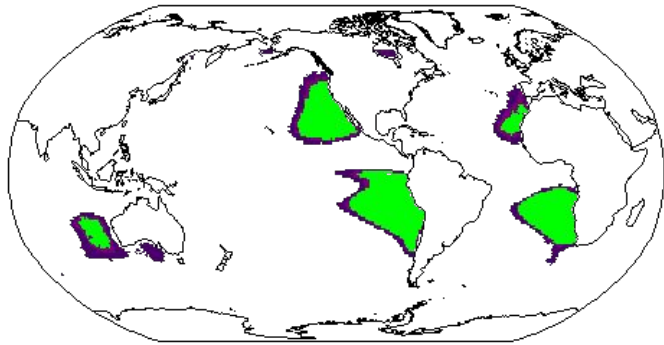


# Extra slides

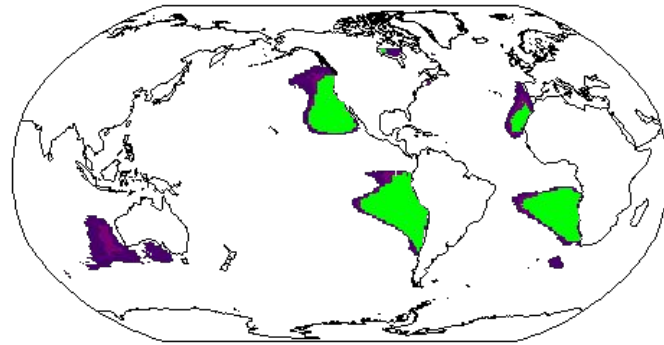


## Focusing on low-cloud regions for process understanding

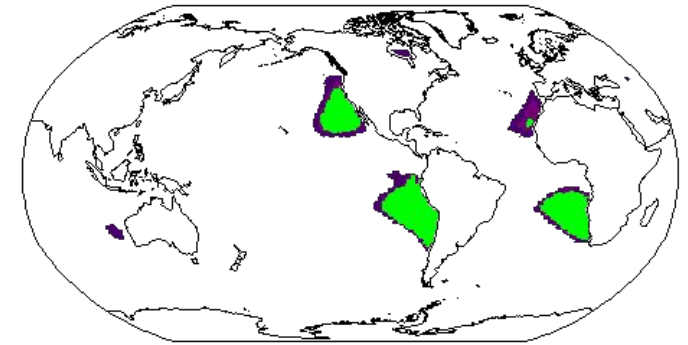
ERA5



CESM2

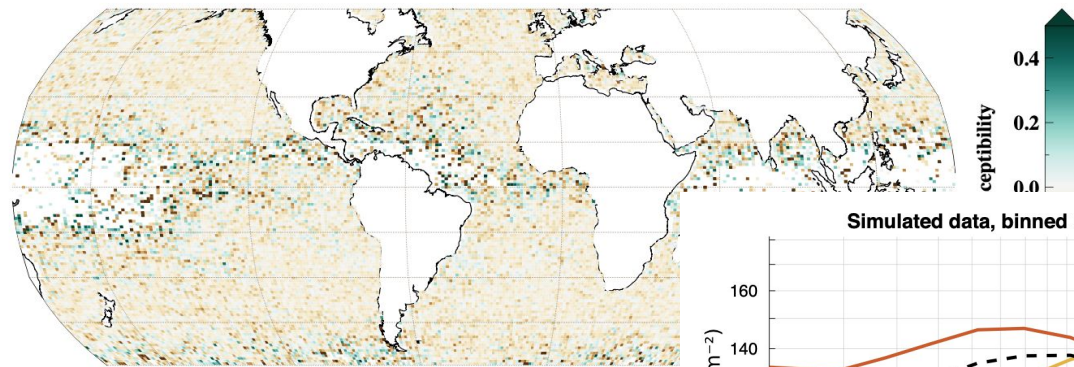


E3SMv2

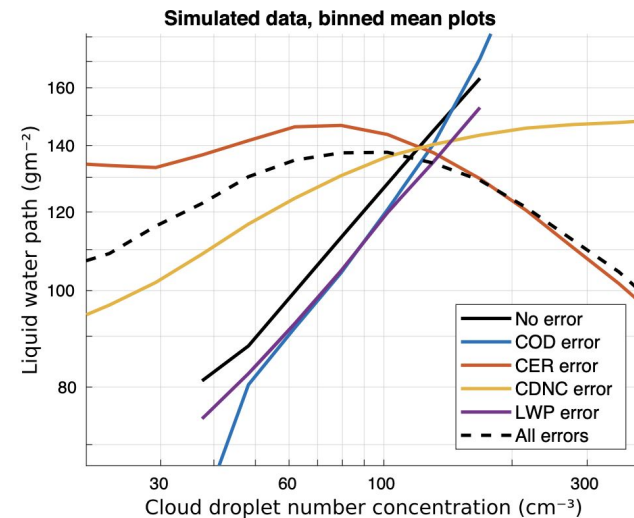
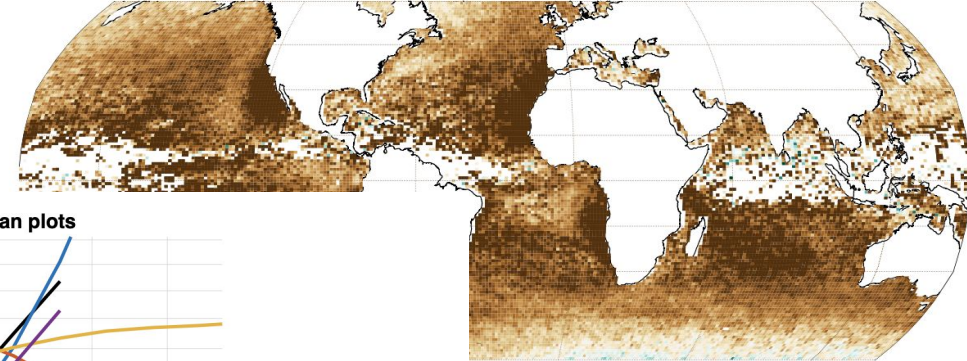


# Impact of MODIS retrieval errors and adiabatic-Nd calculations (trained on instantaneous outputs)

Model native LWP & Nd



Model MODIS-simulated LWP & Nd

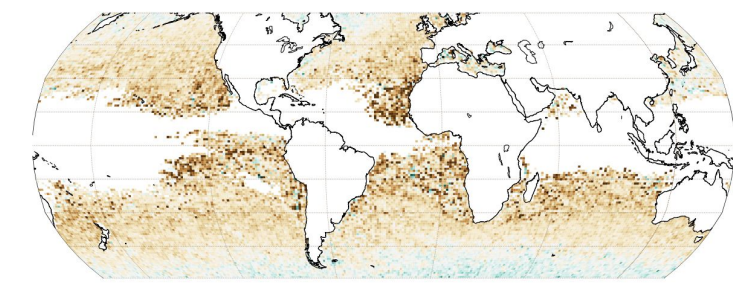
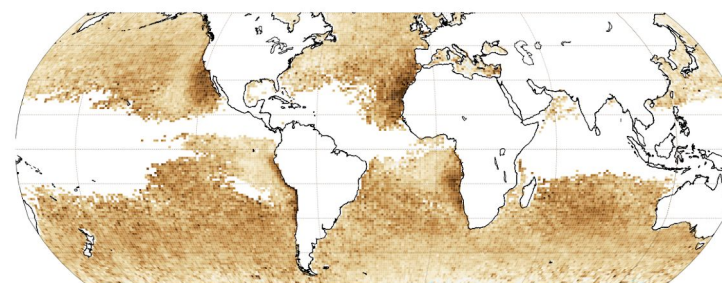
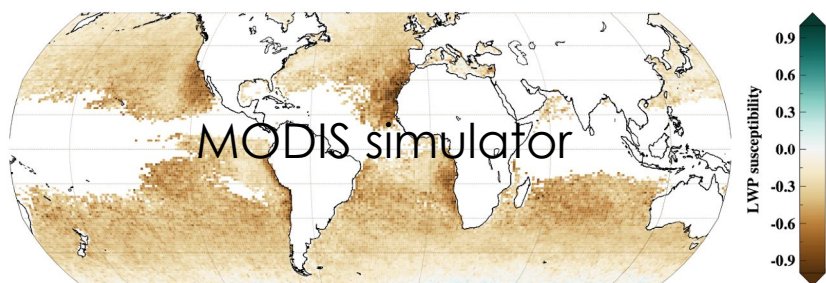
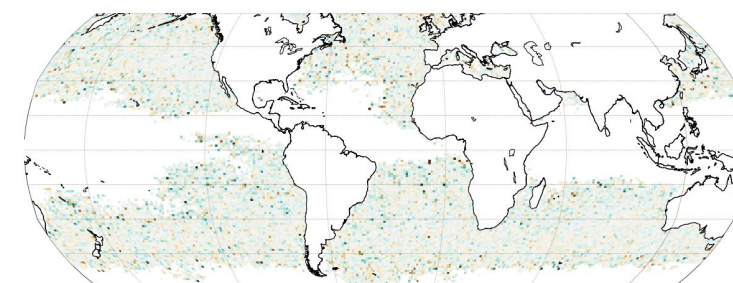
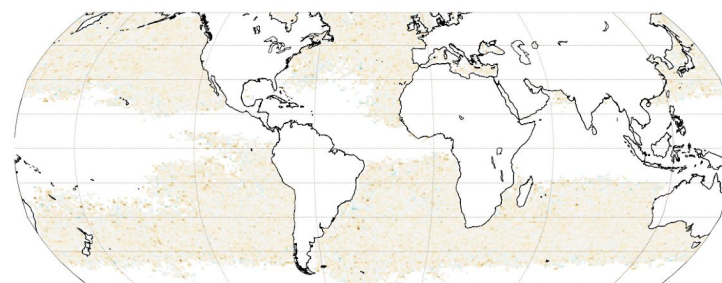


propagated to LWP, only to CDNC. **f** Combined plot of the binned mean values from cases **a-e**, and the initial values without any variability (No errors, solid black line). Both COD and CER were without variability (black line); CER was accurate but COD included variability/error (blue line); COD was accurate but CER included variability (red line); CER and COD errors influenced only LWP calculation (purple line); CER and COD errors influenced only CDNC calculation (yellow line); CER and COD errors influenced both LWP and CDNC calculation (dashed black line).

# Impact of precip

Non-precip

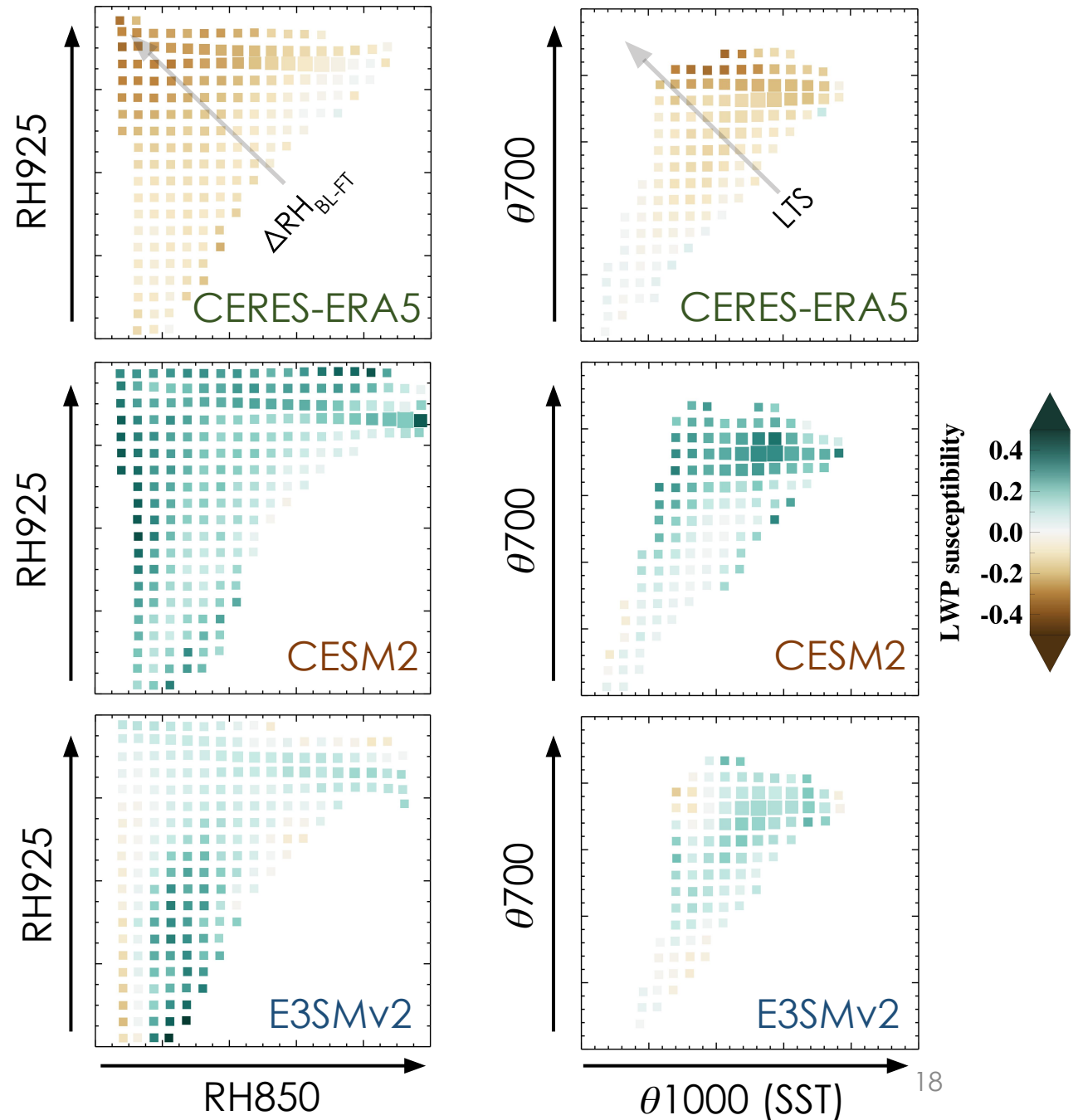
precip

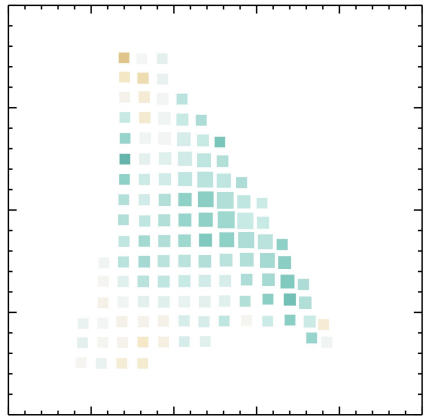
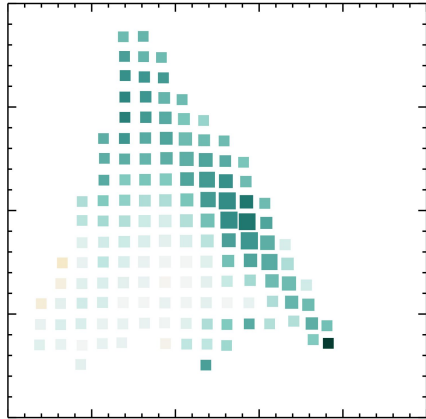
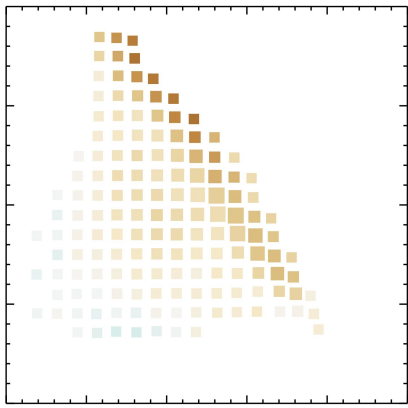




# LWP susceptibility in MET spaces show contrasting features between Obs and GCMs, again

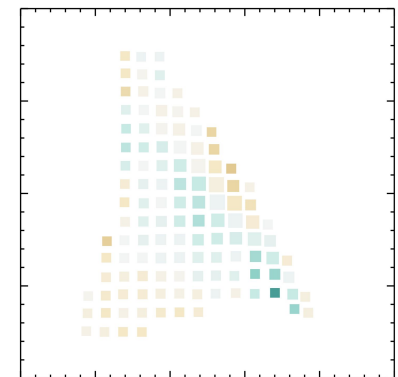
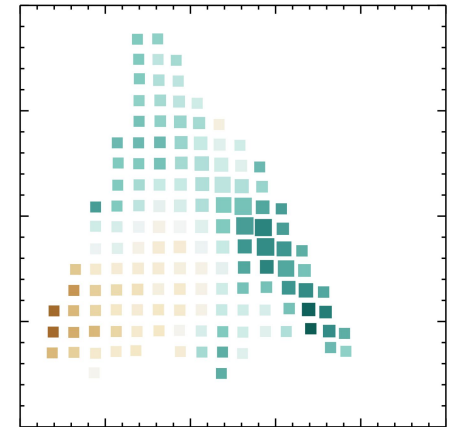
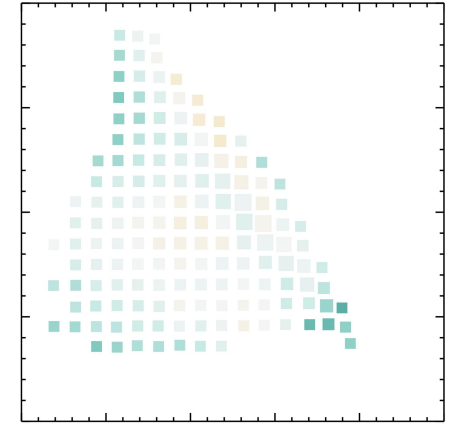
- Obs suggests stronger -ve LWP adjustments under high LTS (strong subsidence condition).
- E3SMv2 captures -ve LWP adj, mostly under the driest free-troposphere (condition where entrainment at cloud-top is favored).
- CESM2 again suggests weak -ve LWP adj under cold conditions.



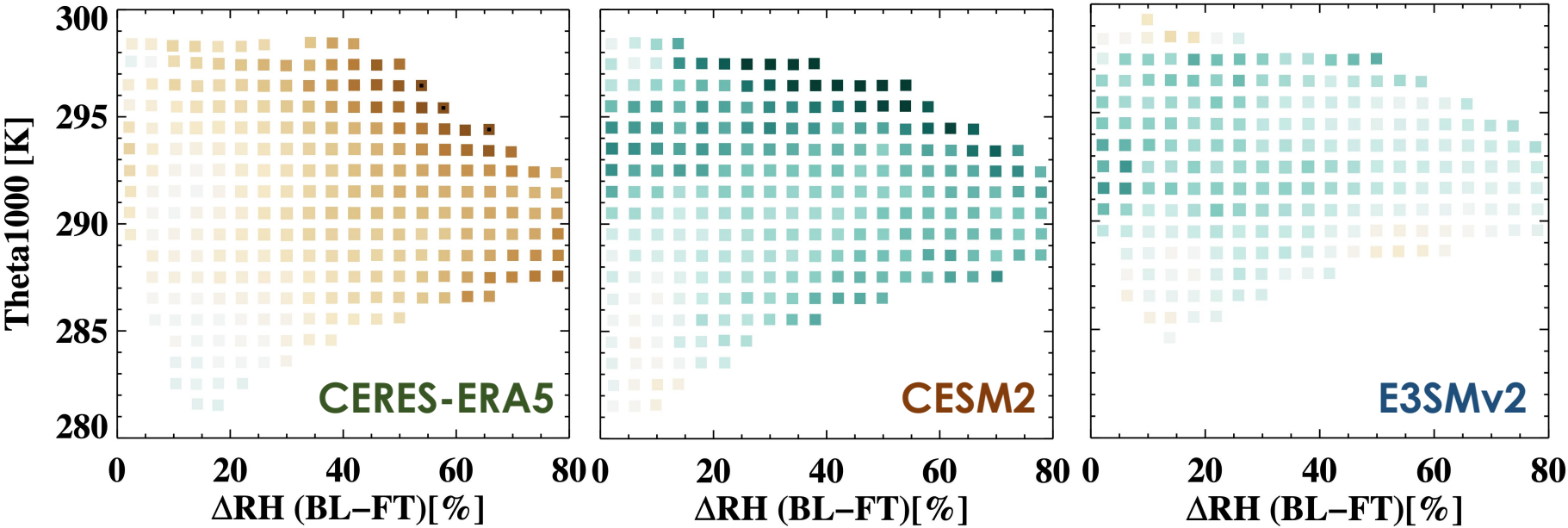


<LWP  
LTS-TH1000

LCF>



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